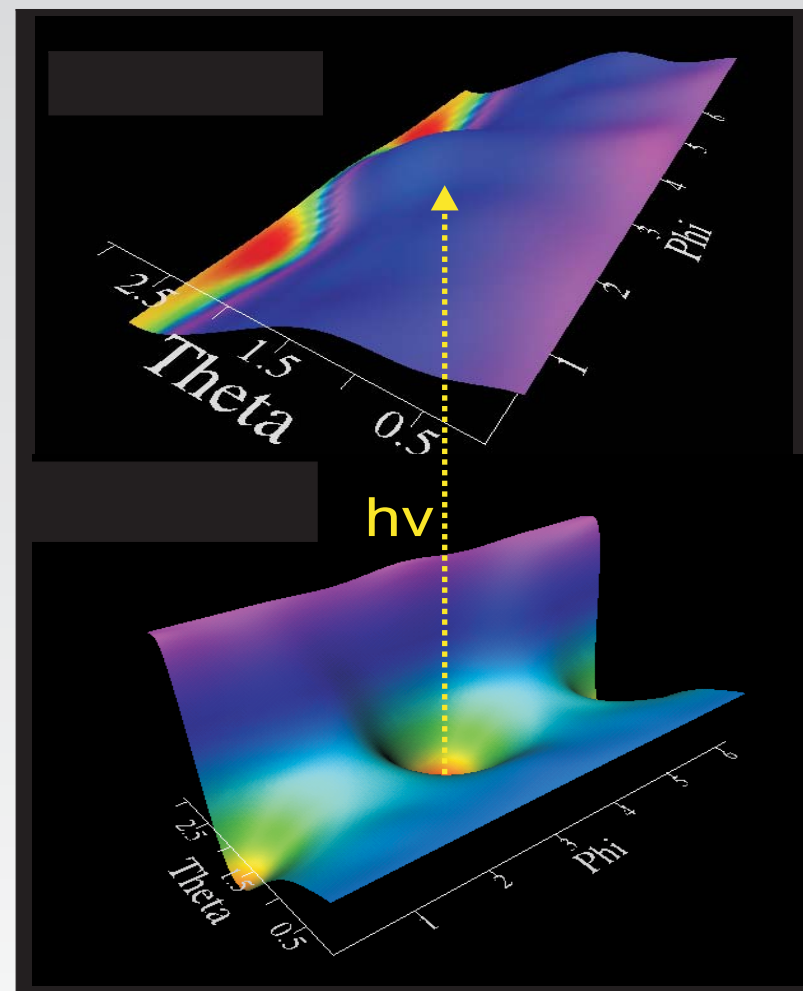
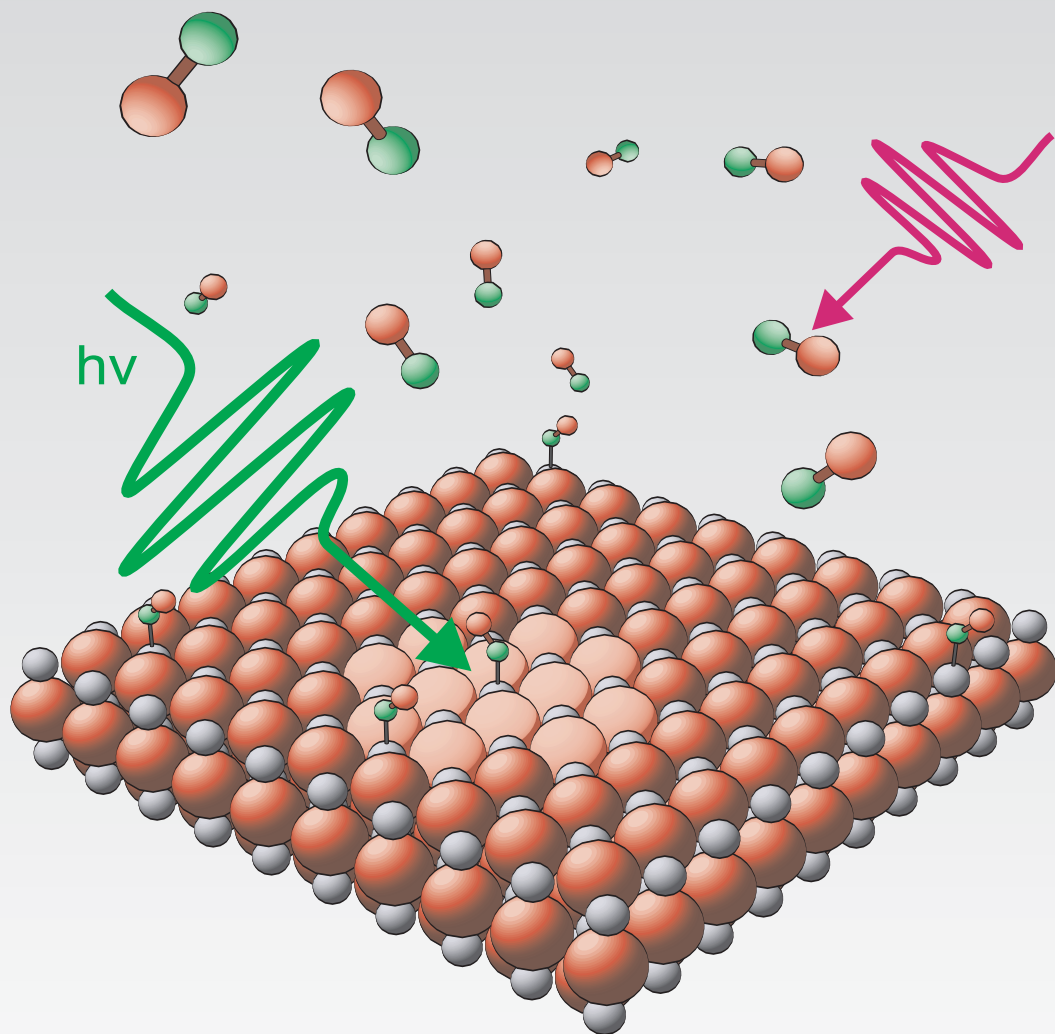


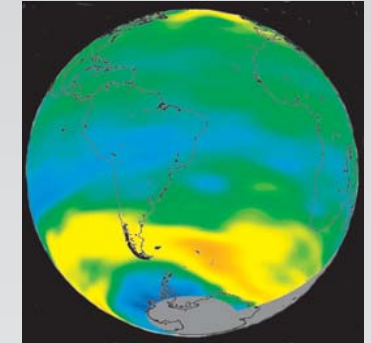
Photoinduced Dynamics at Surfaces



Thorsten Klüner
Theoretical Chemistry
University Oldenburg, Germany

Why Surface Photochemistry ?

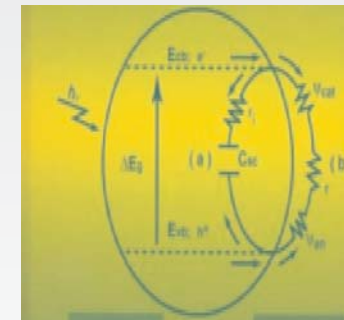
- Photochemical reactions at dust particles in our atmosphere



- Interstellar chemical reactions



- Heterogeneous photocatalysis (light acting as reagent)



Chemical reactions at surfaces under influence of light

Photocatalysis: Titanium dioxide (TiO₂)



**self-cleaning
surfaces**



**anti-fog
coating**



**anti-bacterial
coating**

Photocatalysis: Titanium dioxide (TiO_2)



**self-cleaning
surfaces**



**anti-fog
coating**

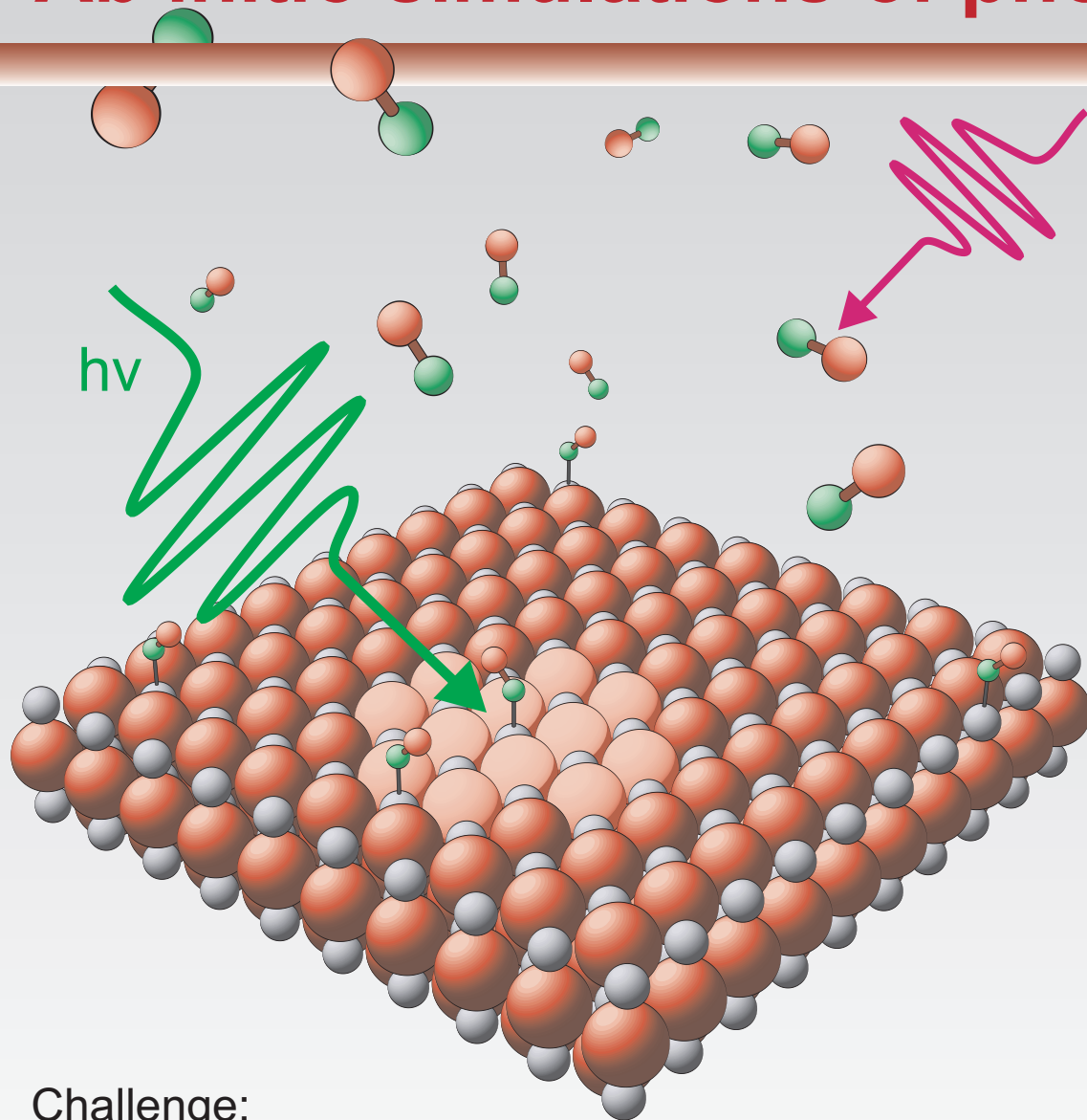


**anti-bacterial
coating**

***goal: microscopic understanding of
photochemical elementary processes on surfaces
by: reduction of intrinsic complexity of phenomenon under study***

Ab initio simulations of photochemistry on surfaces

Ab initio simulations of photochemistry on surfaces



REDUCE COMPLEXITY!

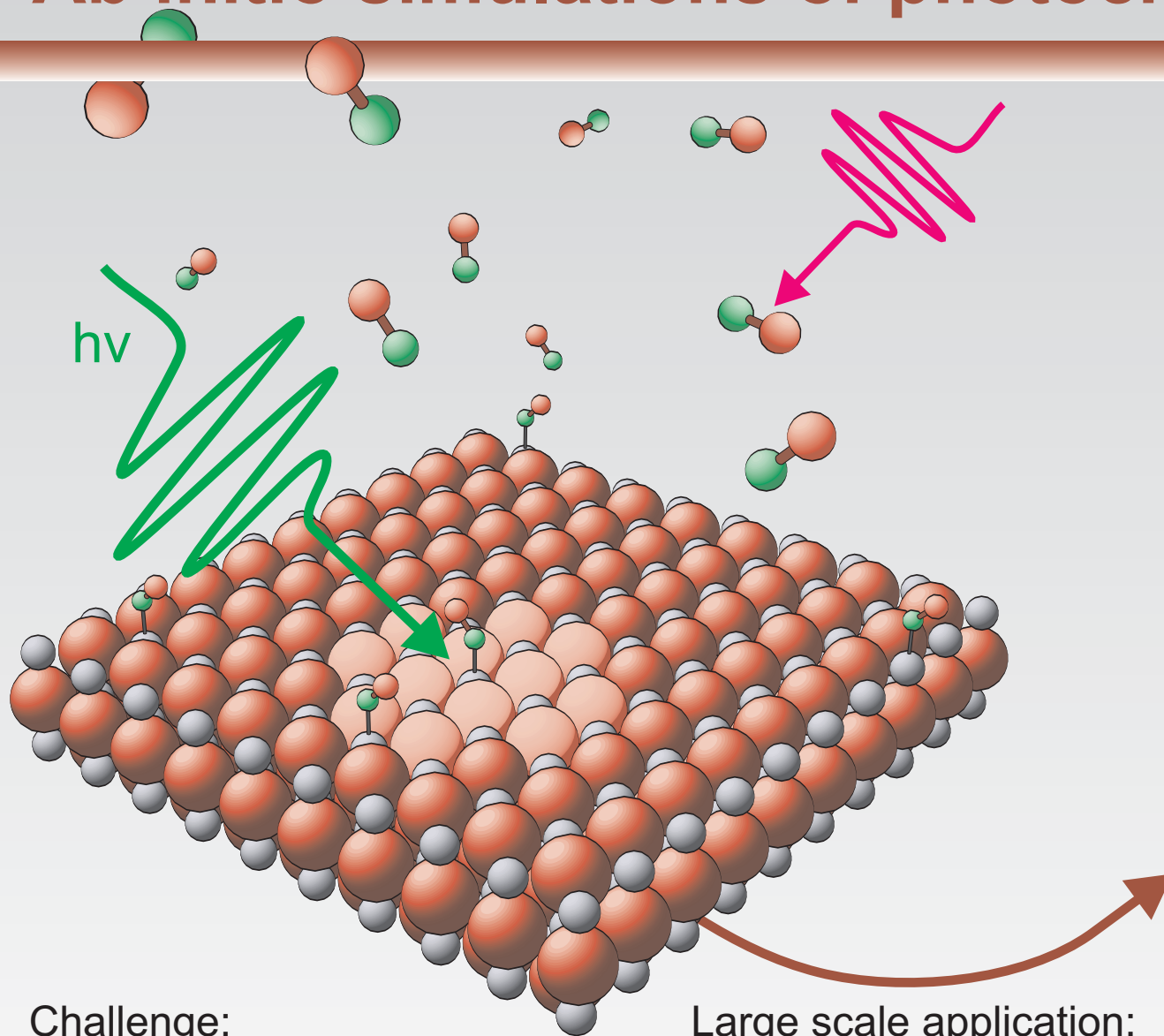
Simplest elementary reaction:

**Laser-induced desorption
of diatomic molecules
from “simple” surfaces**

Challenge:

- understanding of
- 1) surface photochemistry
 - 2) surface spectroscopy

Ab initio simulations of photochemistry on surfaces

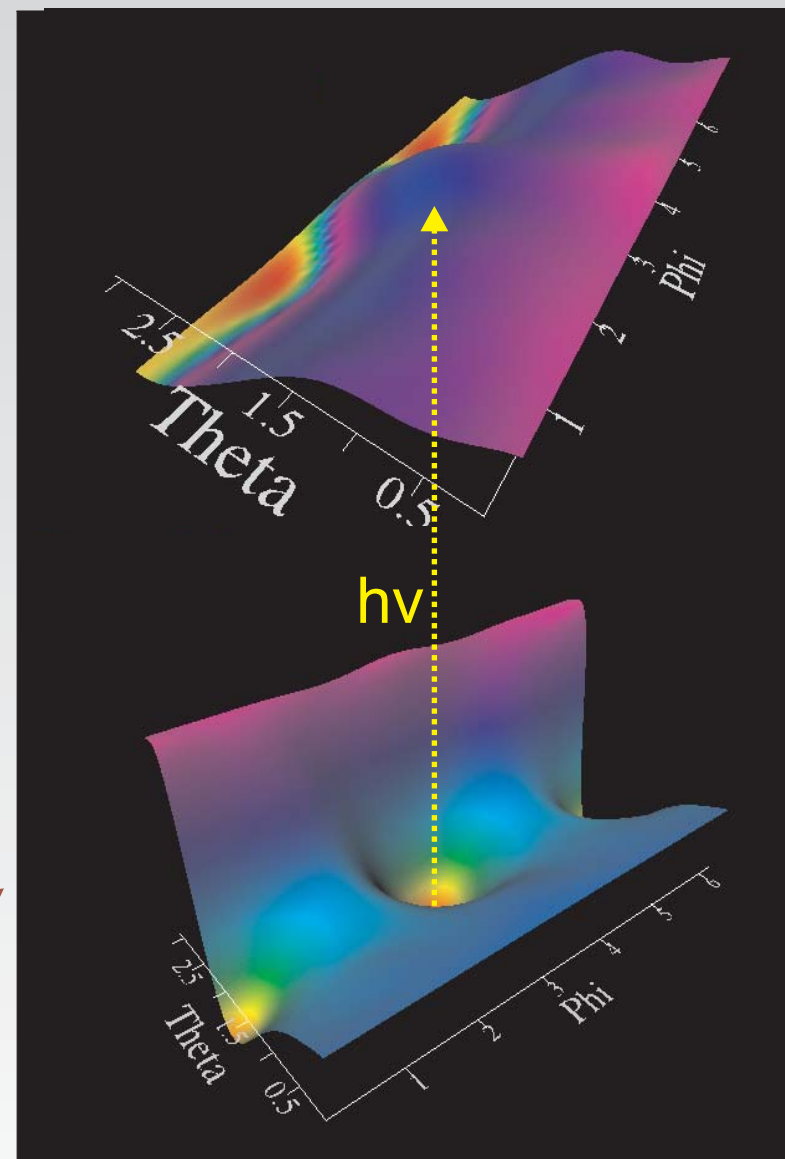


Challenge:

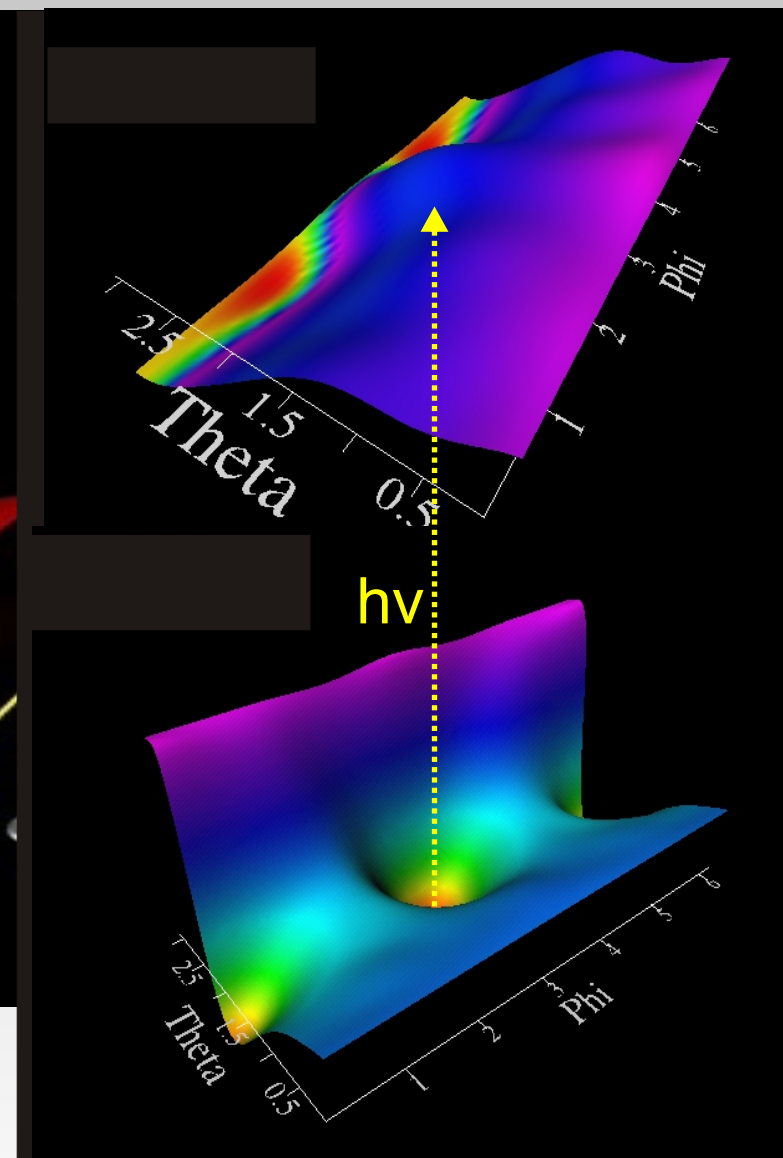
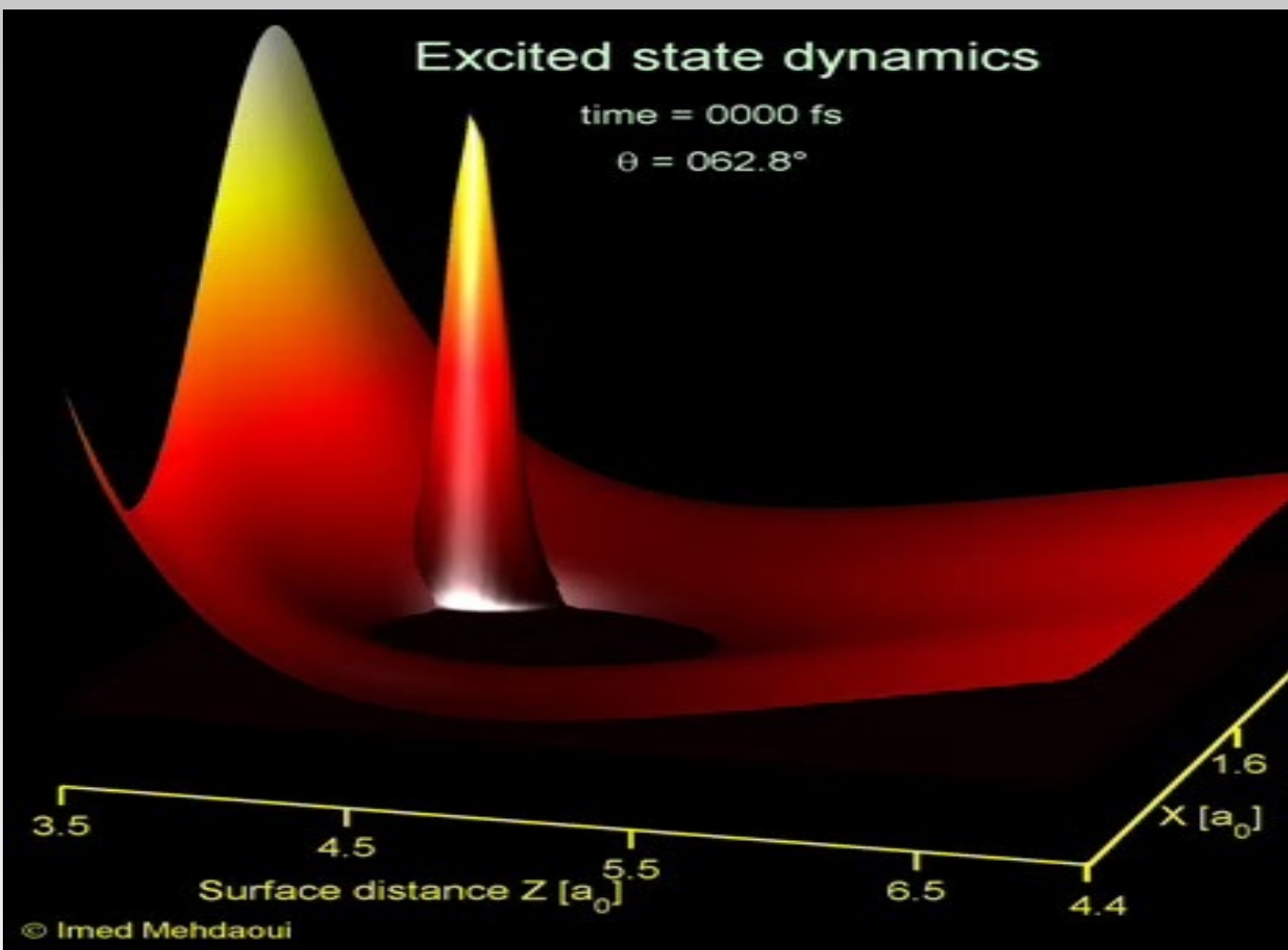
- 1) surface photochemistry
- 2) surface spectroscopy

Large scale application:

high dimensional quantum dynamics
on ab initio potential energy surfaces



Ab initio simulations of photochemistry on surfaces



Challenge:

