

## MAX BORN-INSTITUTE

### Attosecond multielectron dynamics

in tunnel ionization

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### Theory



### + Misha Ivanov, MBI & Imperial College

### Experiment





#### Yann Mairesse , CELIA, Bordeaux

#### Nirit Dudovich , Weizmann Institute,





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Hadas Soifer, Weizmann Institute,

### **Time-resolving tunneling dynamics**



Time delays in tunneling: old and controversial (recent experiments: U. Keller group, Science, 322, 1525, 2008)

Tunneling dynamics can be affected/probed via coupling to other degrees of freedom – how do they respond?

Examples: Josephson junction: Metal-insulator tunneling:

energy loss during tunneling due to friction build-up of image charge

Strong-field ionization of molecules: electron-hole interaction in tunneling



## Strong-field ionization in IR fields



aT~exp[-(2Ip)3/2/3FL]

Optical tunneling in the oscillating laser field is the main ionization mechanism for  $\omega <<$ Ip

### Semiclassical perspective on tunneling

Electron trajectory during tunneling: imaginary velocity & imaginary time



ts -time of entering the barrier, ti - time of exiting the barrier;

τT – time spent under barrier: imaginary

Does this theory fit experiment? Need to:

Tag each electron trajectory as it exits the barrier at ti Check if distribution of ti fits the theory picture above

## Tagging trajectories as they are launched Nirit Dudovich,



Oscillating field brings the electron back – harmonic emission Parent ion is a perfect measurement device



**MBI-Theor** 

Odd harmonics measure  $\Delta r (\phi)$ 

### **Reconstructed times in Helium**



Green: Full quantum, including effect of  $2\omega$  on ionization

M BI-Theory

Results are consistent with the theory: purely imaginary 'delay' Are there any kinematic consequences of "dynamics in imaginary time"?

### Tunneling in circularly-polarized IR fields



**MBI-Theor** 

<u>No real delays</u>: laser field does not rotate during tunneling Co-rotating and counter-rotating electron would tunnel with the same rate

<u>Real delays</u>: laser field rotates during tunneling Co-rotating electron tunnels easier

### Result for Kr: Counter-rotating electron tunnels easier!



### Why does the counter-rotating electron tunnel easier?

Initial electron velocity prior to ionization is opposite to the rotation of the field



Laser field=-xiFLsh $\omega \tau$ +yFLch $\omega \tau$ 

**MBI-Theor** 

Ion is created in polarized state- probe by transient absorption Tunneling dynamics is recorded in the response of the ion

### Hole dynamics in space and time





More spin-down states then spin-up, for right circular field: consequence of higher ionization rate for m=-1 M BI-Theory

### Hole dynamics in Kr: 800nm 2.5 1014 W/cm2



Theory shows:

- · Electron-hole entanglement plays crucial role
- Hole is aligned along the instantaneous direction of electron emission
  - No delays (in multielectron case with no channel interaction)

# Tunneling for coupled channels

Tunneling from lower orbitals: usually expect exponential suppression for deeper orbitals



This talk: Role of electron correlation during tunneling – overcoming exponential suppression



## Idea: new tunneling channels



#### Direct channels

#### Cross channel

 Tunneling electron excites the core while moving through the barrier
This channel is not subject to the full exponential suppression characteristic of the direct tunnel ionization from deeper orbitals.

Z. Walters, O. Smirnova J. Phys B 2010

L. Torlina, M. Ivanov, Z. Walters, O. Smirnova PRA, in press

Ion: few-level system driven by the laser field and correlation "pulse" (in complex time)



$$c_{mn} = \frac{0}{dt V_{corr}^{mn}(t) e} e^{-I_p t}$$

t is the time left before exiting the tunnel.

Correlation –induced excitation is an integral of Vcorr along the trajectory of the tunneling electron.

- Tunneling occurs in imaginary time
- Excitation amplitudes in the ion are the imprints of this dynamics

### **Comparison with numerical simulations**



əcryucı Patchkovskii, NRC, Ottawa



Michael Spanner, NRC, Ottawa

#### M. Spanner & S. Patchkovskii

Ab-initio close - coupling approach (Phys Rev A, 2010)

R

 $\widetilde{X} 2 \Pi g$ 

**MBI-Theory** 

3.5 eV

 $22\pm 11$ 

Ã2Πu

4.3eV

*CO*+2

Ip~13.8 eV

CO2

CO2 I=1.3 1014 W/cm2 , 800 nm, half cycle pulse

The NRC team made two simulations:

Uncoupled channels: ionization rate in channel A includes direct channel only

Coupled channels: ionization rate in channel A includes direct and cross-channels

## **Comparison numerical (NRC) vs analytical (MBI)**



Alignment angle, deg



## **Comparison numerical (NRC) vs analytical (MBI)**



**MBI-Theor** 

Alignment angle, deg

Direct and cross channels should interfere: phase is close to  $\pi/2$ 

## Time-resolving hole dynamic



# Can we detect tunneling from two orbitals?



### How to detect ionization from lower orbital?





### **Detecting signal from two orbitals**



Due to different ionization times, interference shifts optimal delay The shift is largest near destructive interference between the channels

### Results

Normalized HHG signal 1.41014 W/cm2 800nm, 2% of orthogonally polarized 400nm

CO2, aligned at 0 deg



He atom



**MBI-Theor** 

#### Theory

### Experiment

 $\pi/2$  phase shift marks the positions of dynamical minima.

Position of the phase jump identifies the initial phase between the hole states

D. Shafir et al, Nature 2012

## Conclusions

1. Tunneling delays:

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- No delays in one-electron systems
- No delays in multielectron systems without coupling between different hole states
- Delays might be possible due to electron-hole interaction during tunneling
- 2. Electron-hole interaction during tunneling can lead to non-trivial tunneling dynamics
- 3. Using multidimensional high harmonic spectroscopy to resolve these dynamics is our next goal



## **Our Method**

Analytical time-dependent R-Matrix (ARM):

- R-matrix-type partitioning of configuration space
- The eikonal-Volkov approach in the outer region
- Quantum chemistry in the inner region (for molecules)
- Matching the two using the Bloch operator approach
- The saddle point method



#### WKB

(Eikonal-Volkov states Smirnova et al PRA, 2008)



One electron:

Analytical ionization amplitude for arbitrary potentials. Benchmark:

- Same results as using the PPT method
  - for Hydrogen
  - for short range potentials
    - for linearly and circularly polarized fields

L. Torlina, O. Smirnova PRA, in press

J. Kaushal, O. Smirnova, in preparation

Advantages:

Arbitrary long-range potentials

Many electrons: Analytical ionization amplitudes including electron- electron correlation and core rearrangement during ionization

Gauge invariant, Technically much simpler than PPT

L. Torlina, M. Ivanov, Z. Walters, O. Smirnova, in press