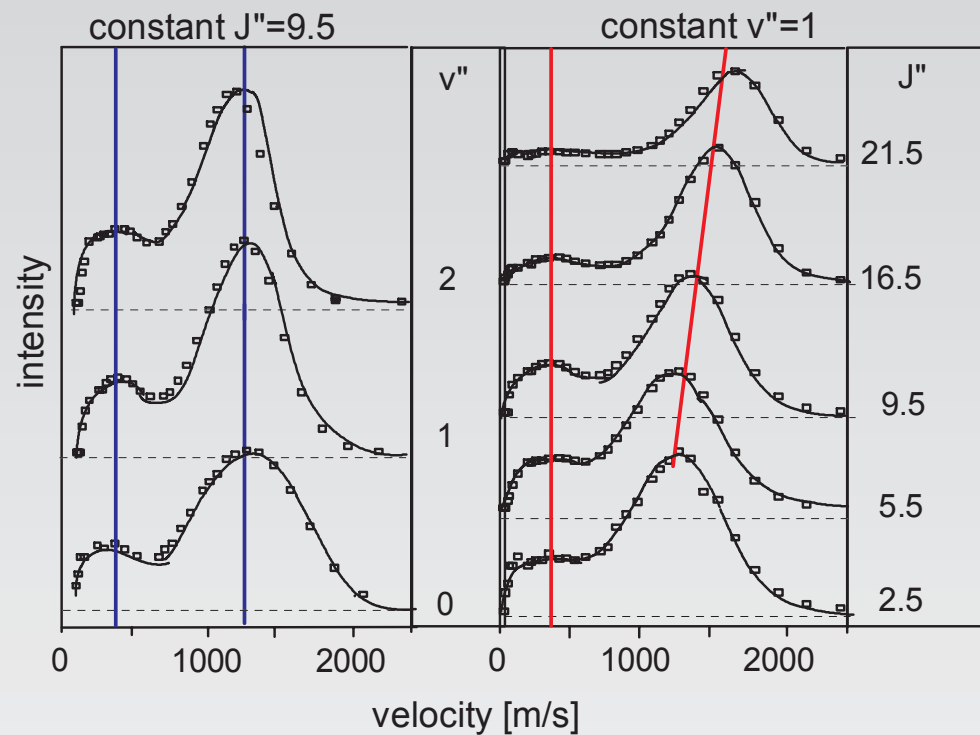
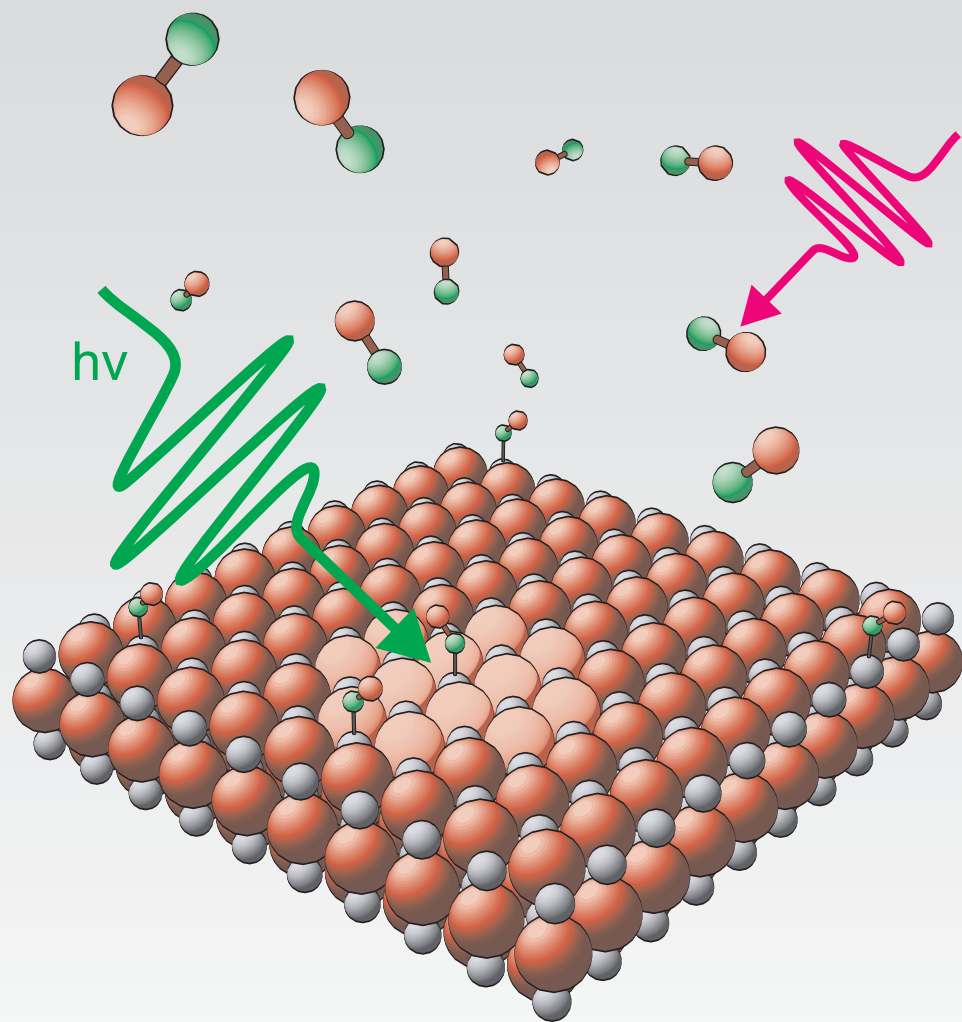
- understanding of
- 1) surface photochemistry
 - 2) surface spectroscopy

Large scale application:

high dimensional quantum dynamics
on ab initio potential energy surfaces

Photodesorption: NO/NiO(100)

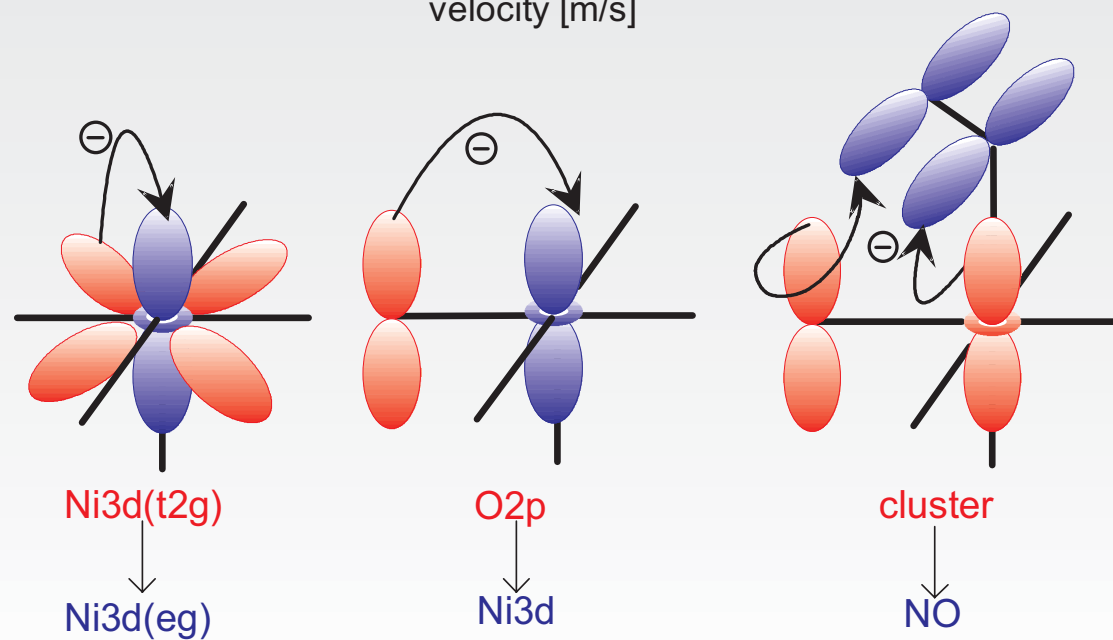
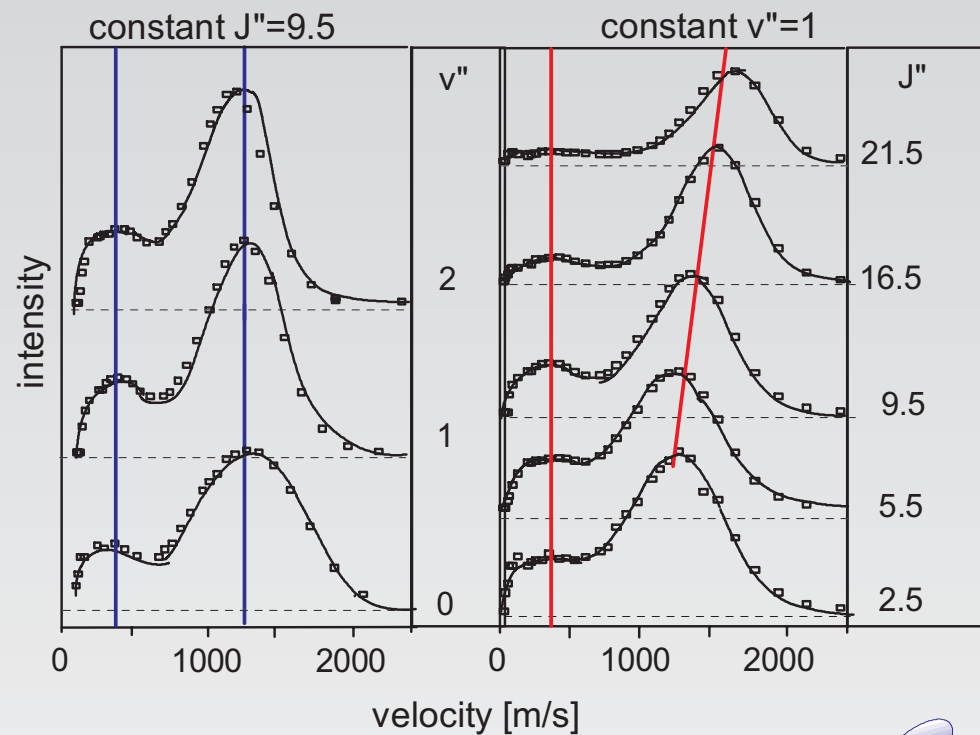
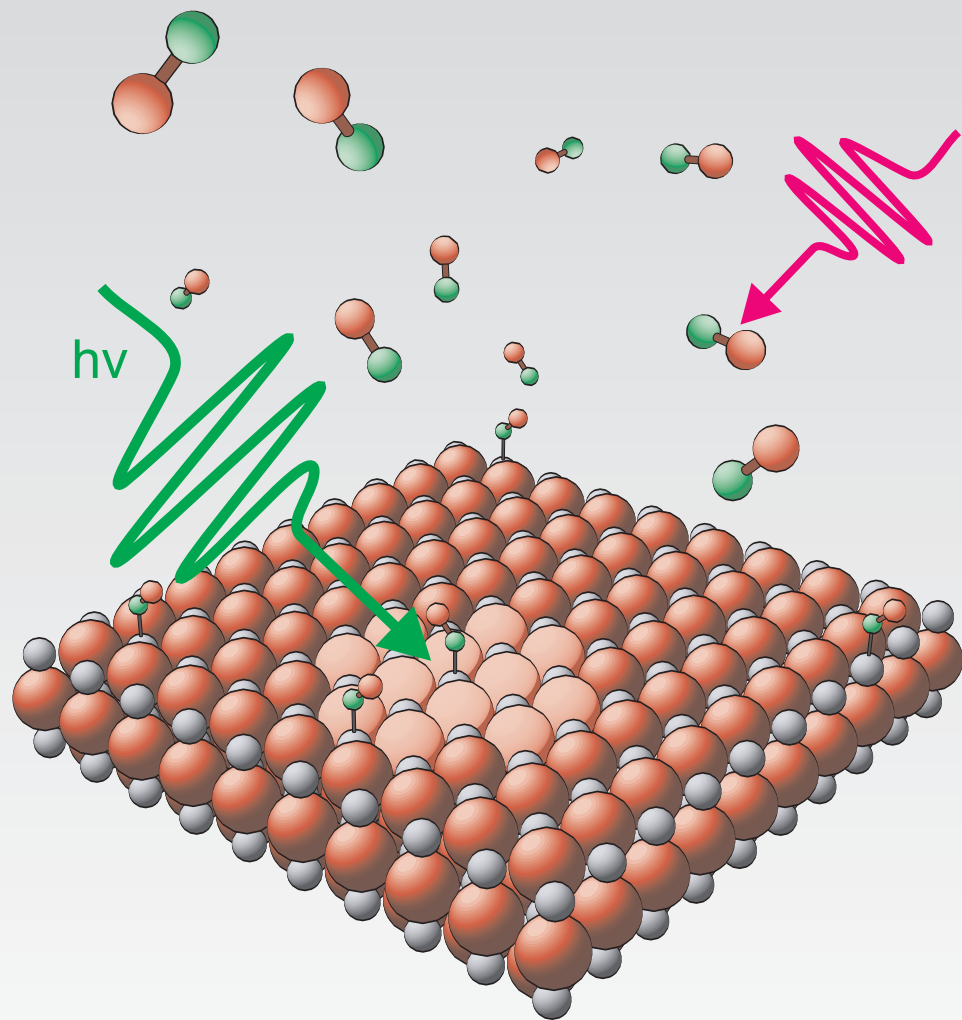
Rempi-Experiment



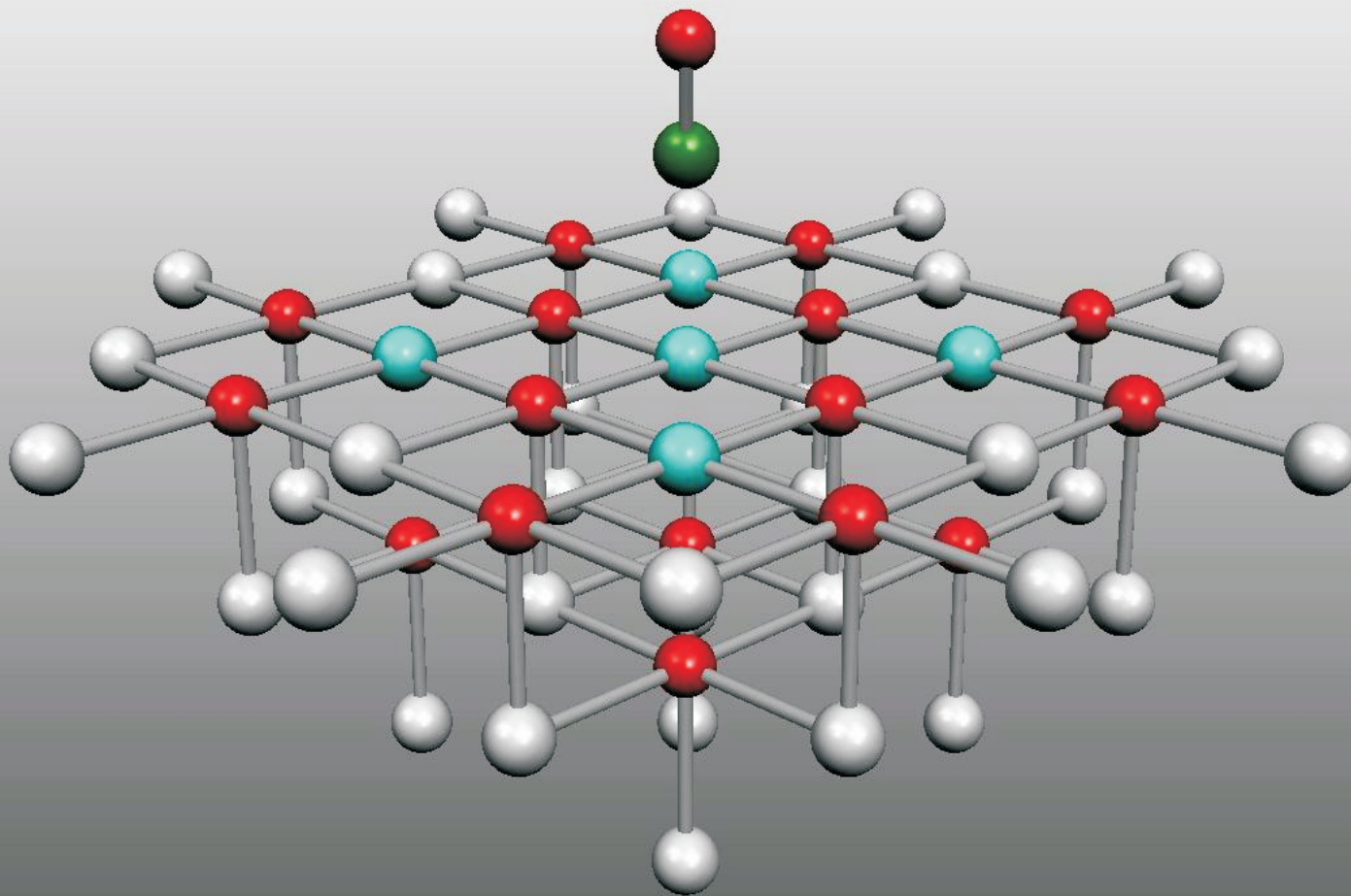
T. Mull et al., J. Chem. Phys. **96**, 7108 (1992)

Photodesorption: NO/NiO(100)

Rempi-Experiment



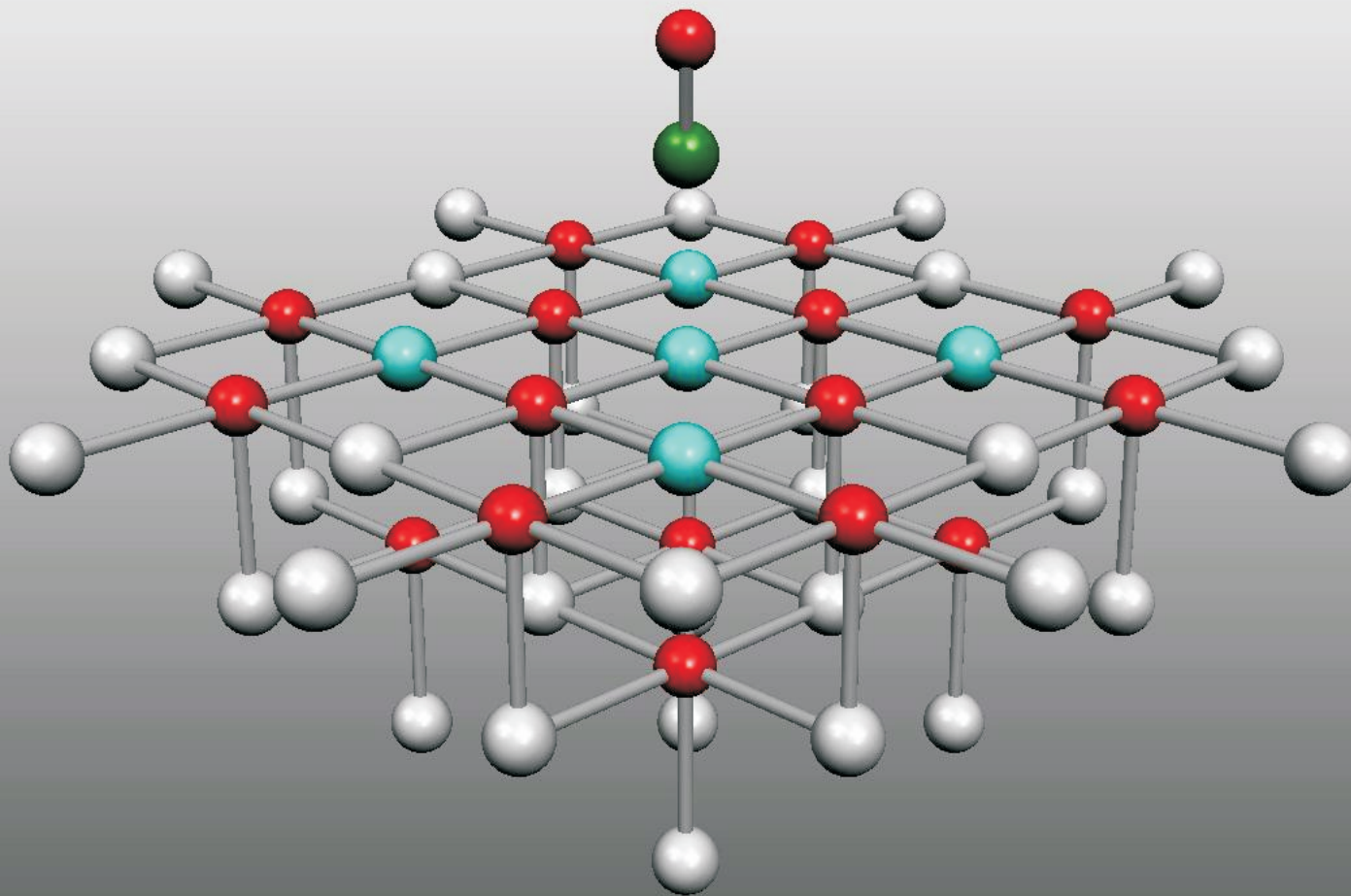
$\text{Ni}_5\text{O}_{17}\text{Mg}_{33}^{42+}$ /point charge field (not shown)



Cluster Models
reliable for substrates
with localized
electronic structure

~~DFT~~

$\text{Ni}_5\text{O}_{17}\text{Mg}_{33}^{42+}$ /point charge field (not shown)



Convergence studies

- cluster size
 - degrees of freedom
 - basis set
 - active space
 - correlation model
- systematic hierarchy**
(CASSCF, CASPT-2
CCSD, CCSD(T))

for

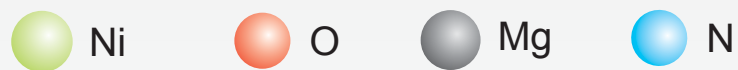
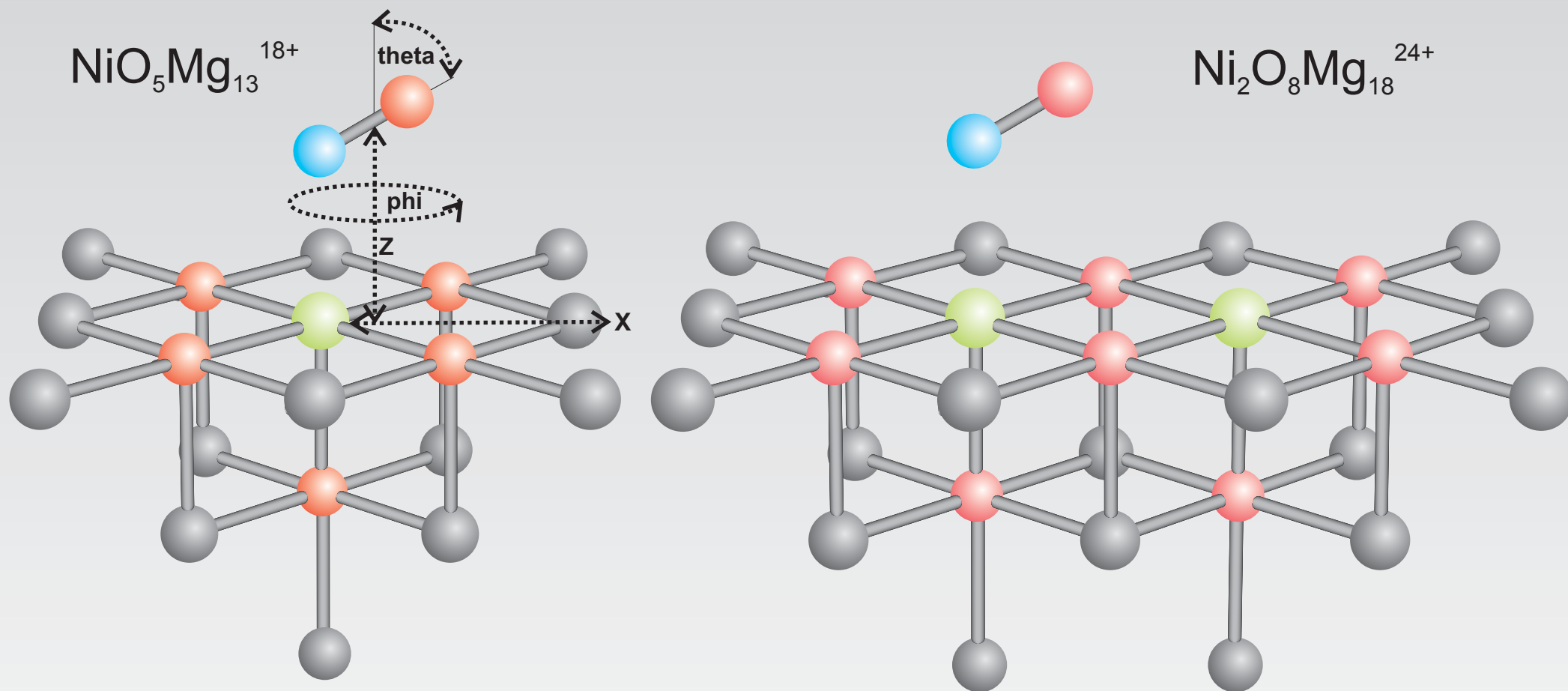
ground state

and

excited states

Photodesorption: NO/NiO(100)

Cluster Models

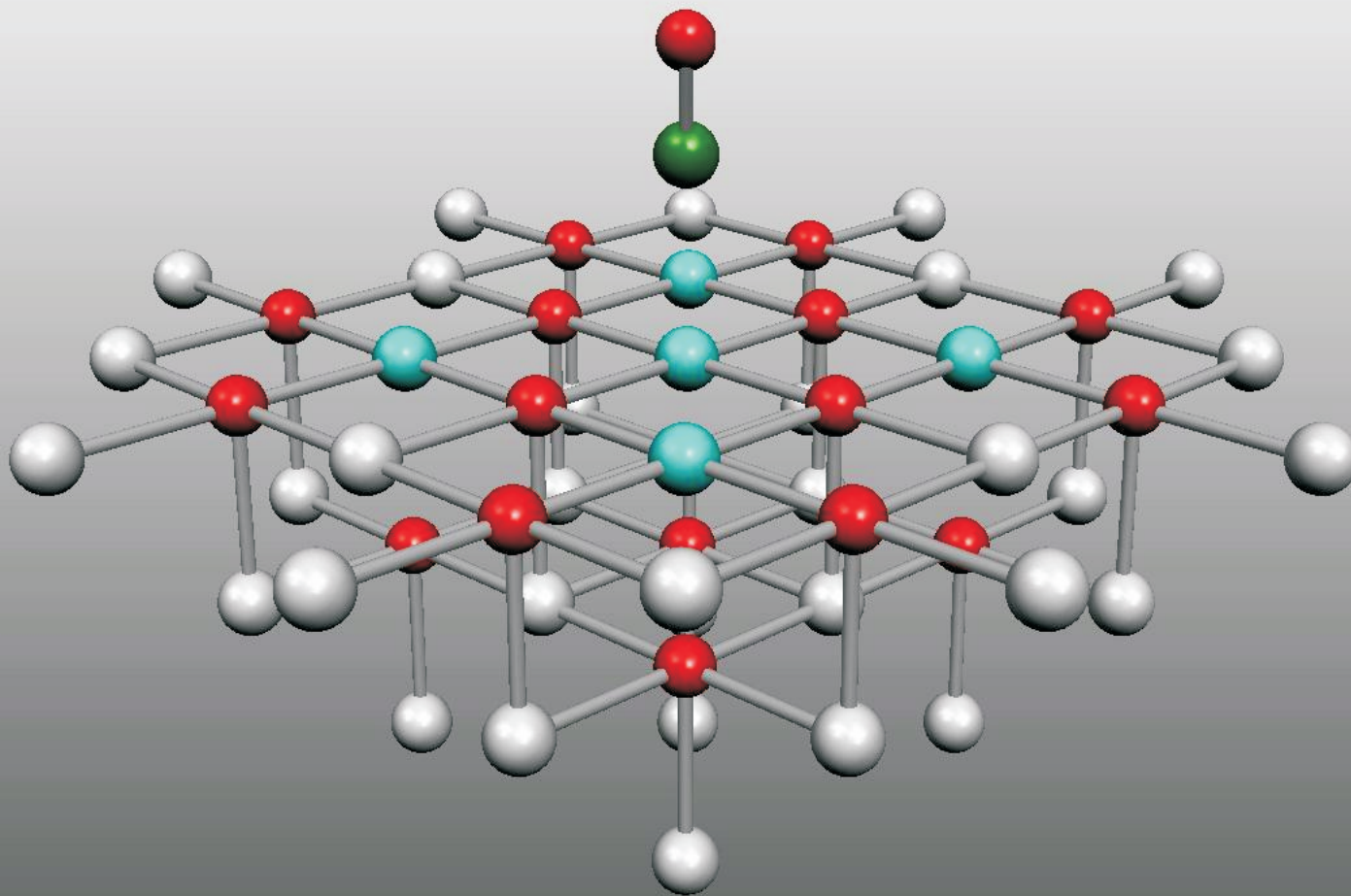


Point charge field not shown

Ground state: CASSCF/CASPT-2

Excited state: CASSCF/CI

$\text{Ni}_5\text{O}_{17}\text{Mg}_{33}^{42+}$ /point charge field (not shown)



Convergence studies

- cluster size
 - degrees of freedom
 - basis set
 - active space
 - correlation model
- systematic hierarchy**
(CASSCF, CASPT-2
CCSD, CCSD(T))

for

ground state

and

excited states

Cluster Model	Adsorption Energy/eV	
	CASSCF(2n+1,2n+1)	CASPT2
NO-(NiO ₅ Mg ₁₃) ¹⁸⁺ /PCF	0.46 (0.37)	-0.34 (-0.70)
NO-(Ni ₂ O ₈ Mg ₁₈) ²⁴⁺ /PCF	0.46 (0.37)	-0.38 (-0.74)
NO-(Ni ₃ O ₁₁ Mg ₂₃) ³⁰⁺ /PCF	0.46 (0.37)	-0.41 (-0.79)
NO-(Ni ₅ O ₁₇ Mg ₃₃) ⁴²⁺ /PCF	0.46 (0.37)	-0.46 (-0.87)
experiment		-0.57

Results obtained with (smaller) basis set 1

Values without BSSE correction are in parentheses

Cluster Model	Adsorption Energy/eV	
	CASSCF(2n+1,2n+1)	CASPT2
NO-(NiO ₅ Mg ₁₃) ¹⁸⁺ /PCF	0.46 (0.37)	-0.34 (-0.70)
NO-(Ni ₂ O ₈ Mg ₁₈) ²⁴⁺ /PCF	0.46 (0.37)	-0.38 (-0.74)
NO-(Ni ₃ O ₁₁ Mg ₂₃) ³⁰⁺ /PCF	0.46 (0.37)	-0.41 (-0.79)
NO-(Ni ₅ O ₁₇ Mg ₃₃) ⁴²⁺ /PCF	0.46 (0.37)	-0.46 (-0.87)
experiment		-0.57

Results obtained with (smaller) basis set 1

Values without BSSE correction are in parentheses

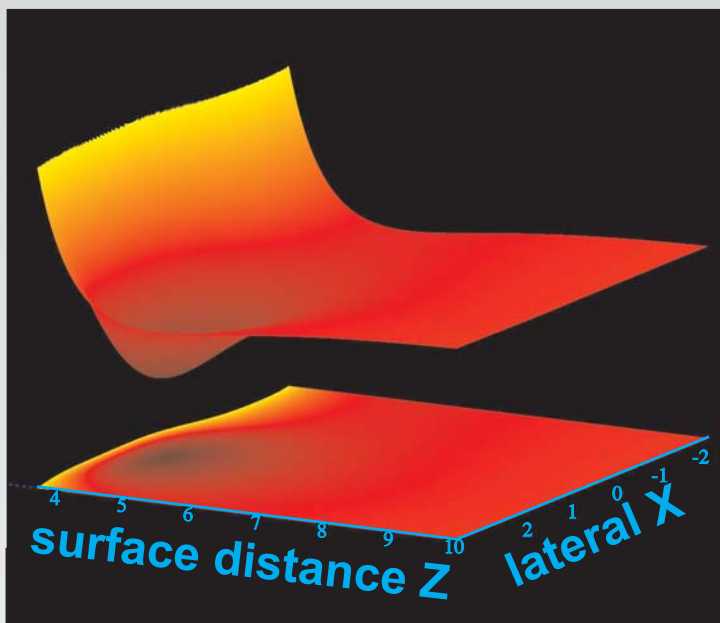
One-particle basis error (see above): -0.07 eV

Zero point energy correction: +0.03 eV

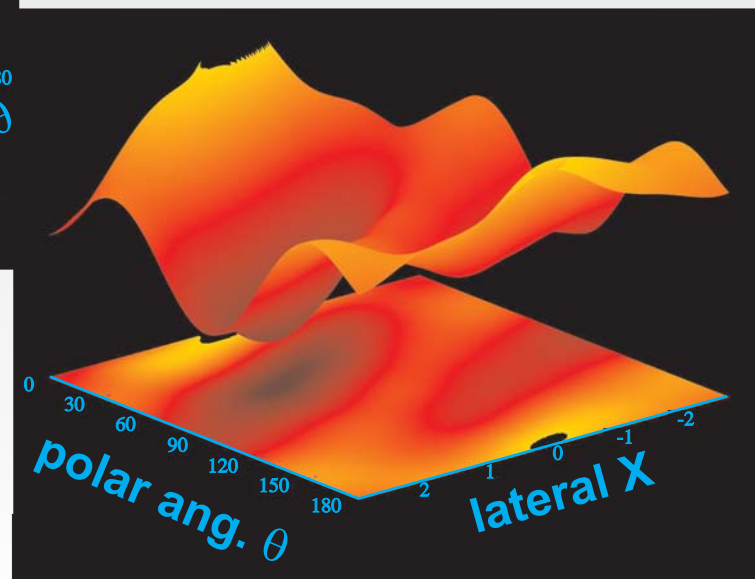
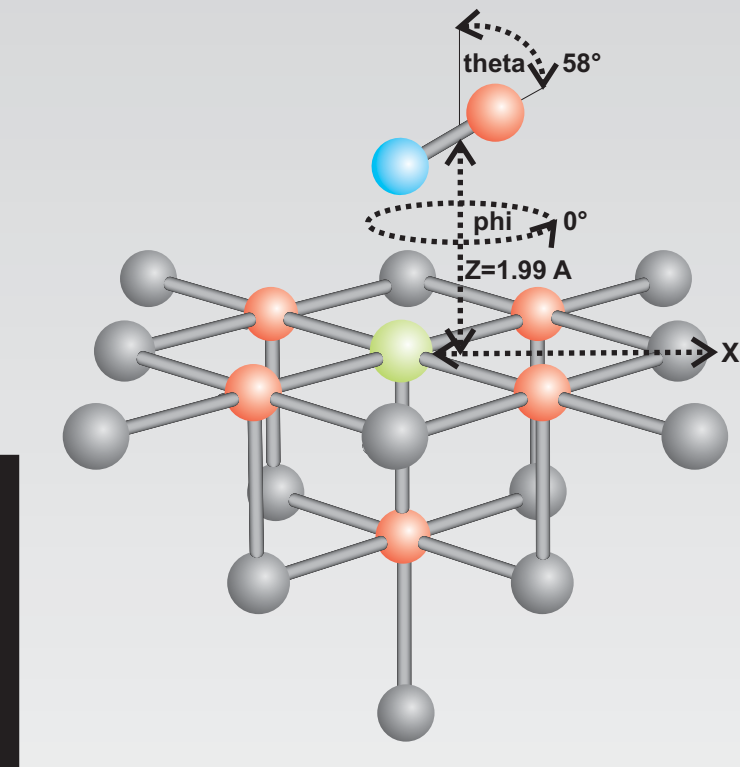
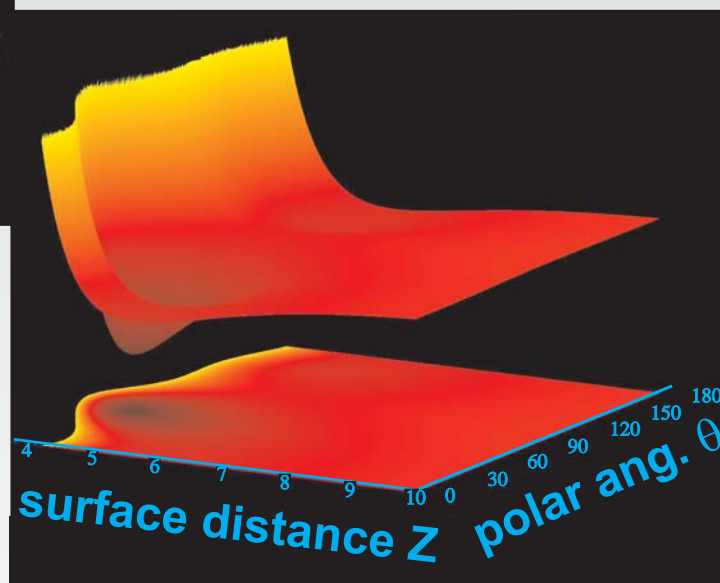
Best estimate of adsorption energy: -0.46 eV -0.07 eV +0.03 eV = -0.50 eV

Photodesorption: NO/NiO(100)

Ground state

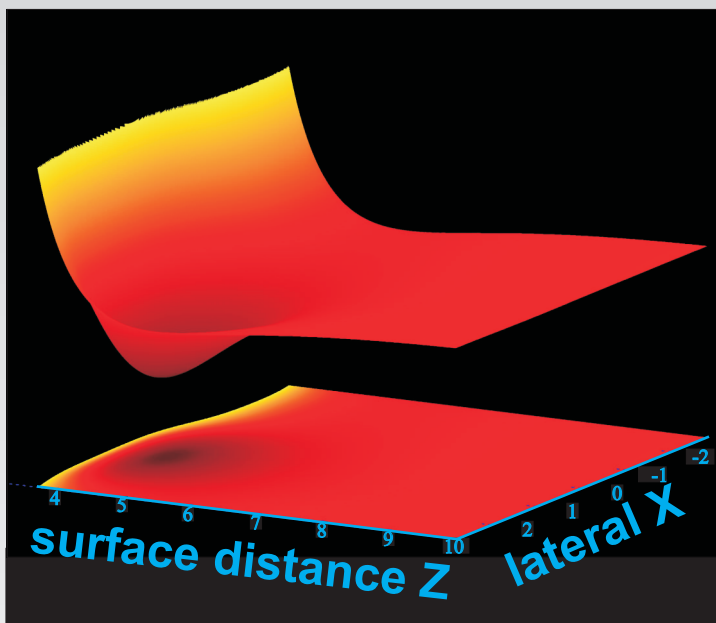


CASSCF
CASPT-2

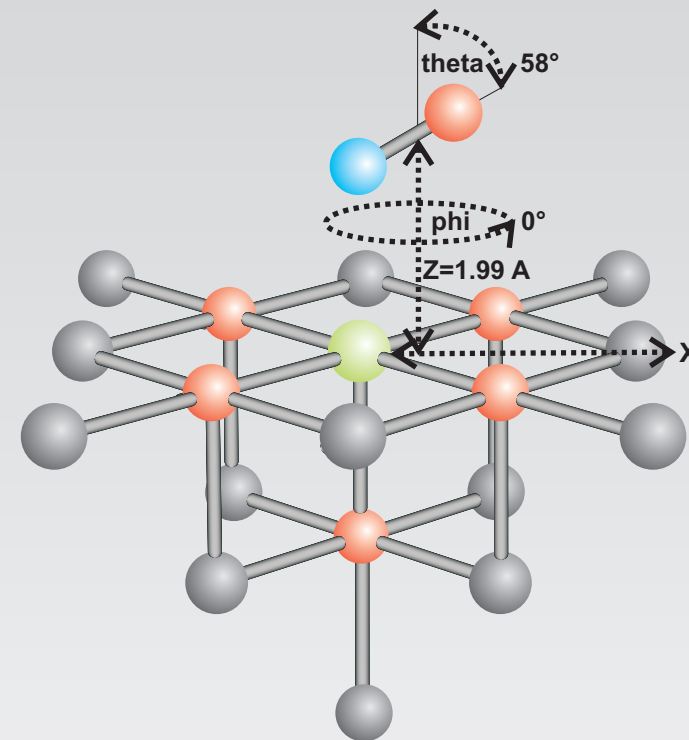


Photodesorption: NO/NiO(100)

Ground state



CASSCF
CASPT-2



PES global minimum:

$Z=1.99 \text{ \AA}$

$\theta=59^\circ$

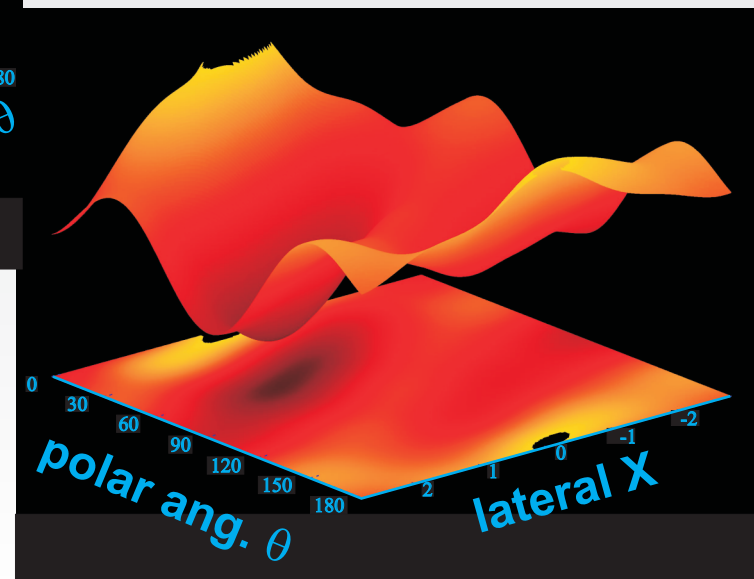
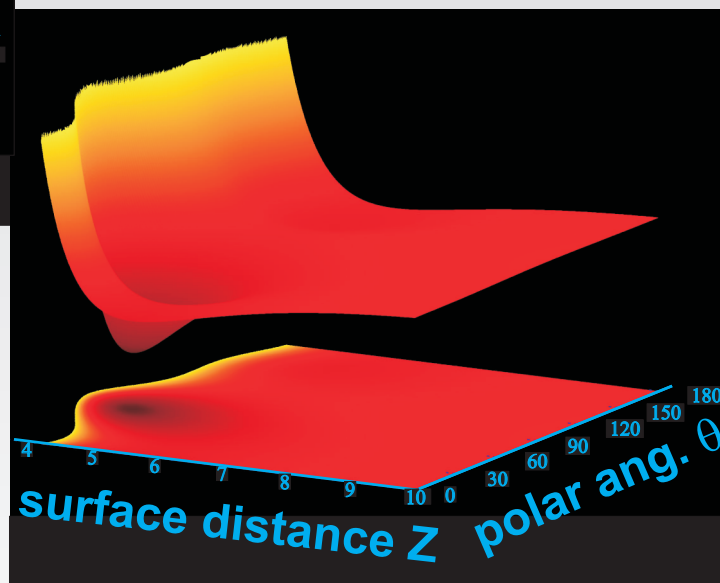
$E_{\text{ads}}=0.50 \text{ eV}$

Experiment [1,2]:

$Z=1.88 \text{ \AA}$

$\theta=61^\circ$

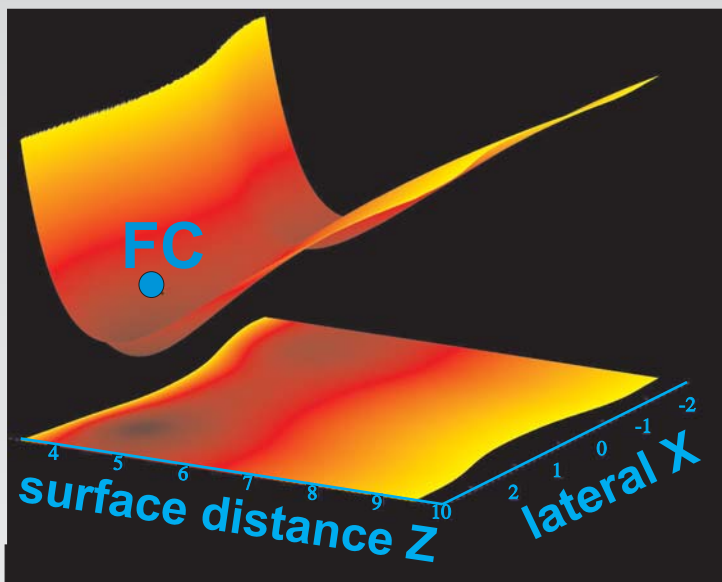
$E_{\text{ads}}=0.57 \text{ eV}$



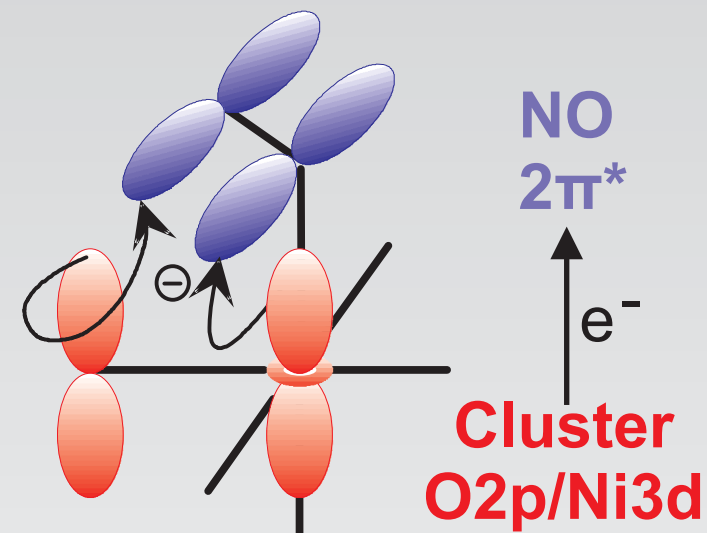
- [1] R. Linday et al,
Surf. Sci. **425** L401 (1999)
[2] R. Wichtendahl et al.
Surf. Sci. **423**, 90 (1999)

Photodesorption: NO/NiO(100)

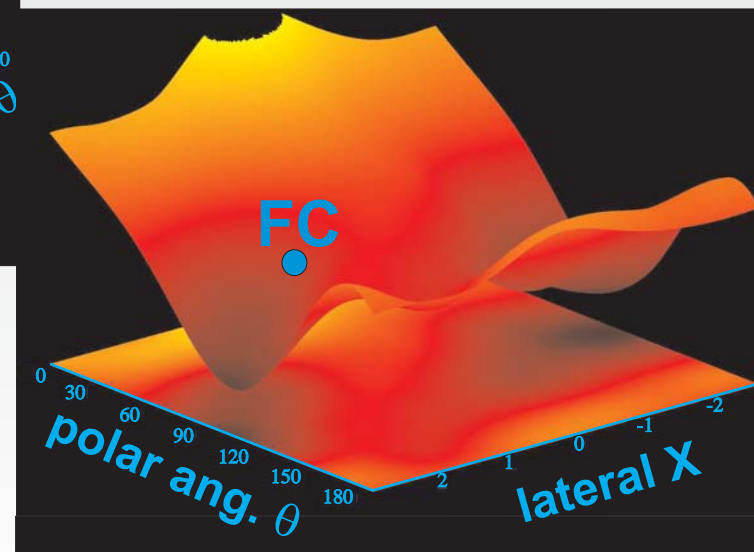
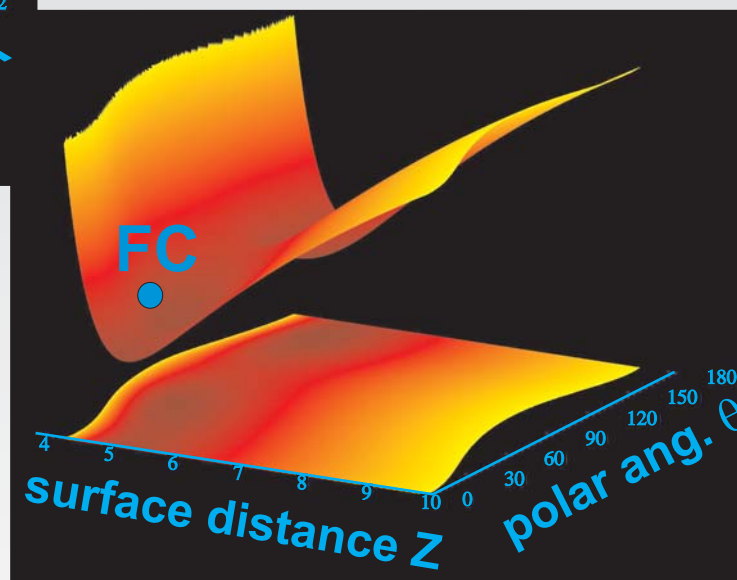
Excited state



CASSCF/CI

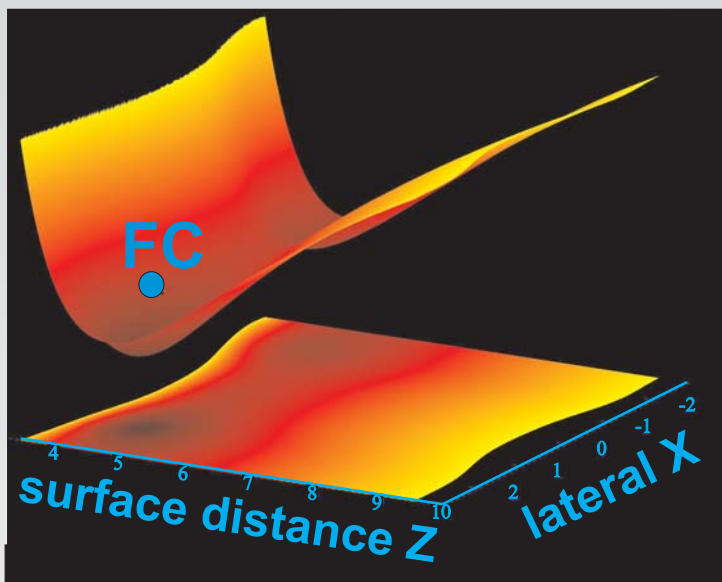


NO^- -like intermediate

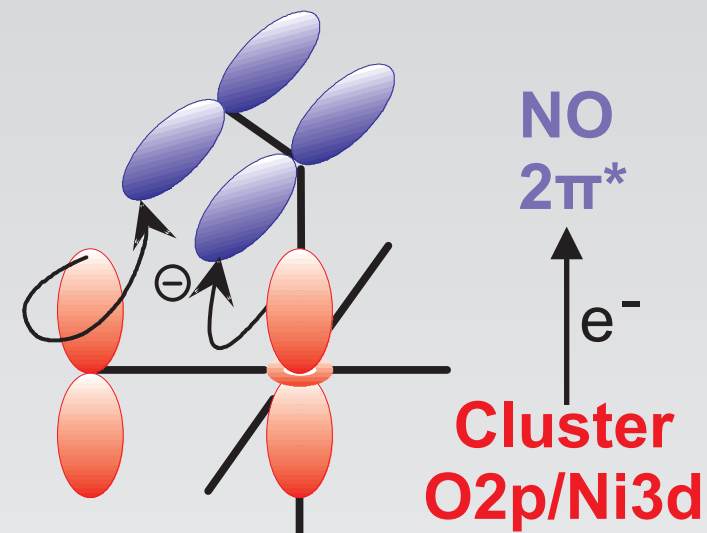


Photodesorption: NO/NiO(100)

Excited state

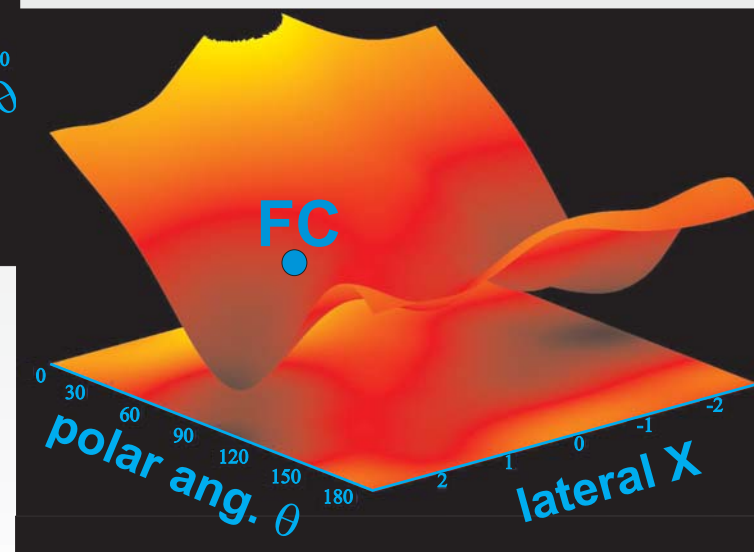
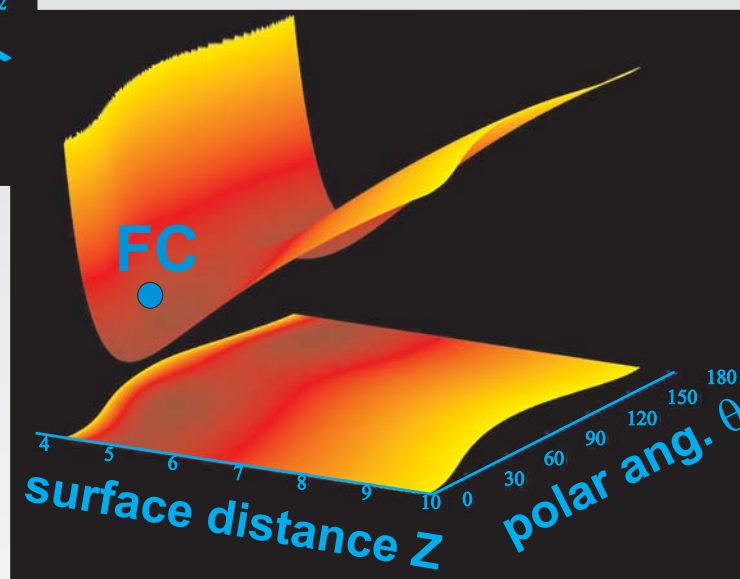


CASSCF/CI



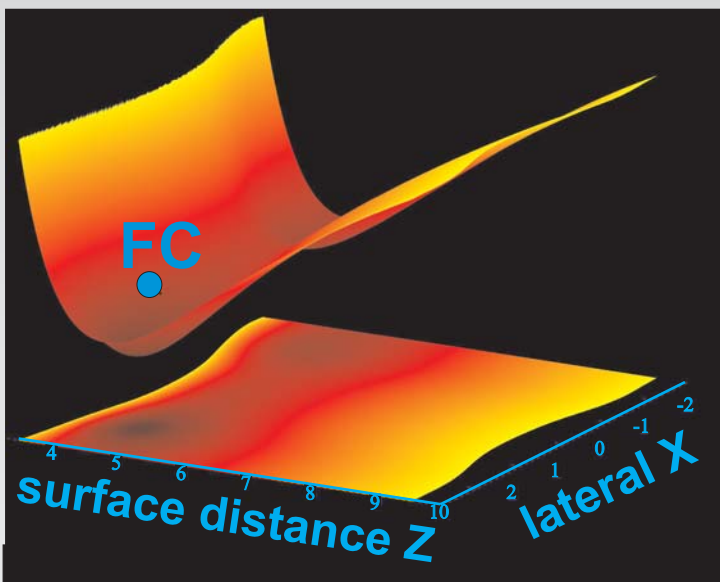
NO^- -like intermediate

- Electrostatic forces dominate topology
- strong coupling of Z, X, and Θ

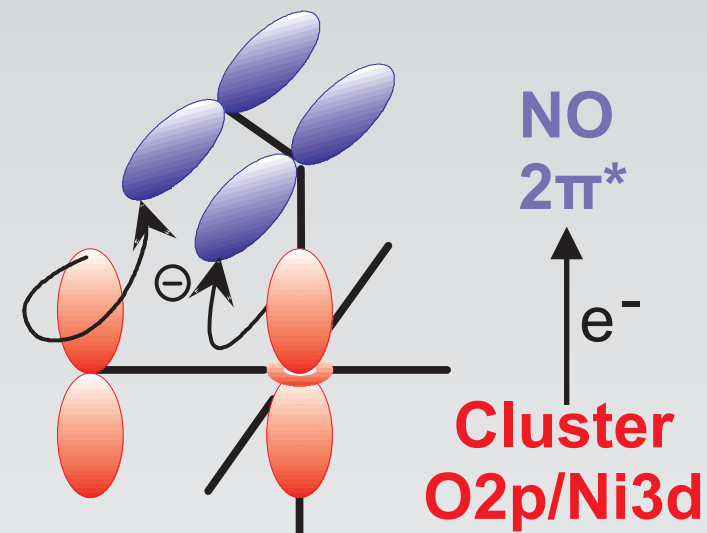


Photodesorption: NO/NiO(100)

Excited state

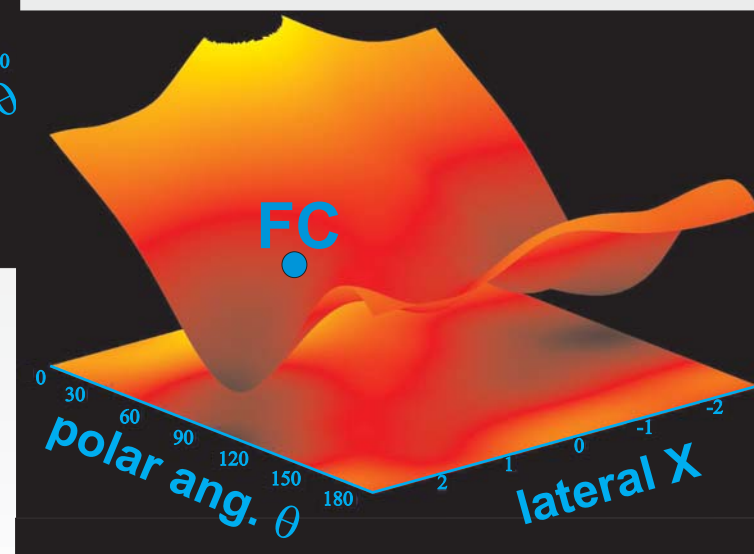
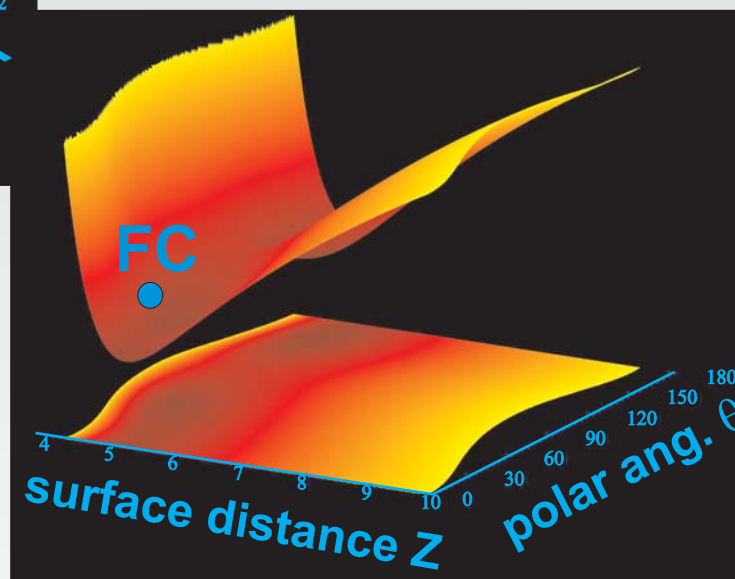


CASSCF/CI



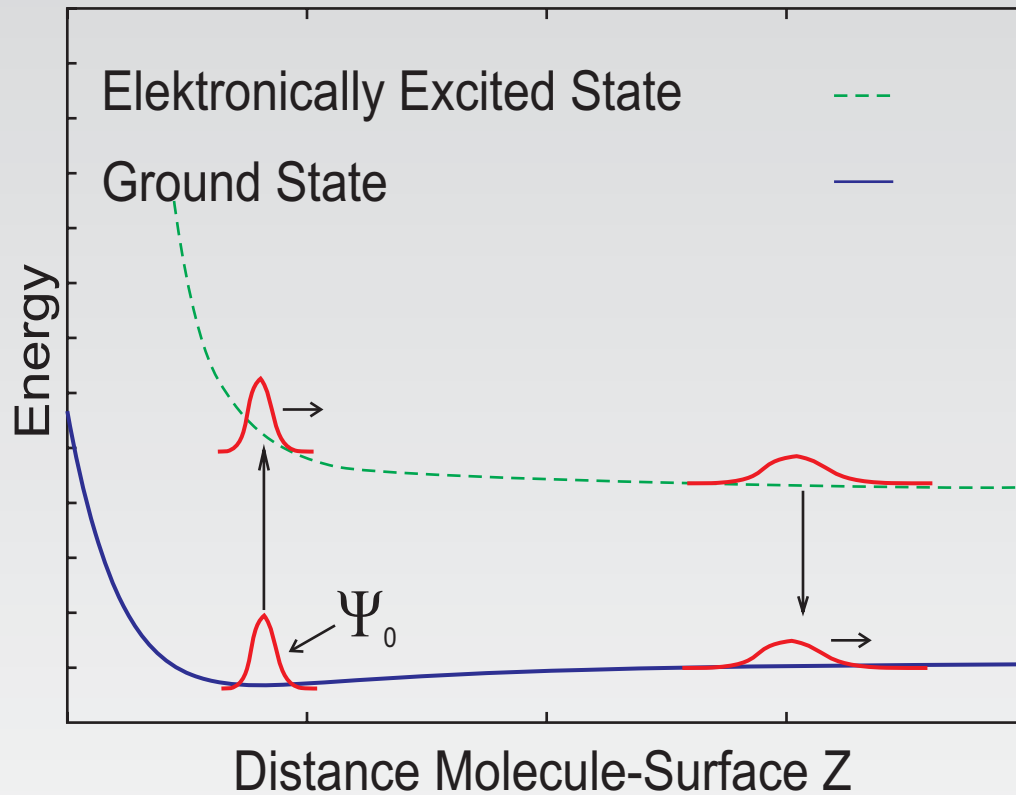
NO^- -like intermediate

- Electrostatic forces dominate topology
- strong coupling of Z , X , and Θ

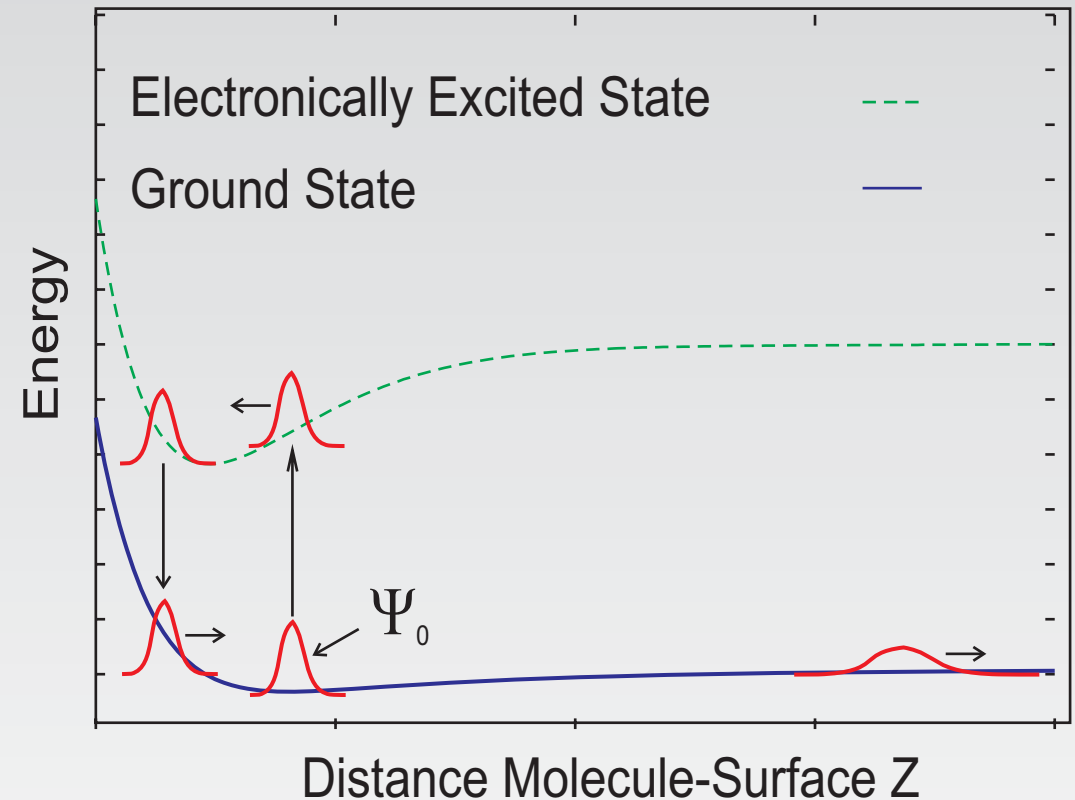


Ab initio potential energy surfaces:
prerequisite for subsequent
quantum wave packet dynamics

MGR Mechanism^{9,10}



Antoniewicz Mechanism⁸



[8] P. R. Antoniewicz *Phys. Rev. Lett. B* **21**, 3811 (1980).

[9] D. Menzel und R. Gomer, *J. Chem. Phys.* **41**, 3311 (1964).

[10] P. A. Redhead, *Can. J. Phys.* **42**, 886 (1964).

Time dependent Schrödinger equation:

$$\hat{H}(q, t)\Psi(q, t) = i\hbar \frac{\partial}{\partial t} \Psi(q, t)$$

$$\Psi(q, t) = \exp\left(-\frac{i}{\hbar} \hat{H}t\right) \Psi(q, t = 0)$$

→ Time evolution of nuclear wave function
on potential surface

Time dependent Schrödinger equation:

$$\hat{H}(q, t)\Psi(q, t) = i\hbar \frac{\partial}{\partial t} \Psi(q, t)$$

$$\Psi(q, t) = \exp\left(-\frac{i}{\hbar} \hat{H}t\right) \Psi(q, t = 0)$$

→ Time evolution of nuclear wave function on potential surface

Hamiltonian

$$\begin{aligned} \hat{H}(Z, X, \theta, \phi) = & -\frac{1}{2M} \frac{\partial^2}{\partial Z^2} - \frac{1}{2M} \frac{\partial^2}{\partial X^2} \\ & - \frac{1}{2I} \left(\frac{1}{\sin \theta} \frac{\partial}{\partial \theta} \sin \theta \frac{\partial}{\partial \theta} + \frac{1}{\sin^2 \theta} \frac{\partial^2}{\partial \phi^2} \right) \\ & + \hat{V}(Z, X, \theta, \phi) \end{aligned}$$

Ab initio
Potential Surface

Time dependent Schrödinger equation:

$$\hat{H}(q, t)\Psi(q, t) = i\hbar \frac{\partial}{\partial t} \Psi(q, t)$$

$$\Psi(q, t) = \exp\left(-\frac{i}{\hbar} \hat{H}t\right) \Psi(q, t=0)$$

→ Time evolution of nuclear wave function on potential surface

Hamiltonian

$$\begin{aligned} \hat{H}(Z, X, \theta, \phi) = & -\frac{1}{2M} \frac{\partial^2}{\partial Z^2} - \frac{1}{2M} \frac{\partial^2}{\partial X^2} \\ & - \frac{1}{2I} \left(\frac{1}{\sin \theta} \frac{\partial}{\partial \theta} \sin \theta \frac{\partial}{\partial \theta} + \frac{1}{\sin^2 \theta} \frac{\partial^2}{\partial \phi^2} \right) \\ & + \hat{V}(Z, X, \theta, \phi) \end{aligned}$$

Ab initio
Potential Surface

Stochastic Wave Packet Calculations:

Excitation-Deexcitation cycle (Jumping Wavepackets):

$$\Psi(t; t_n) = e^{-i\hat{H}_{gr}(t-t_n)} \cdot e^{-i\hat{H}_{ex}t_n} \cdot \Psi(0)$$

- FC-Excitation without explicit treatment of laser pulse

Time dependent Schrödinger equation:

$$\hat{H}(q, t)\Psi(q, t) = i\hbar \frac{\partial}{\partial t} \Psi(q, t)$$

$$\Psi(q, t) = \exp\left(-\frac{i}{\hbar} \hat{H}t\right) \Psi(q, t=0)$$

→ Time evolution of nuclear wave function on potential surface

Hamiltonian

$$\hat{H}(Z, X, \theta, \phi) = -\frac{1}{2M} \frac{\partial^2}{\partial Z^2} - \frac{1}{2M} \frac{\partial^2}{\partial X^2} - \frac{1}{2I} \left(\frac{1}{\sin \theta} \frac{\partial}{\partial \theta} \sin \theta \frac{\partial}{\partial \theta} + \frac{1}{\sin^2 \theta} \frac{\partial^2}{\partial \phi^2} \right) + \hat{V}(Z, X, \theta, \phi)$$

Ab initio
Potential Surface

Stochastic Wave Packet Calculations:

Excitation-Deexcitation cycle (Jumping Wavepackets):

$$\Psi(t; t_n) = e^{-i\hat{H}_{gr}(t-t_n)} \cdot e^{-i\hat{H}_{ex}t_n} \cdot \Psi(0)$$

- FC-Excitation without explicit treatment of laser pulse

Asymptotic Observables

$$A(t; t_n) = \left\langle \Psi(t; t_n) \left| \hat{A} \right| \Psi(t; t_n) \right\rangle$$

Time dependent Schrödinger equation:

$$\hat{H}(q, t)\Psi(q, t) = i\hbar \frac{\partial}{\partial t} \Psi(q, t)$$

$$\Psi(q, t) = \exp\left(-\frac{i}{\hbar} \hat{H}t\right) \Psi(q, t=0)$$

→ Time evolution of nuclear wave function on potential surface

Hamiltonian

$$\hat{H}(Z, X, \theta, \phi) = -\frac{1}{2M} \frac{\partial^2}{\partial Z^2} - \frac{1}{2M} \frac{\partial^2}{\partial X^2} - \frac{1}{2I} \left(\frac{1}{\sin \theta} \frac{\partial}{\partial \theta} \sin \theta \frac{\partial}{\partial \theta} + \frac{1}{\sin^2 \theta} \frac{\partial^2}{\partial \phi^2} \right) + \hat{V}(Z, X, \theta, \phi)$$

Ab initio
Potential Surface

Stochastic Wave Packet Calculations:

Excitation-Deexcitation cycle (Jumping Wavepackets):

$$\Psi(t; t_n) = e^{-i\hat{H}_{gr}(t-t_n)} \cdot e^{-i\hat{H}_{ex}t_n} \cdot \Psi(0)$$

- FC-Excitation without explicit treatment of laser pulse

Asymptotic Observables

$$A(t; t_n) = \left\langle \Psi(t; t_n) \left| \hat{A} \right| \Psi(t; t_n) \right\rangle$$

Lifetime averaging: J.W. Gadzuk, Surf. Sci. 342, 345 (1995)

$$A(t; \tau) = \frac{\sum_{n=1}^{n_{\max}} A(t; t_n) \exp\left(-\frac{t_n}{\tau}\right)}{\sum_{n=1}^{n_{\max}} \exp\left(-\frac{t_n}{\tau}\right)}$$

- Exponential decay of excited state
- Equivalent scheme: density matrix propagation for open system

Parallelization



Parallelization



Parallelization



Supercomputer HLRB II (2007)

Processor clock: 1.6 GHz

Total number of cores: 9728

Total peak perf.: 62,3 TFlop/s

Total main memory: 39 TB

Total disk space: 600 TB

Total weight: 103 tons

Total electrical power: 1100 kVA

Parallelization



Supercomputer HLRB II (2007)

Processor clock: 1.6 GHz

Total number of cores: 9728

Total peak perf.: 62,3 TFlop/s

Total main memory: 39 TB

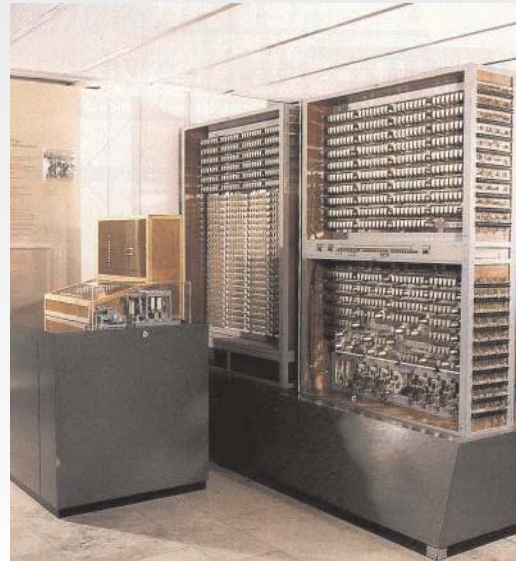
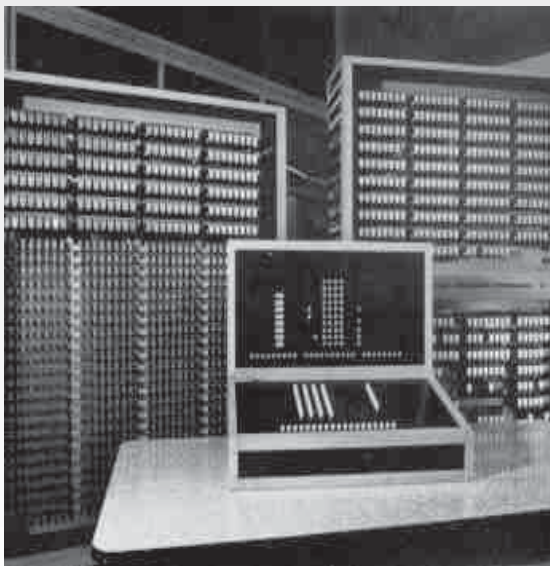
Total disk space: 600 TB

Total weight: 103 tons

Total electrical power: 1100 kVA



Factor: 10^{13}



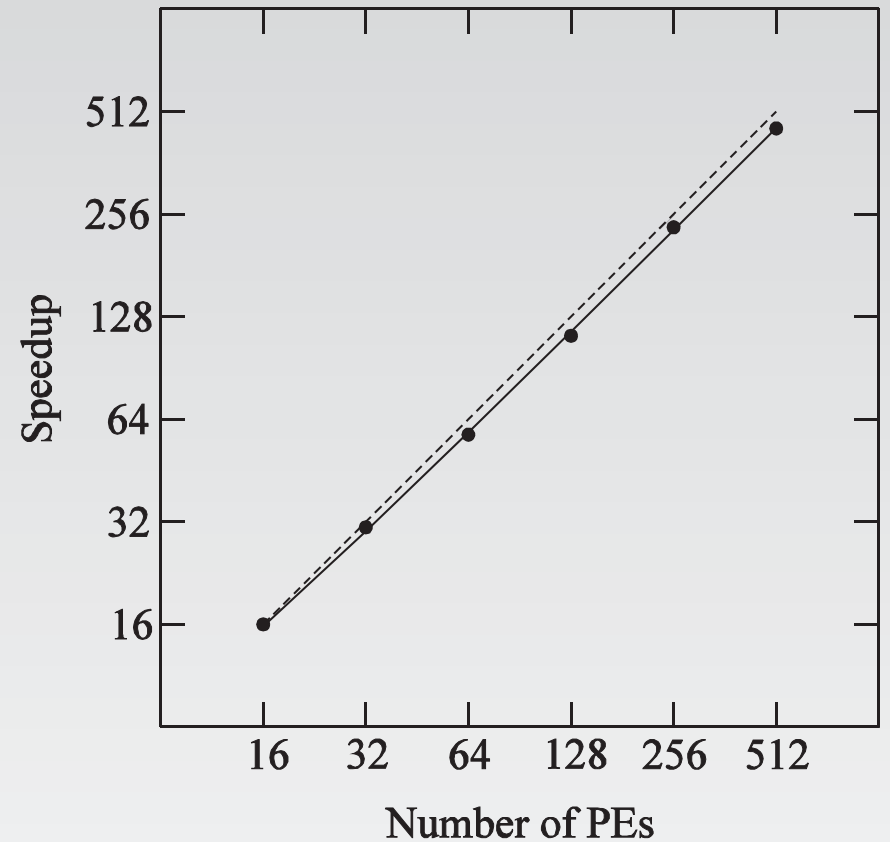
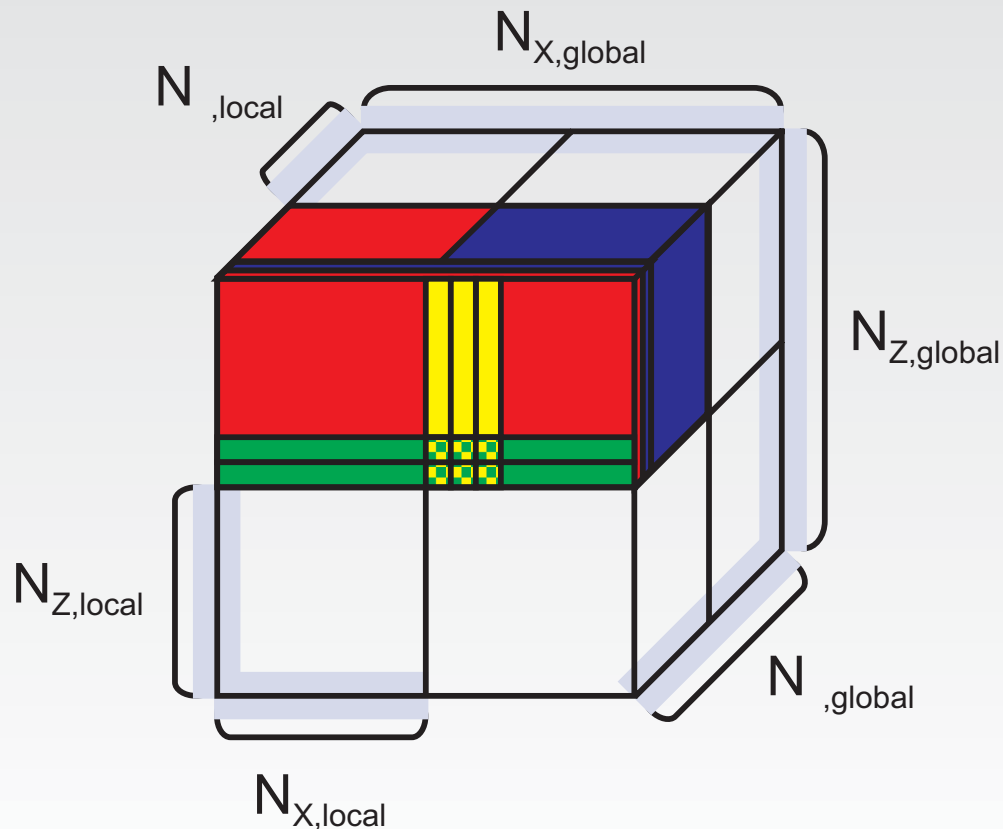
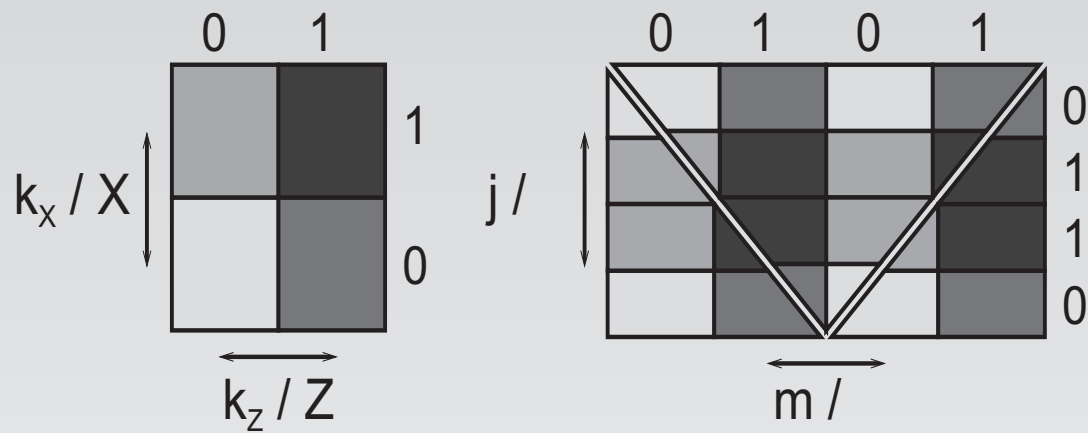
K. Zuse Z3 (1941)

Processor clock: 5,33 Hz

Total peak perf.: 3 Flop/s

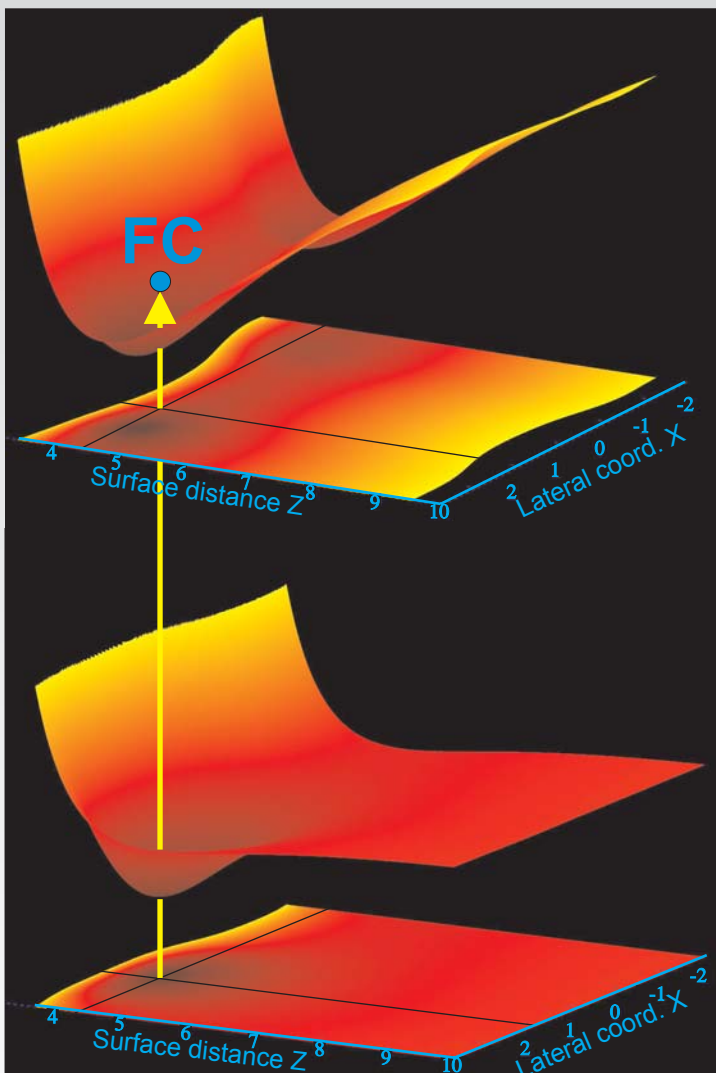
Total main memory: 176 Byte

Speedup Analysis



⇒ Study of 20 years on a 1 processor workstation takes two weeks on 512 processors (10^{10} DVR-basis functions)

Excitation

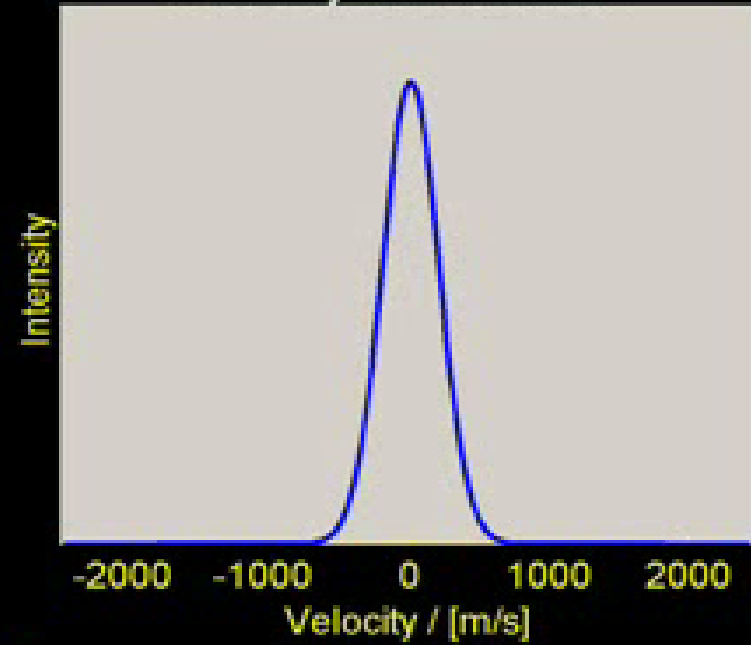


Excited state dynamics

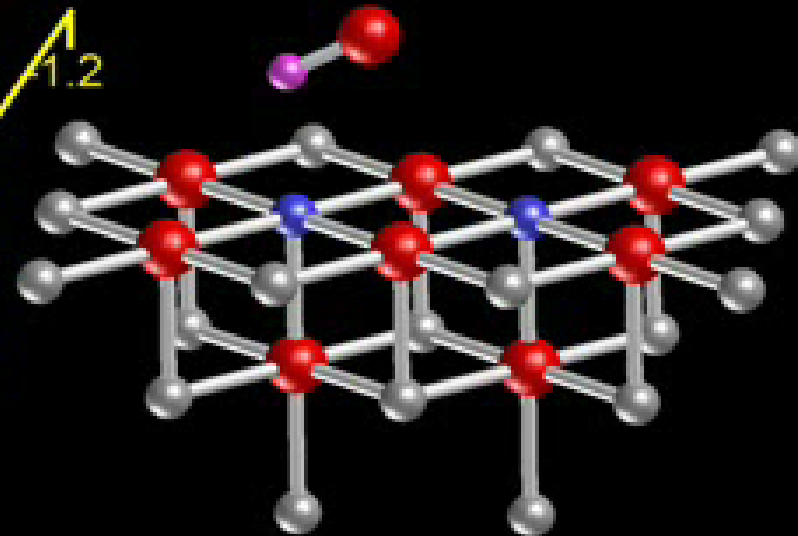
time = 0000 fs

$\theta = 062.8^\circ$

Velocity distribution



Cluster model

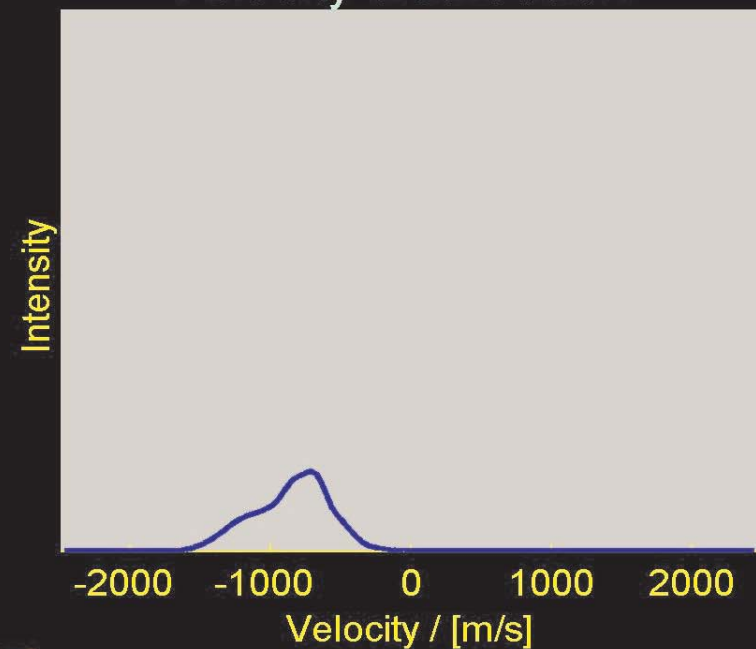


Excited state dynamics

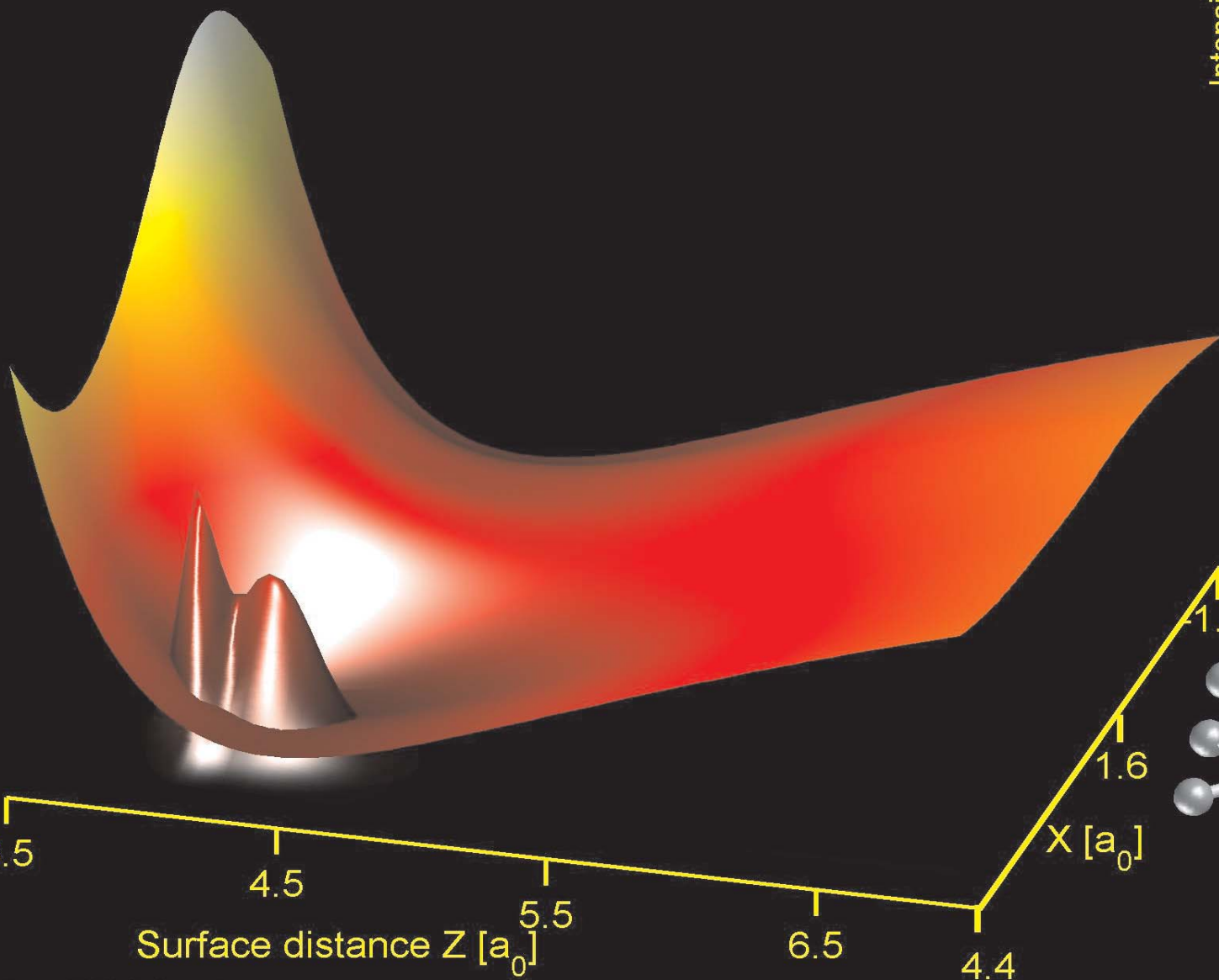
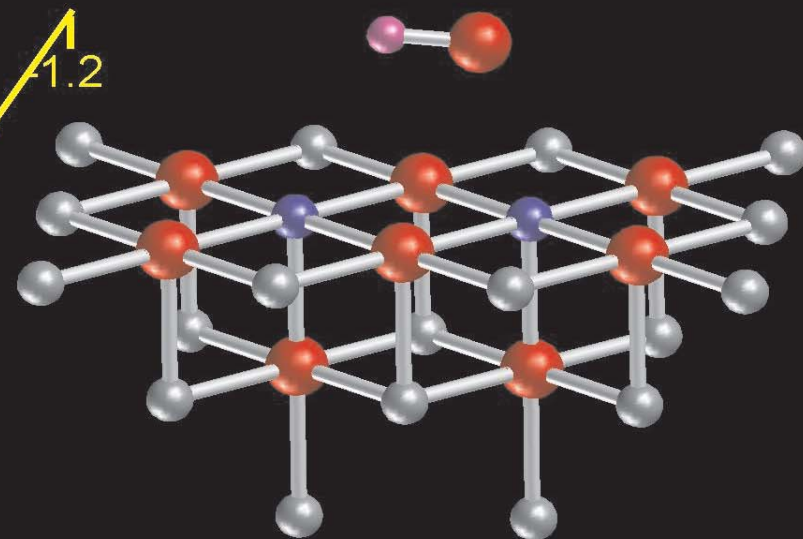
time = 0134 fs

$\theta = 117.9^\circ$

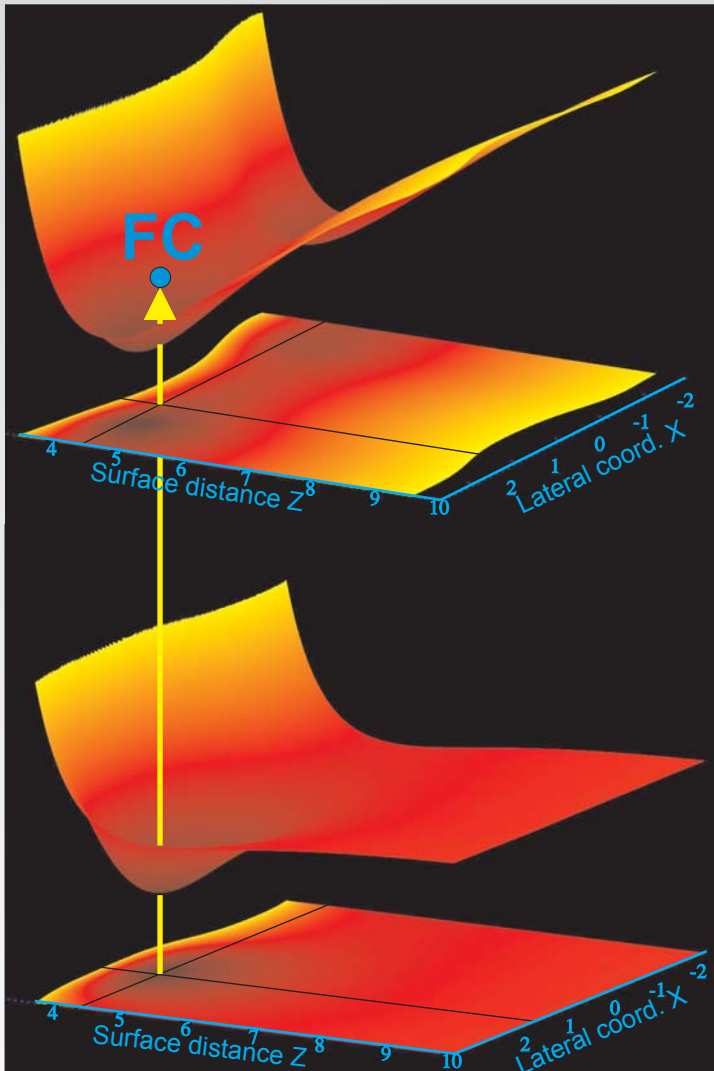
Velocity distribution



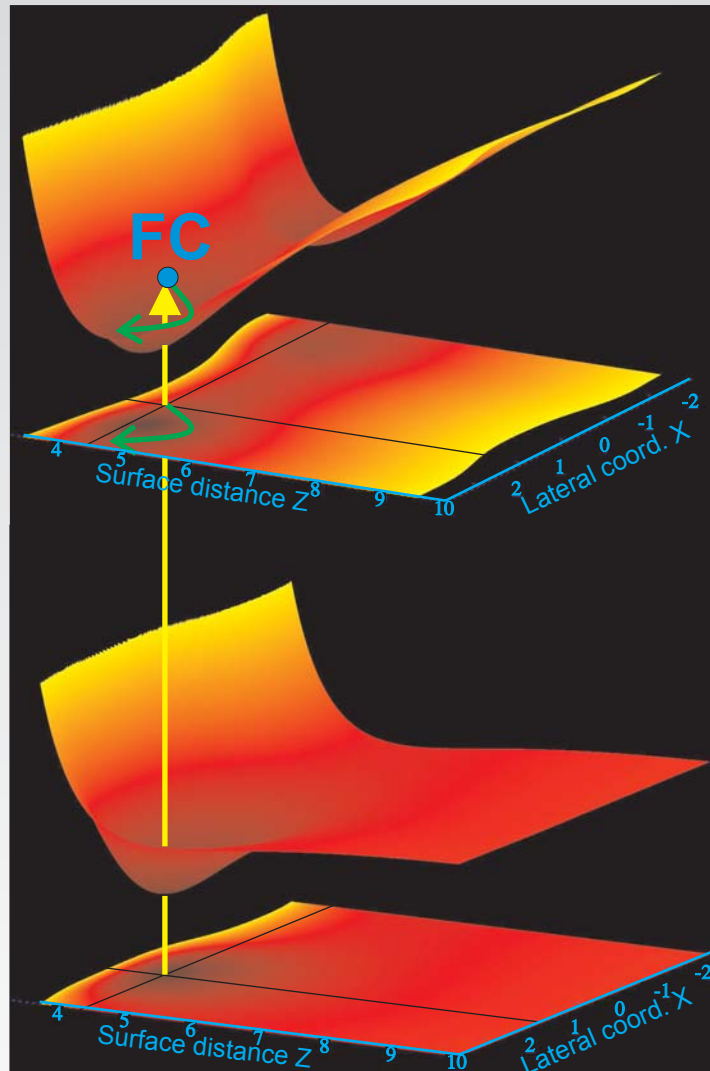
Cluster model



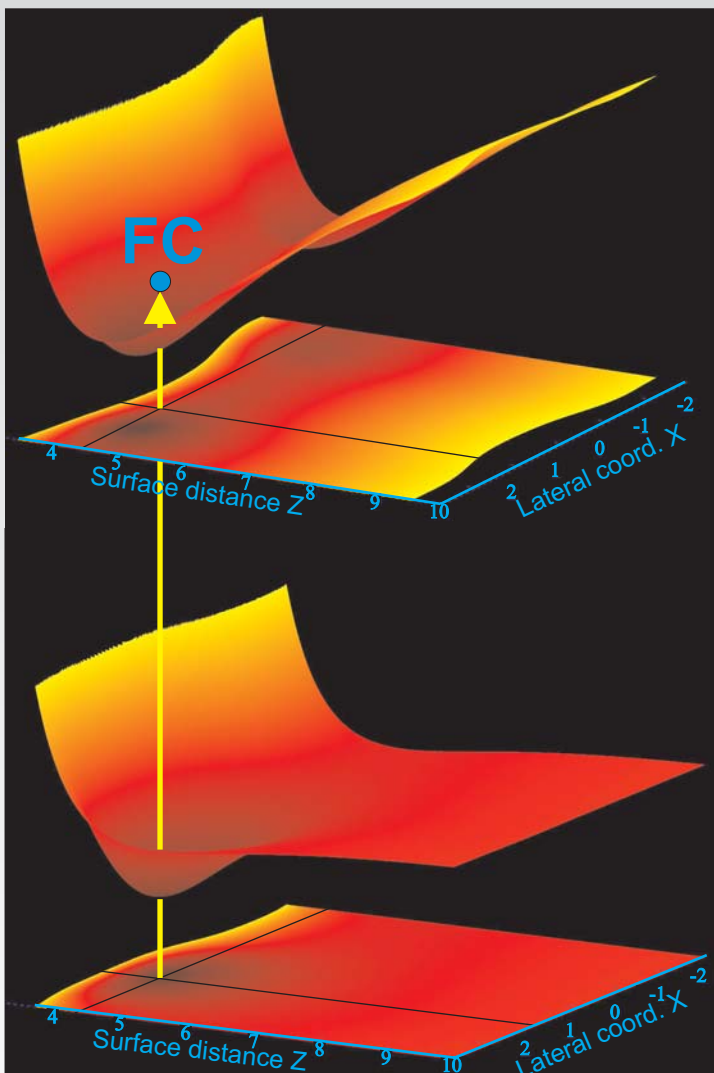
Excitation



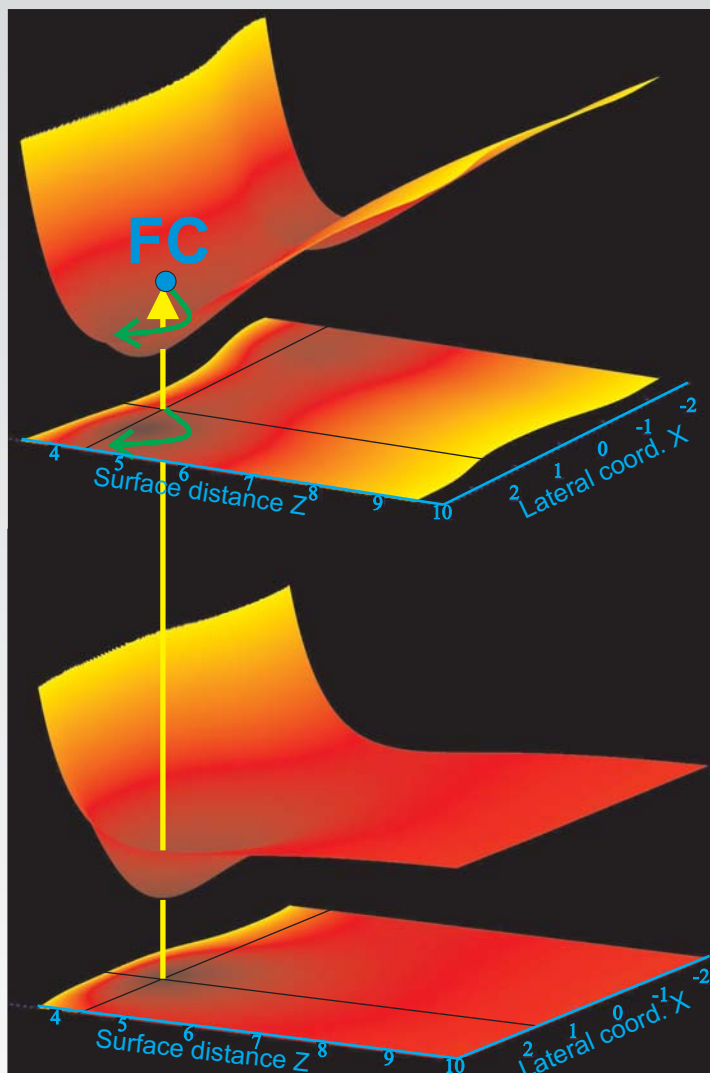
Excited state propagation



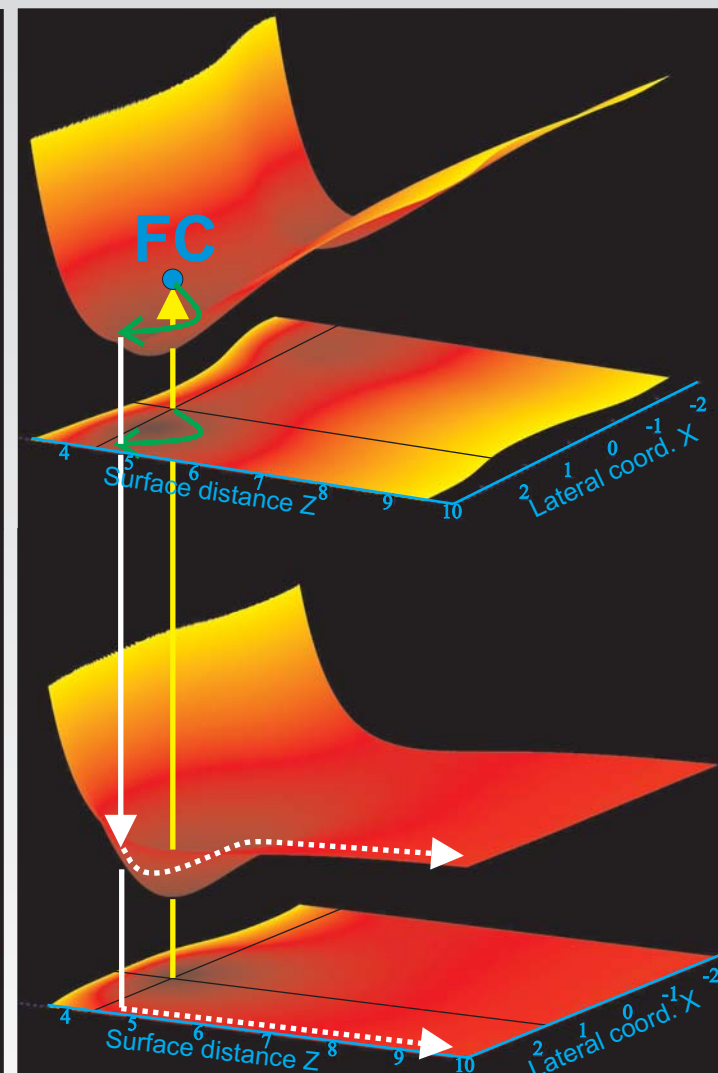
Excitation



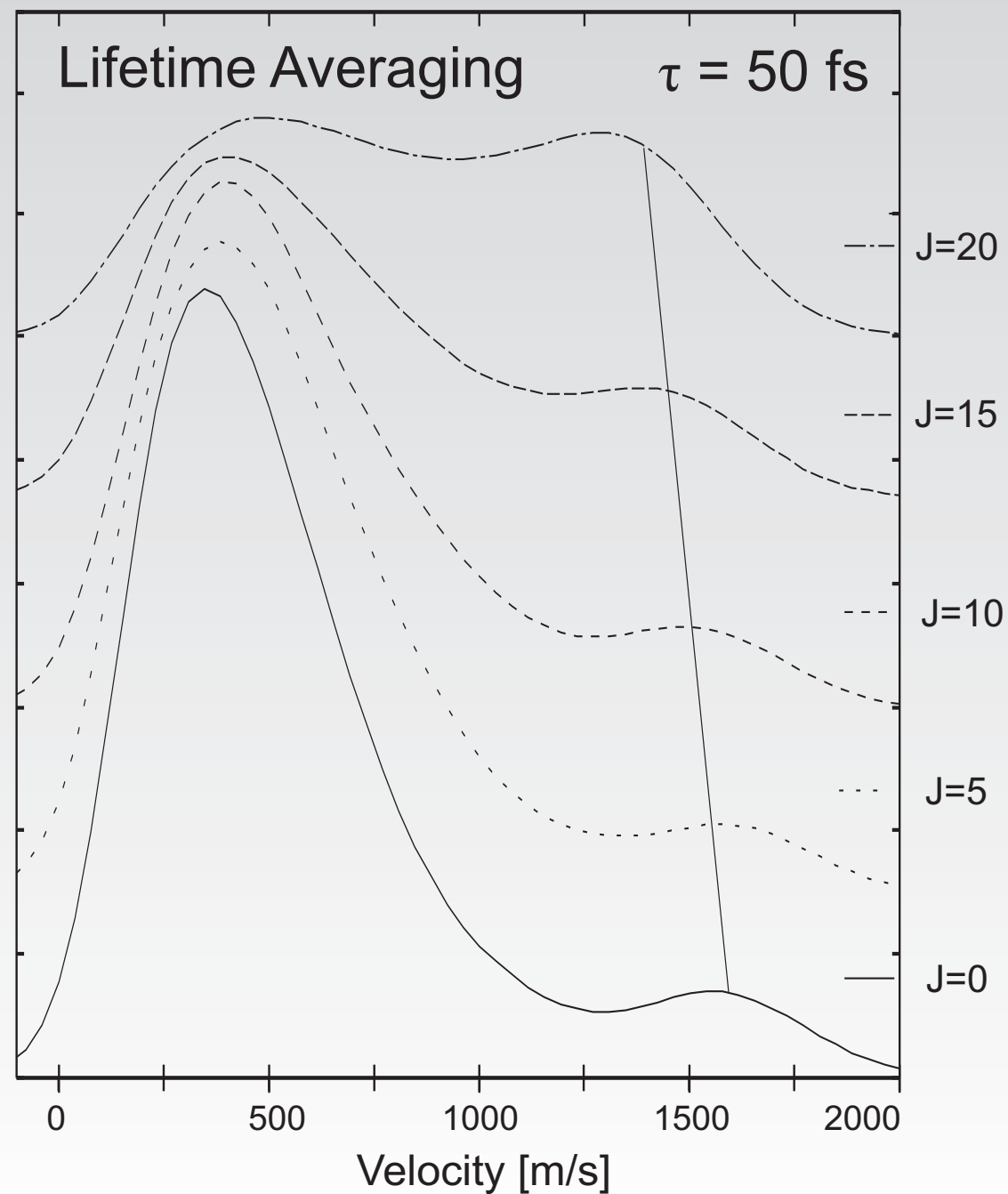
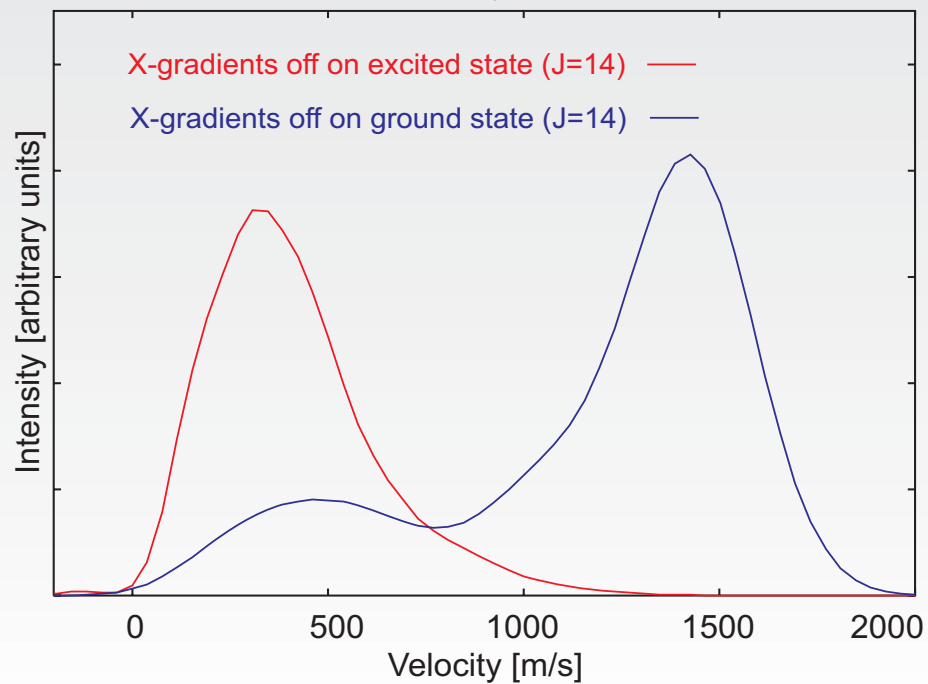
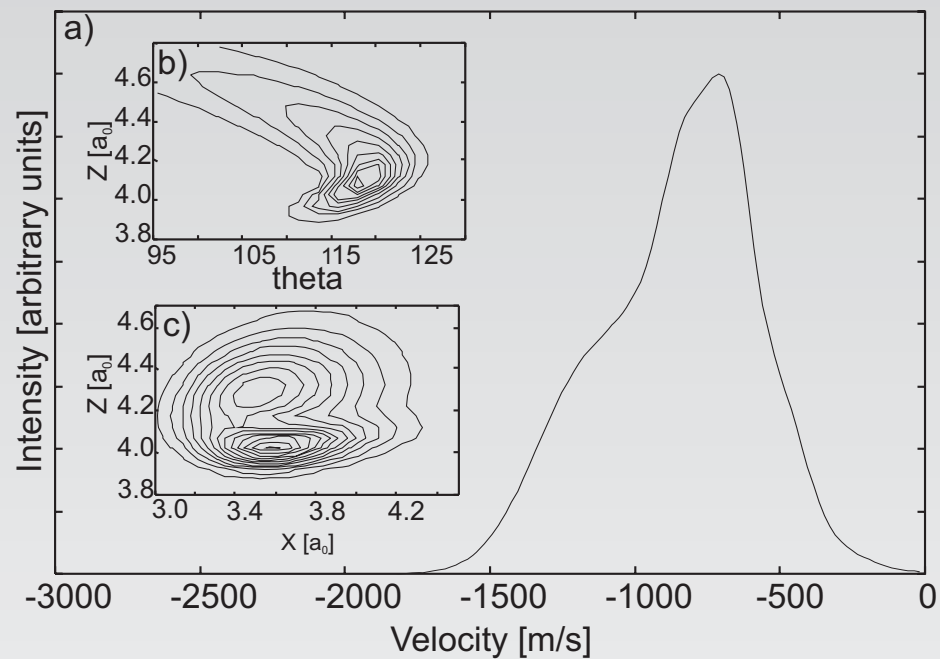
Excited state propagation

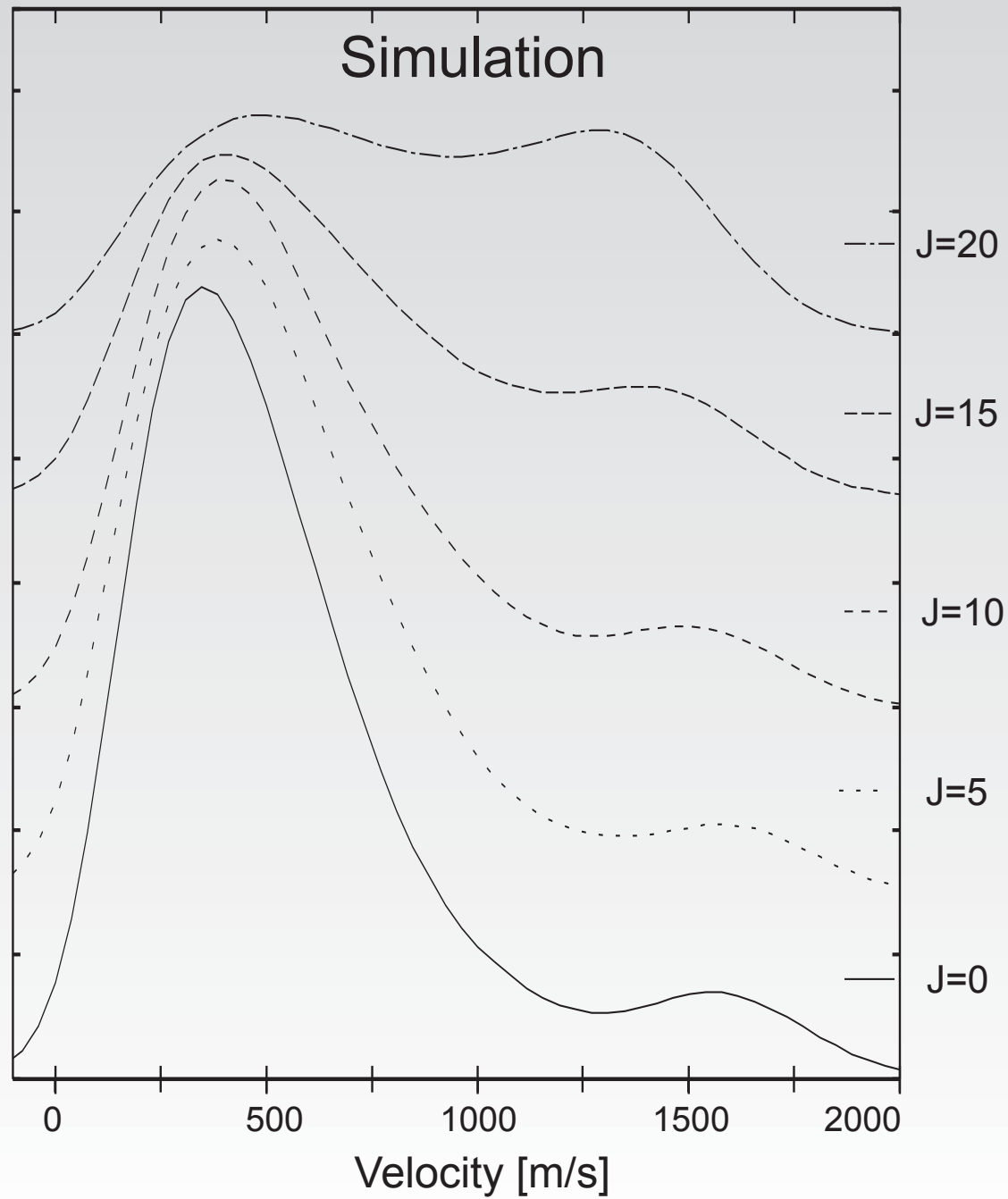
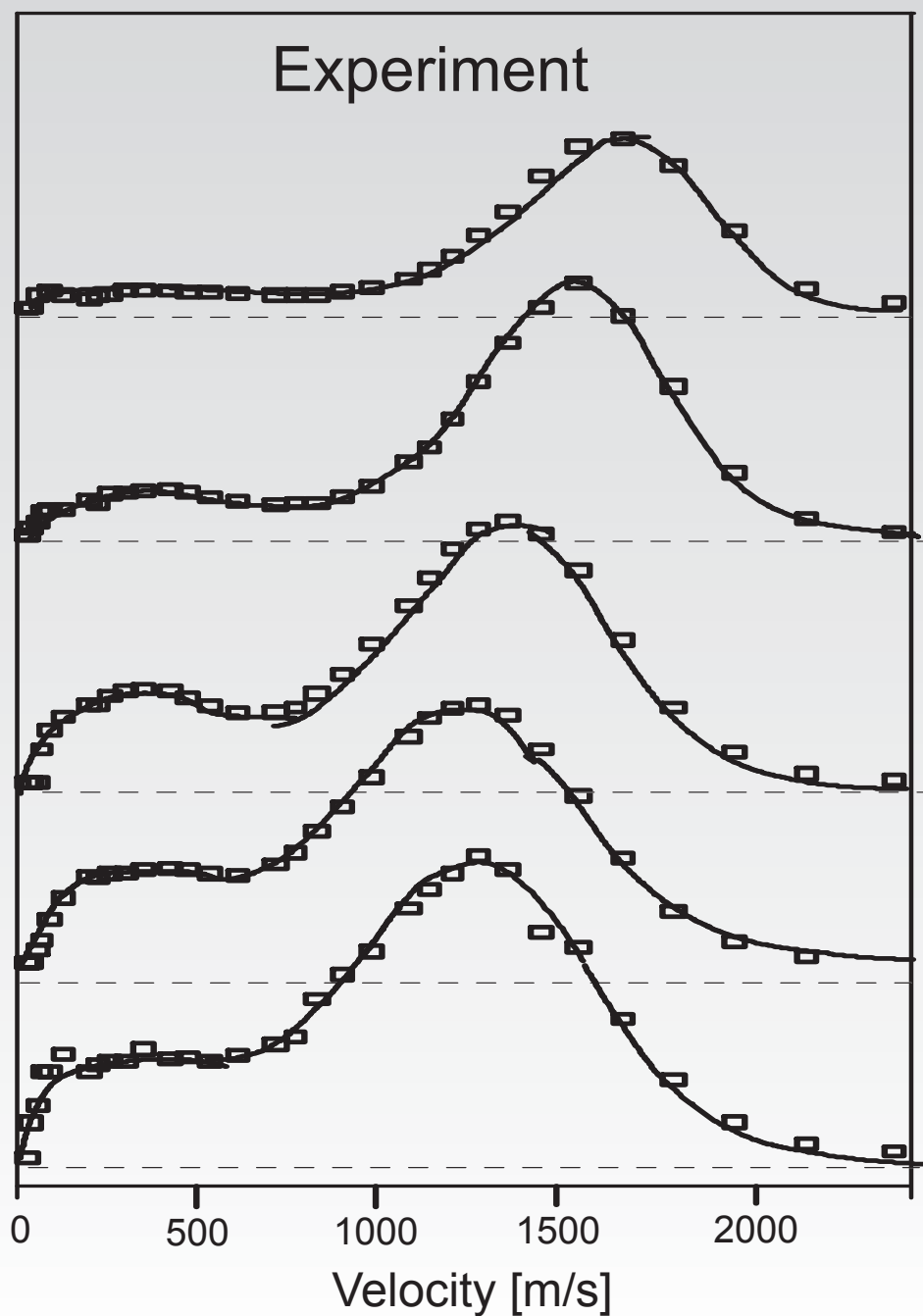


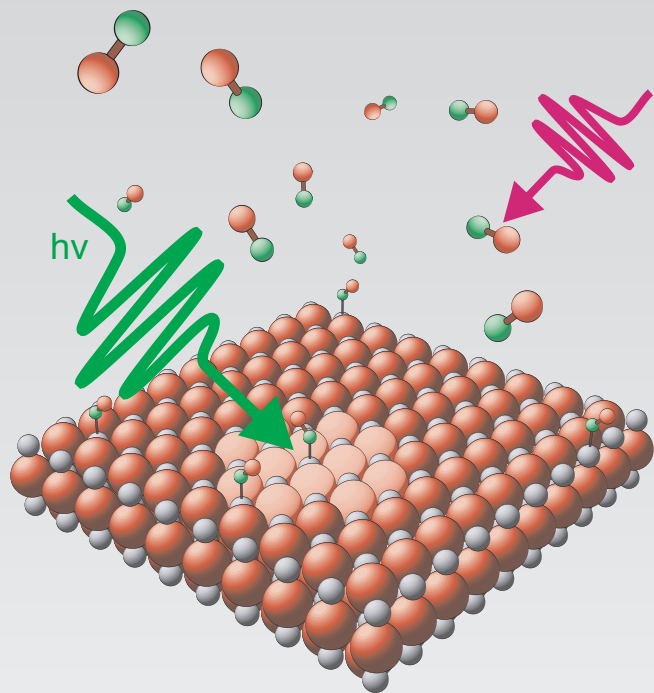
Relaxation and Ground state propagation



New desorption mechanism: Anti-Antoniewicz

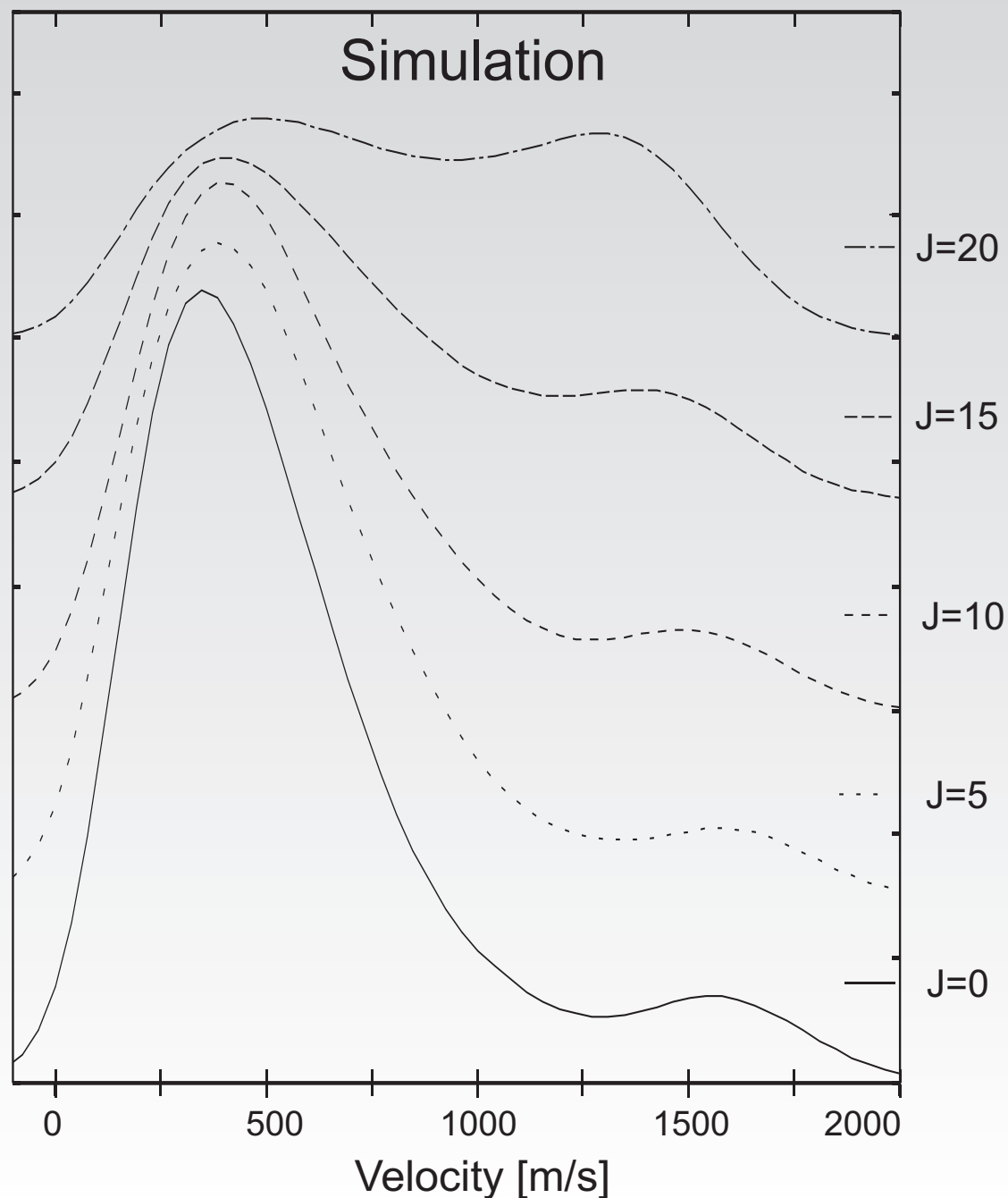




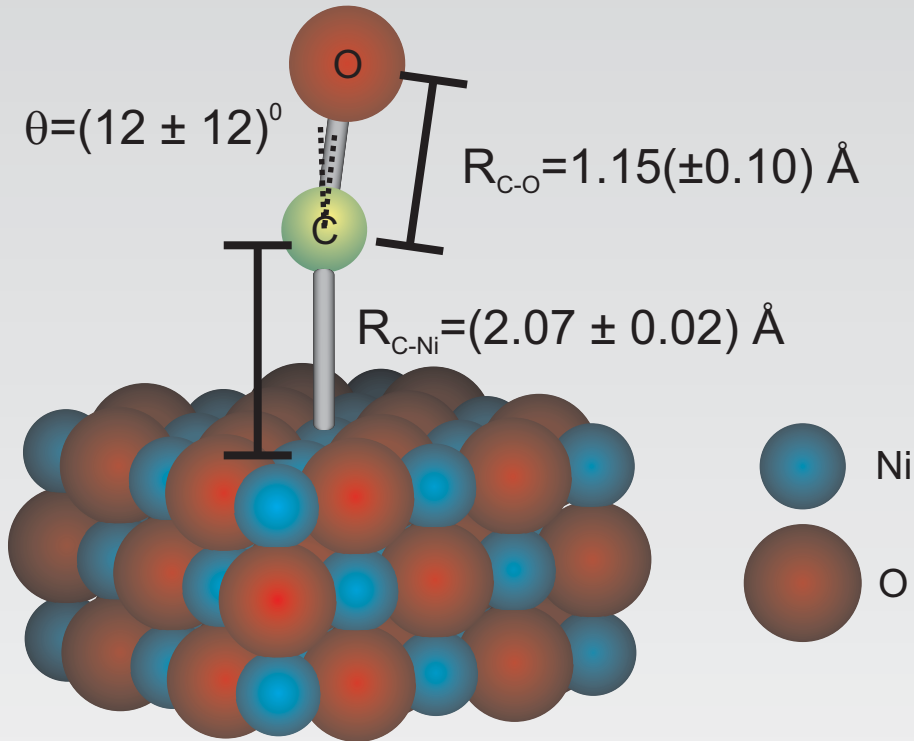


- **Correct velocity range**
- **Bimodal distributions**
- **Wave packet bifurcation in lateral coordinate!**
- **New desorption mechanism (Anti-Antoniewicz)**

J. Phys. Chem. A **111**, 13233 (2007)
Phys. Chem. Chem. Phys. **8**, 1584 (2006)
Chem. Phys. Lett. **415**, 150 (2005)



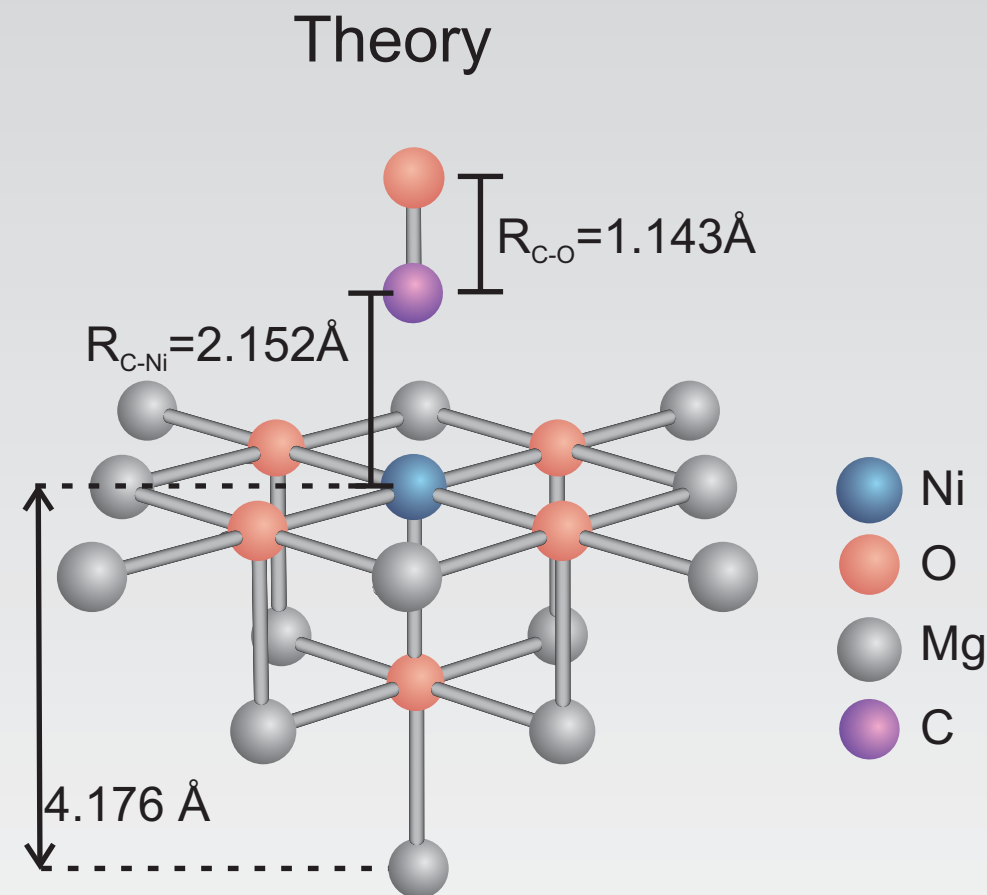
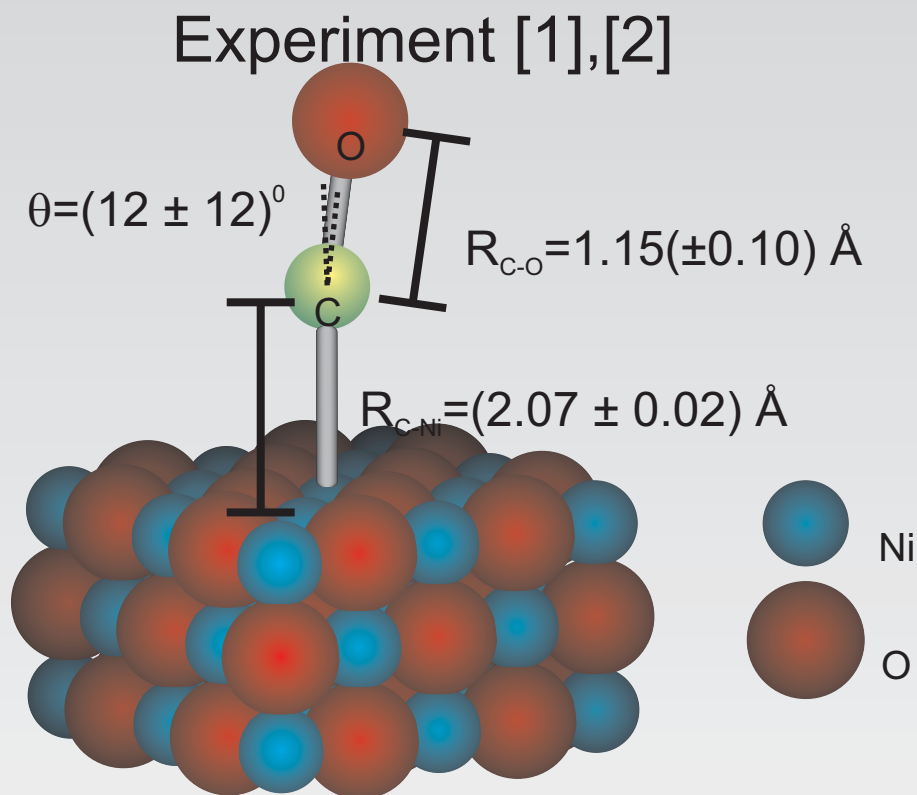
Experiment [1],[2]



[1] J.-T. Hoefft et al. Phys. Rev. Lett. **87**, 8 (2001)

[2] R. Wichtendahl et al. Surf. Sci. **423**, 90 (1999)

- TPD/Photoelectron diffraction
- Linear adsorption geometry
- Adsorption energy: 0.3 eV



[1] J.-T. Hoefft et al. Phys. Rev. Lett. **87**, 8 (2001)

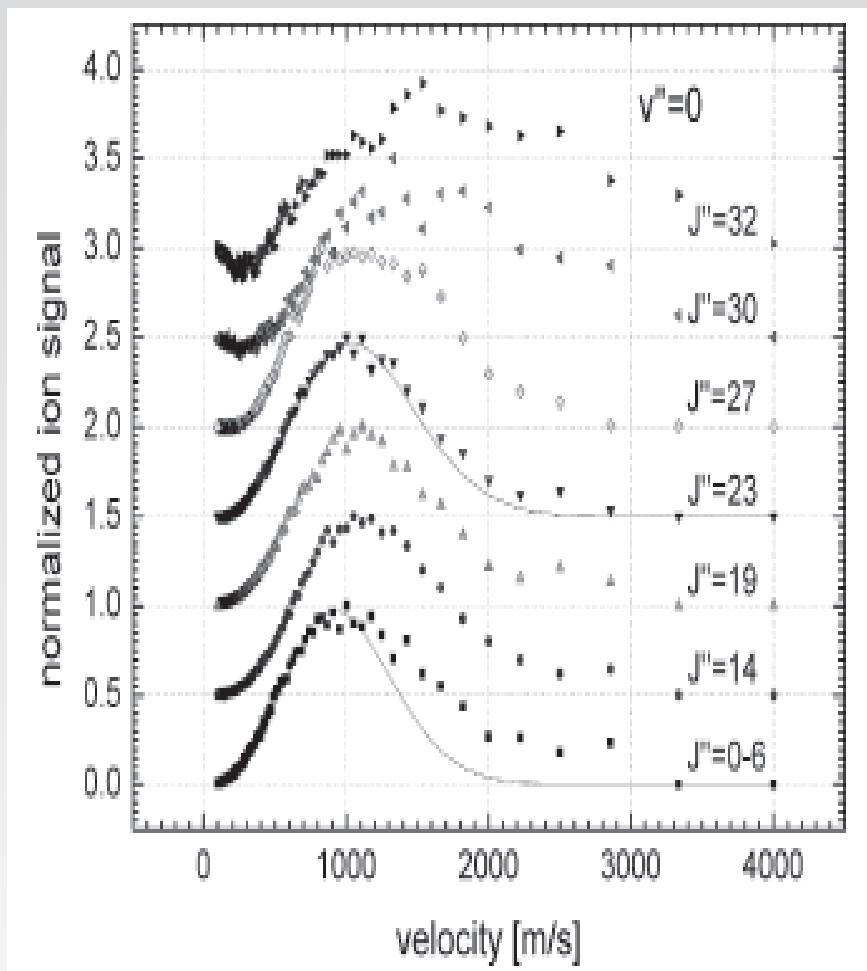
[2] R. Wichtendahl et al. Surf. Sci. **423**, 90 (1999)

- TPD/Photoelectron diffraction
- Linear adsorption geometry
- Adsorption energy: 0.3 eV

- CASSCF/CASPT-2 and CCSD(T)
- Linear adsorption geometry
- Adsorption energy: 0.24 eV

Good agreement between theory and experiment

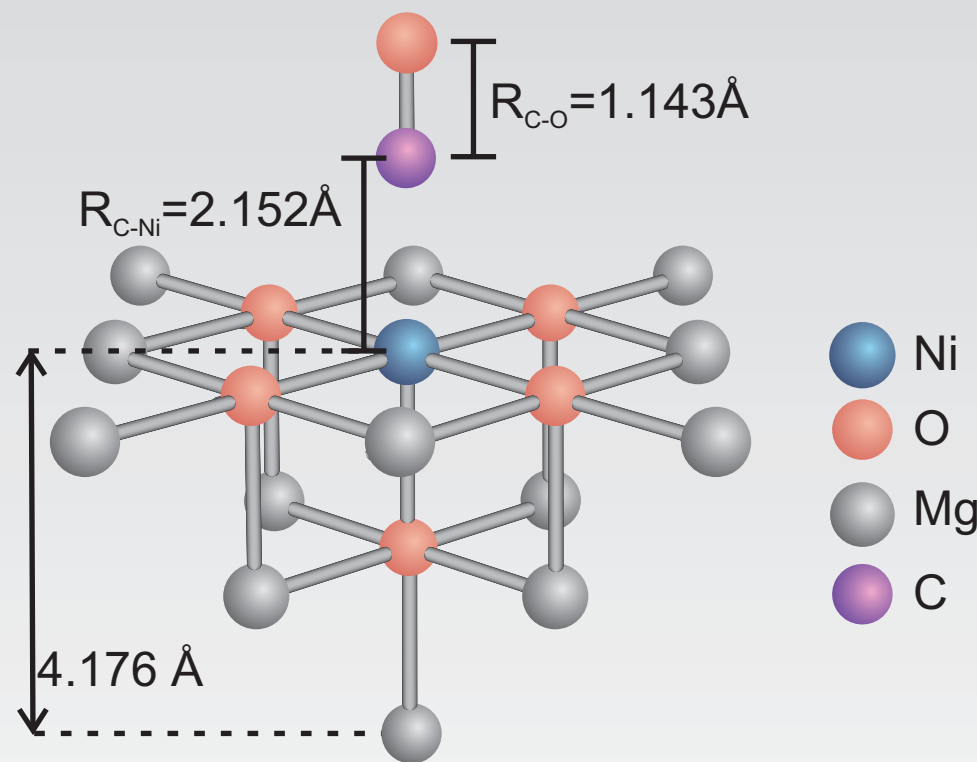
Laser Desorption Experiment



Monomodal distributions

B. Redlich et al,
Chem. Phys. Lett. **420**, 110 (2006)

Theory



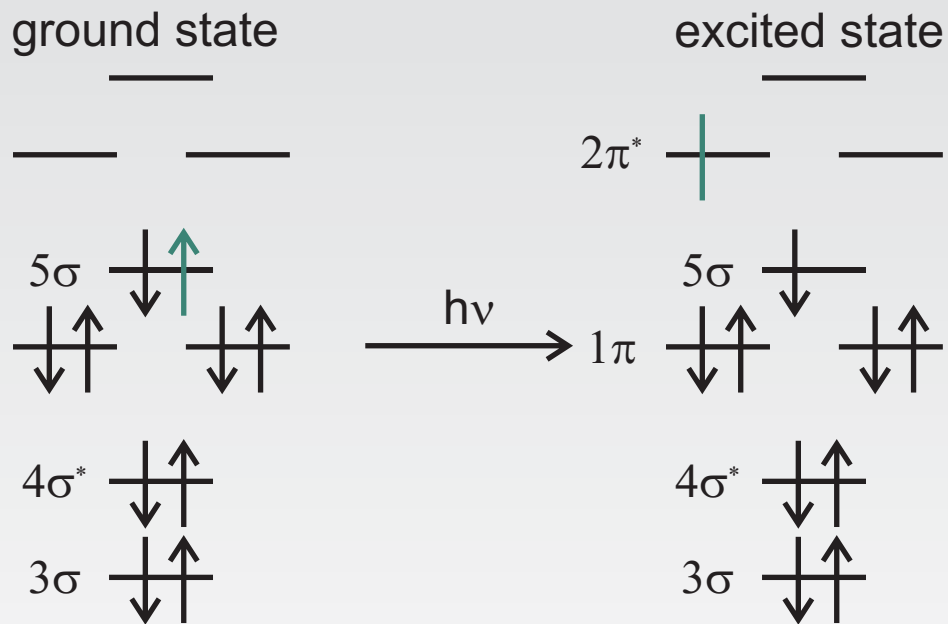
- CASSCF/CASPT-2 and CCSD(T)
- Linear adsorption geometry
- Adsorption energy: 0.24 eV

Agreement: theory and experiment

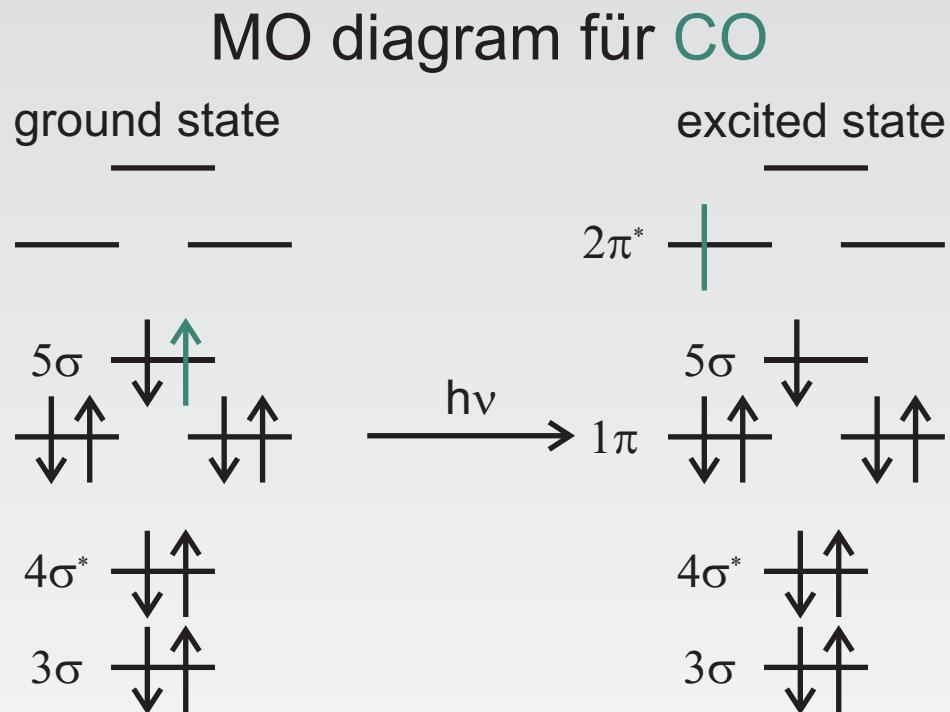
CO-internal-($5\sigma \rightarrow 2\pi^*$)-excitation

CO-internal-($5\sigma \rightarrow 2\pi^*$)-excitation

MO diagram für CO



CO-internal-($5\sigma \rightarrow 2\pi^*$)-excitation

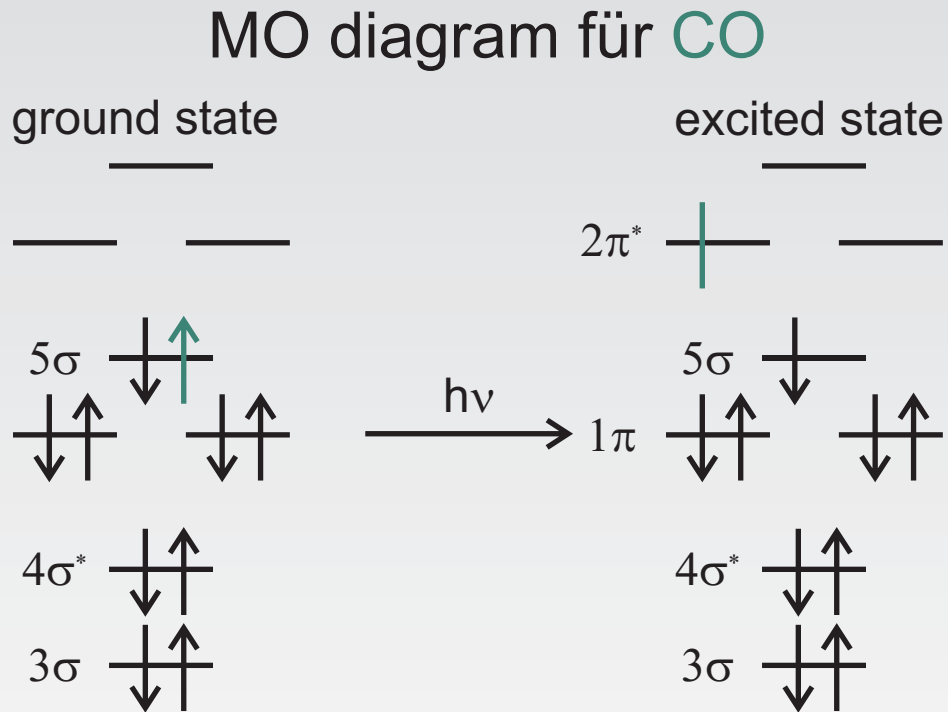


CO in gas phase

vertical excitation energy / eV

state	CAS(2,3)		Experiment ¹
	CASSCF	CASPT2	
$A^1\Pi$	9.52	8.22	8.51
$a^3\Pi$	6.36	6.02	6.32

CO-internal-($5\sigma \rightarrow 2\pi^*$)-excitation



CO in gas phase

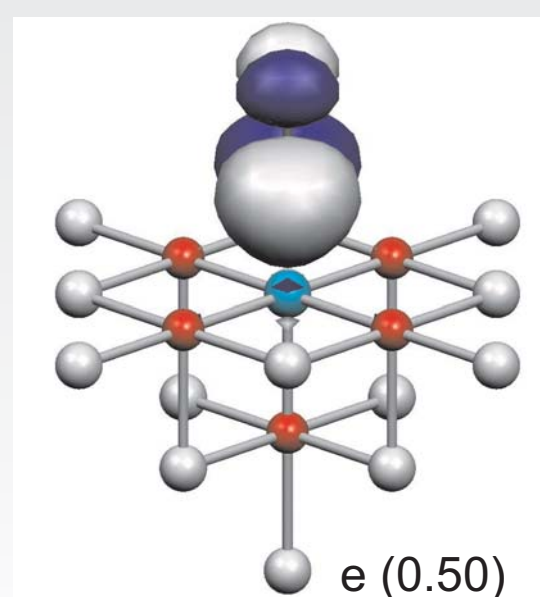
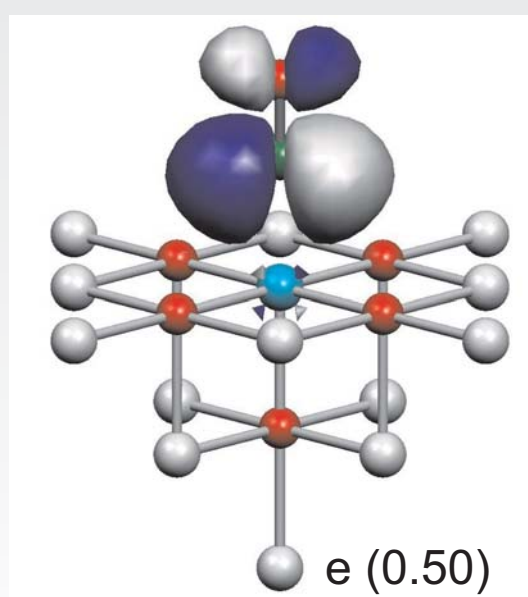
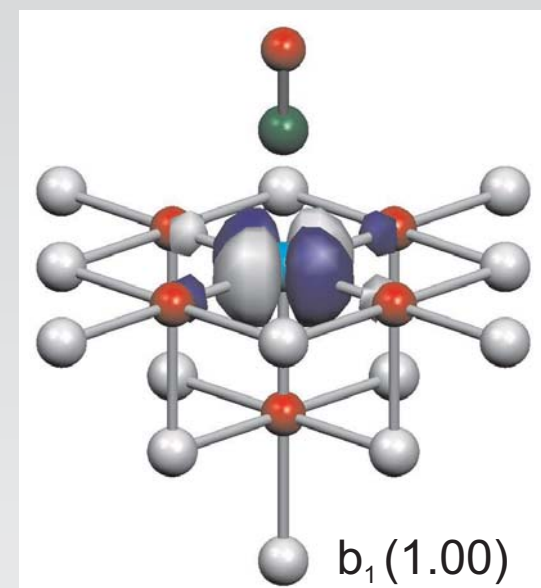
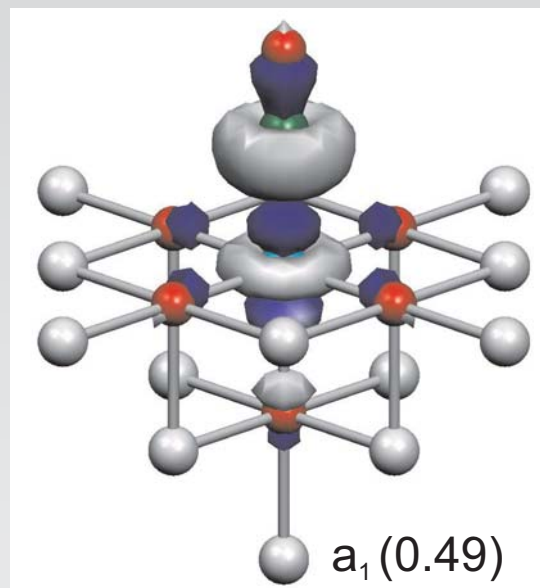
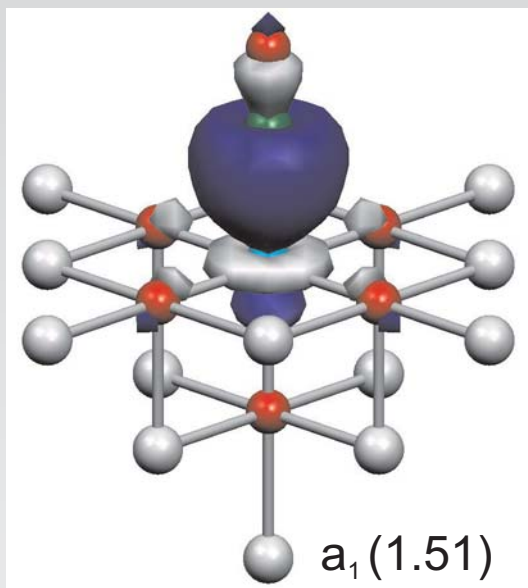
vertical excitation energy / eV

state	CAS(2,3)		Experiment ¹
	CASSCF	CASPT2	
$A^1\Pi$	9.52	8.22	8.51
$a^3\Pi$	6.36	6.02	6.32

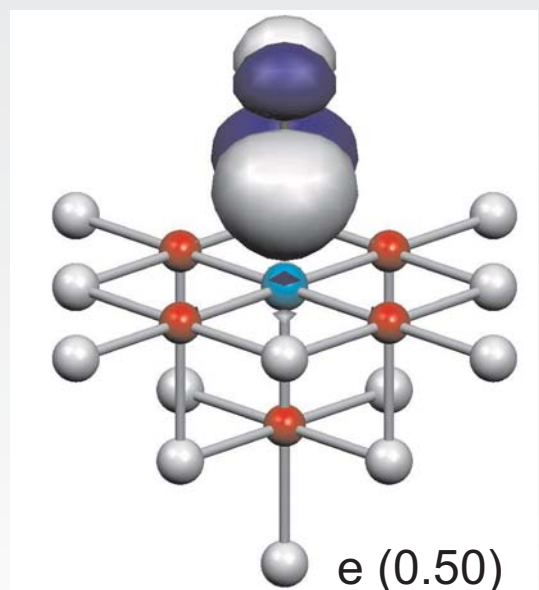
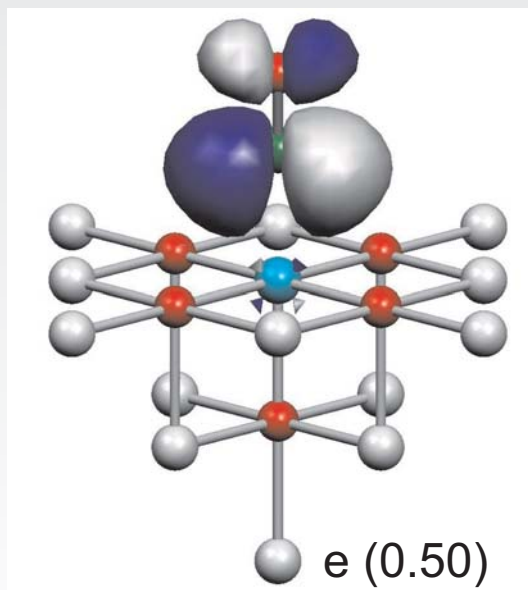
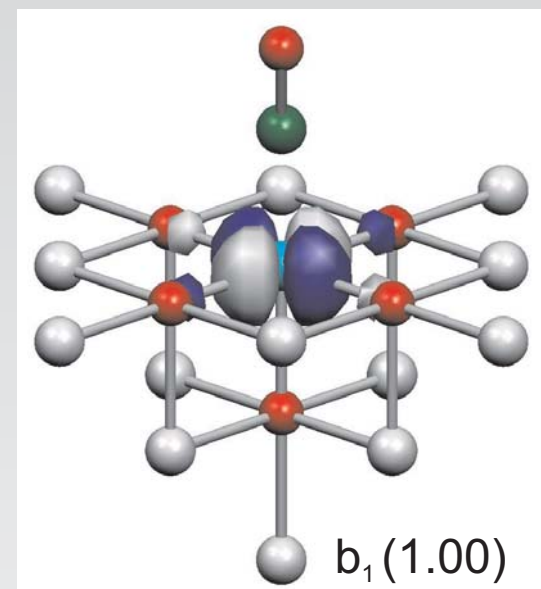
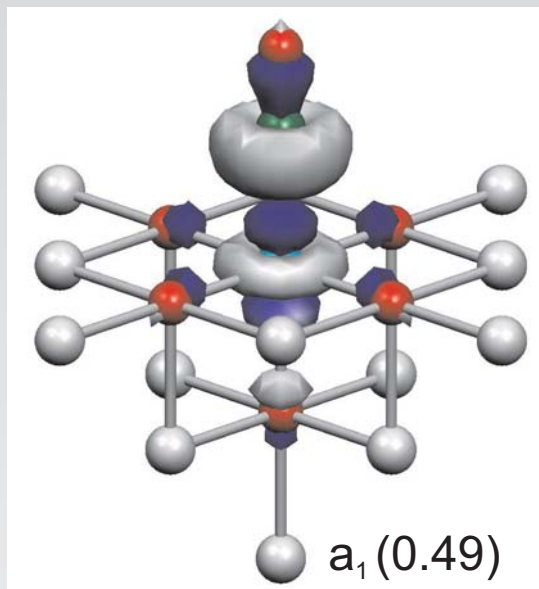
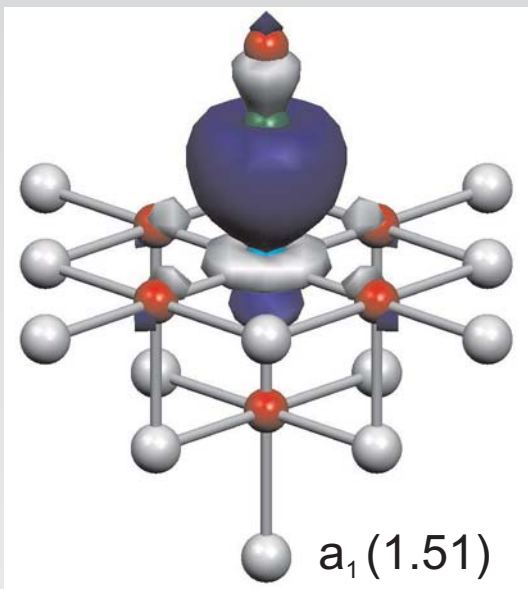
Laser energy: 4.66 eV

$5\sigma \rightarrow 2\pi^*$ excitation of CO-molecule?

CO-NiO₅Mg¹⁸⁺ : CASSCF(4,5)/CASPT-2 *Active molecular orbitals*



CO-NiO₅Mg¹⁸⁺: CASSCF(4,5)/CASPT-2 *Active molecular orbitals*

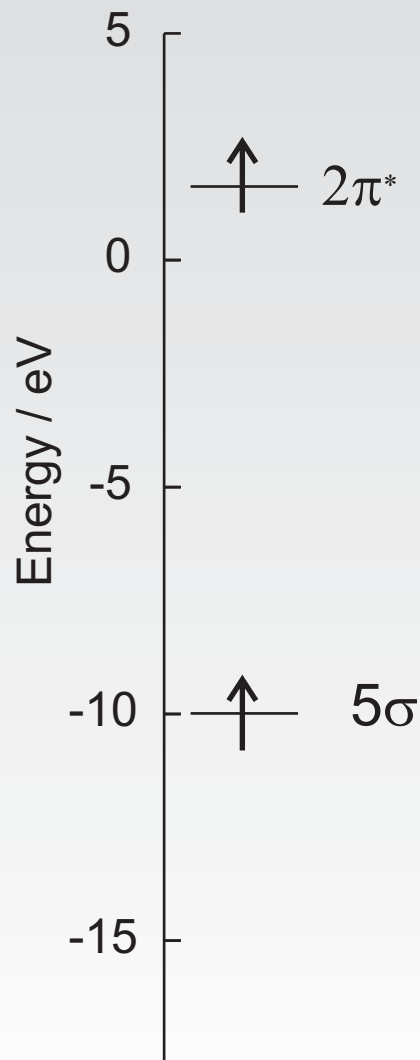


Excitation energy / eV

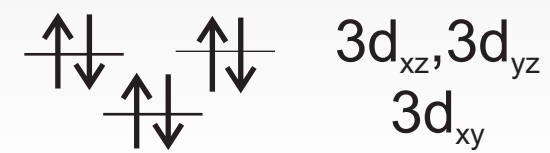
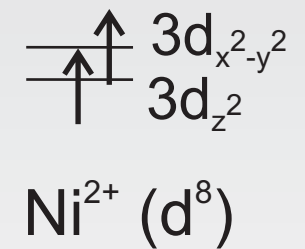
State	CAS(4,5)	
	CASSCF	CASPT2
\tilde{a}^5E	6.88	6.18
\tilde{A}^3E	6.13	4.54
\tilde{a}^1E	5.90	4.34

Excellent agreement with experiment (4.66 eV)

a) CO in gas phase
a³Π-state



c) NiO₅Mg₁₃¹⁸⁺/PCF



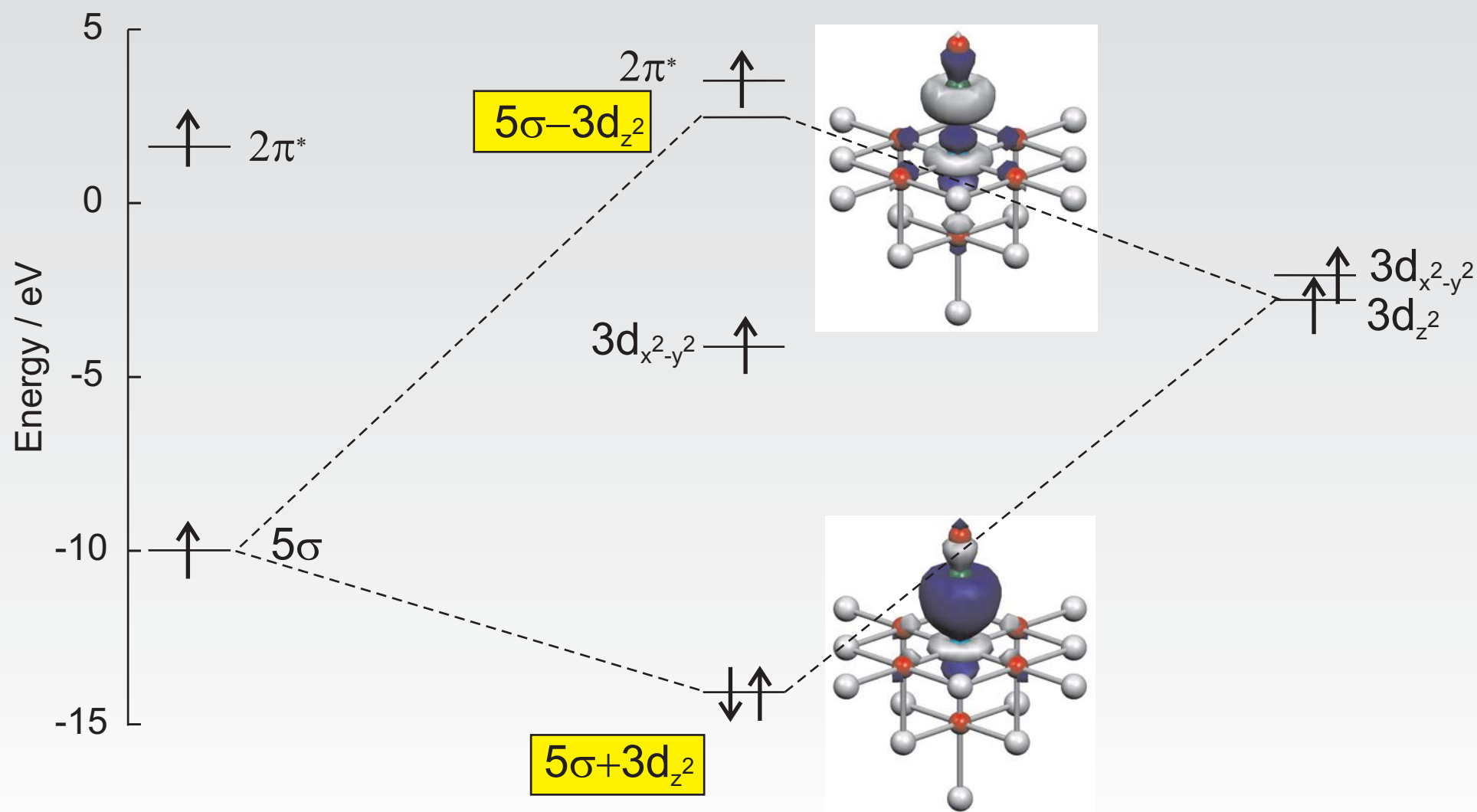
Photodesorption: CO/NiO(100)

Excitation Mechanism

a) CO in gas phase
 $a^3\Pi$ -state

b) CO / NiO₅Mg₁₃¹⁸⁺/PCF
 \tilde{A}^3E -state

c) NiO₅Mg₁₃¹⁸⁺/PCF



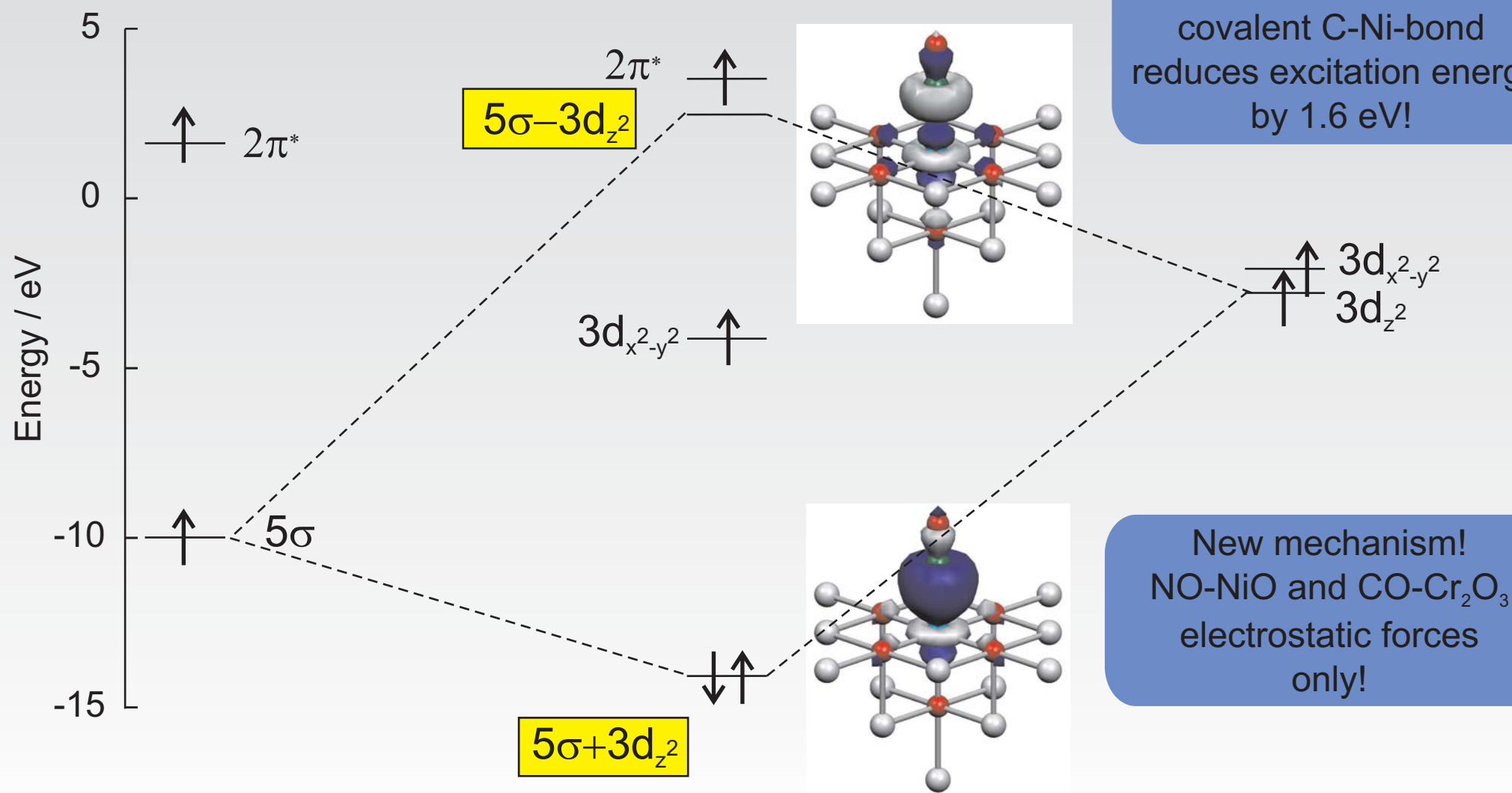
Photodesorption: CO/NiO(100)

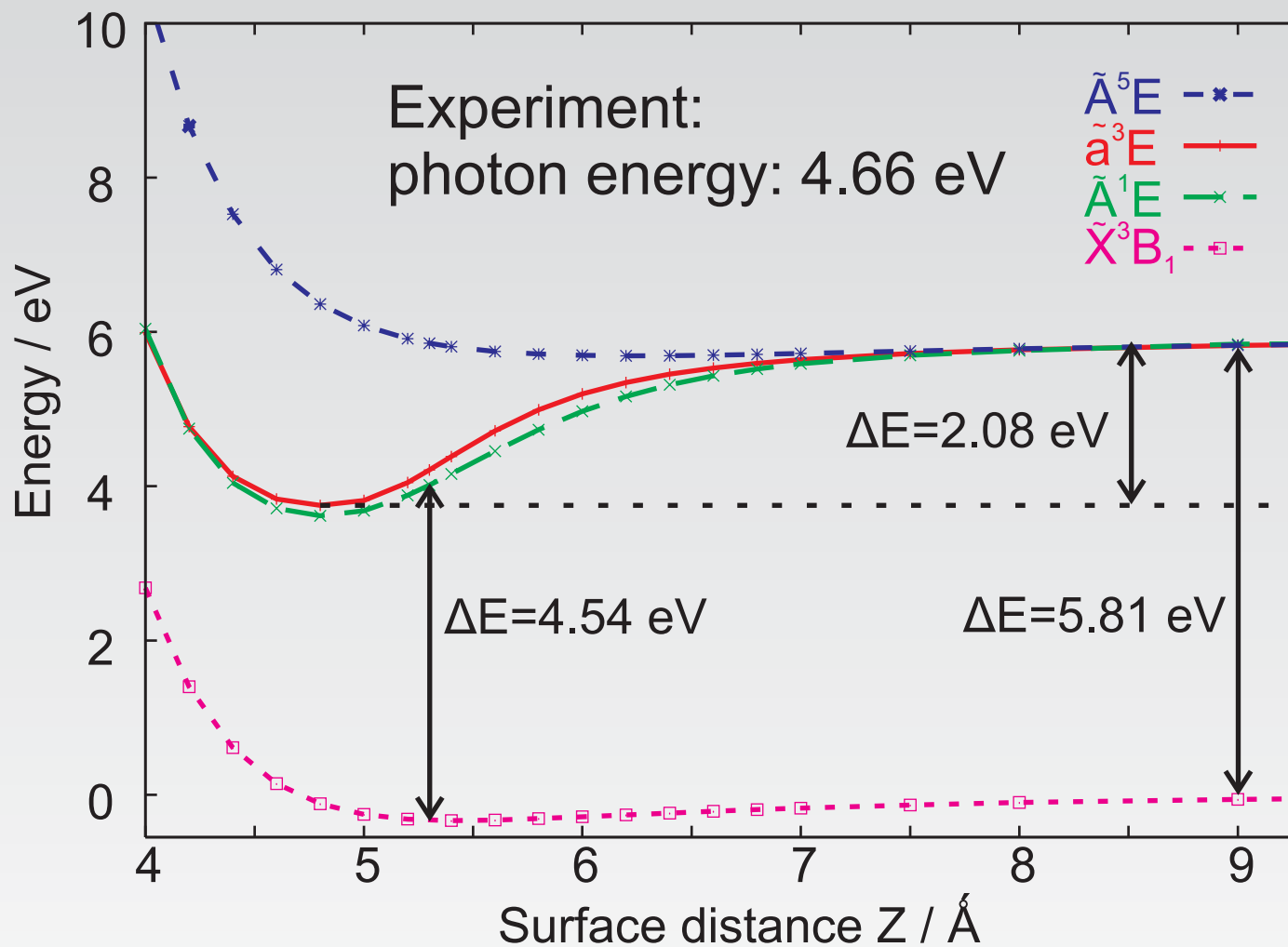
Excitation Mechanism

a) CO in gas phase
 $a^3\Pi$ -state

b) CO / NiO₅Mg₁₃¹⁸⁺/PCF
 \tilde{A}^3E -state

c) NiO₅Mg₁₃¹⁸⁺/PCF

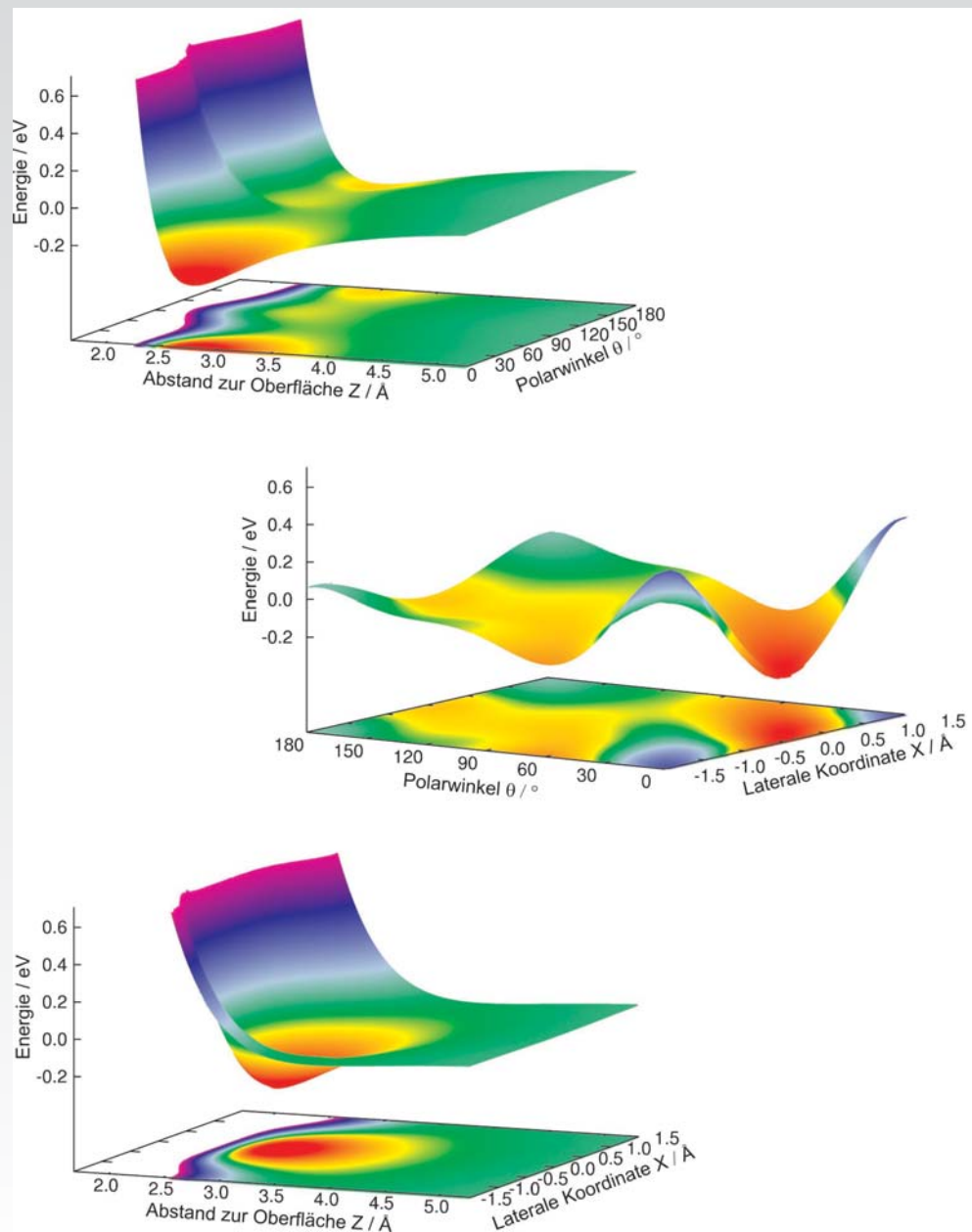




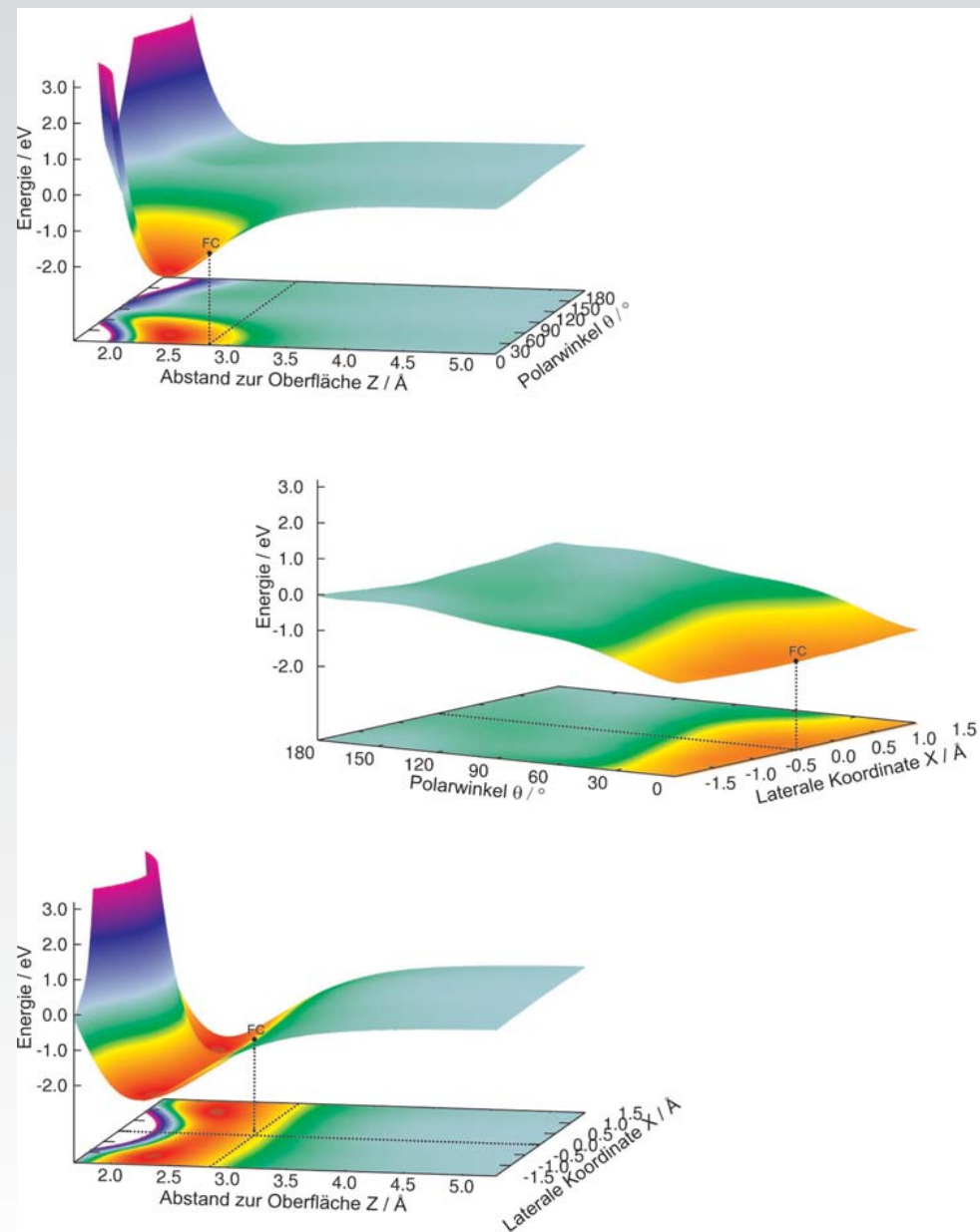
Excited state involved: \tilde{a}^3E

Antoniewicz-like desorption scenario

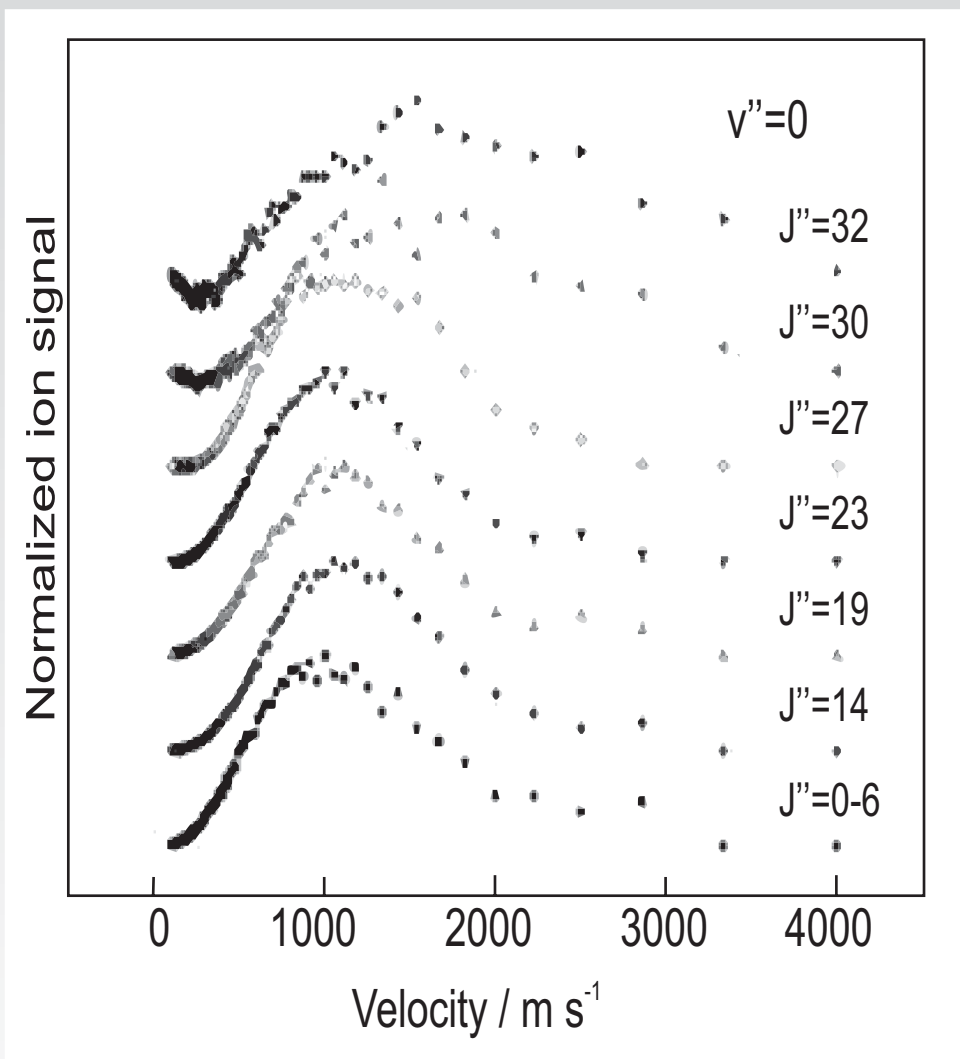
Ground State



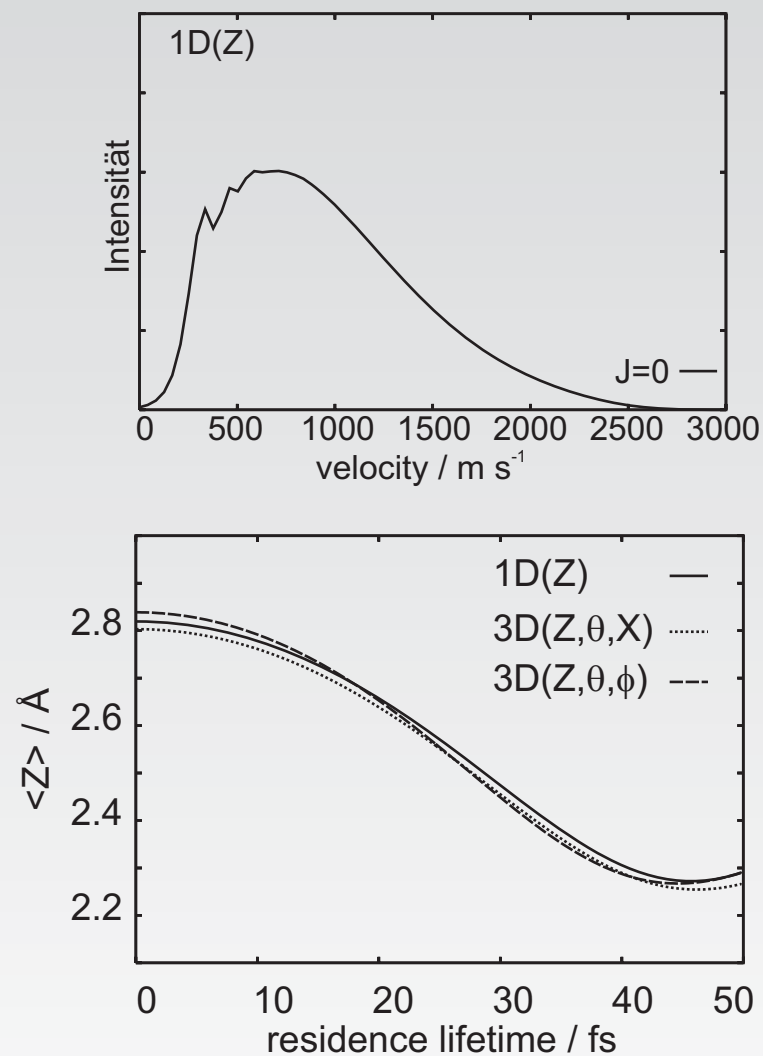
Excited State



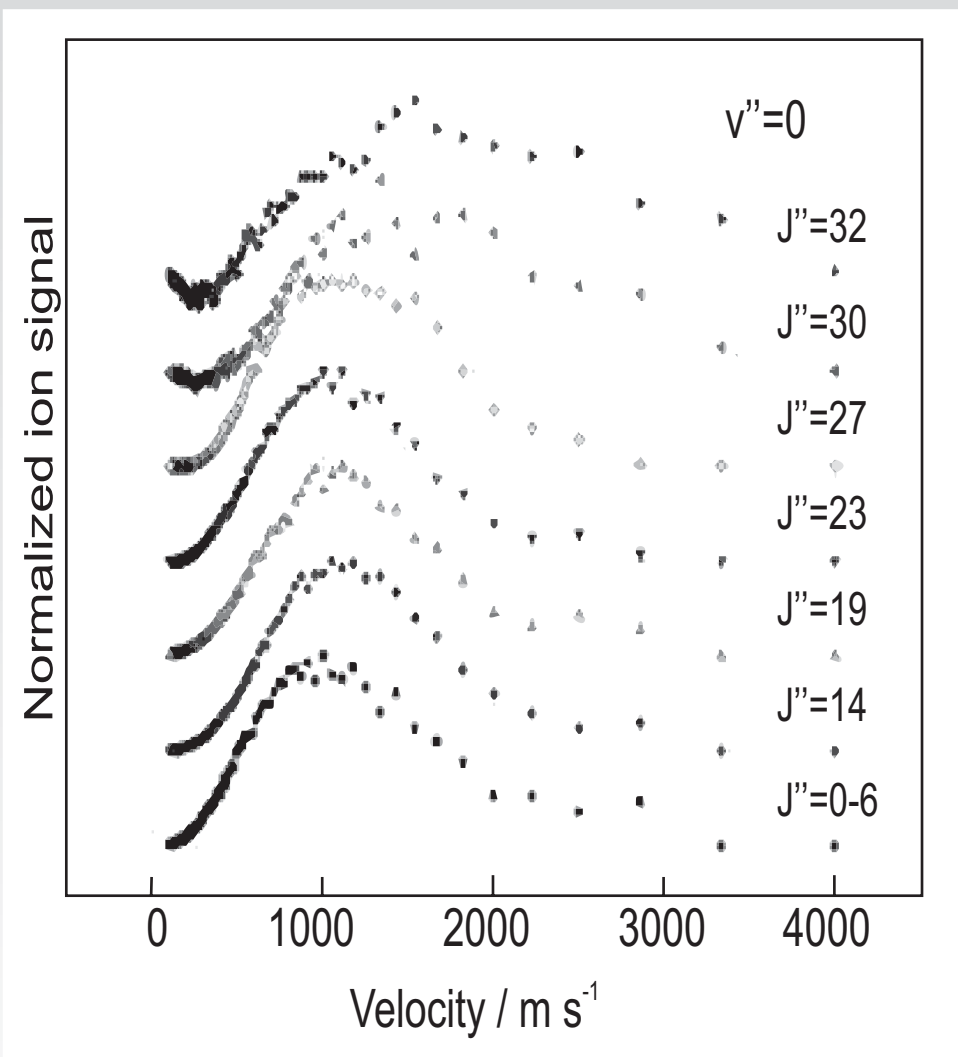
Experiment¹



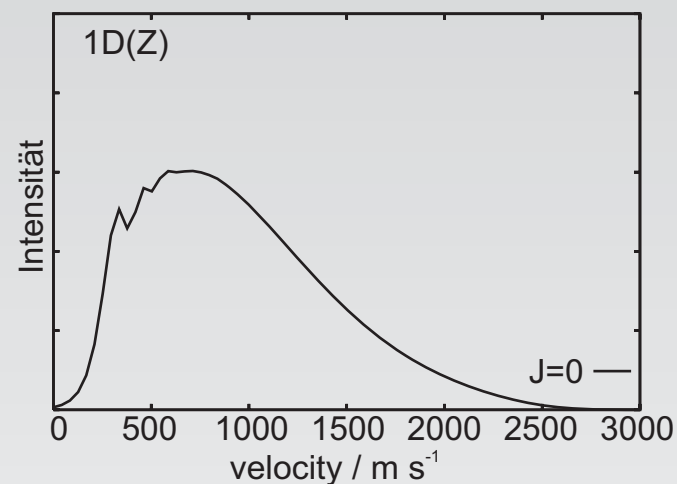
Theory



Experiment¹



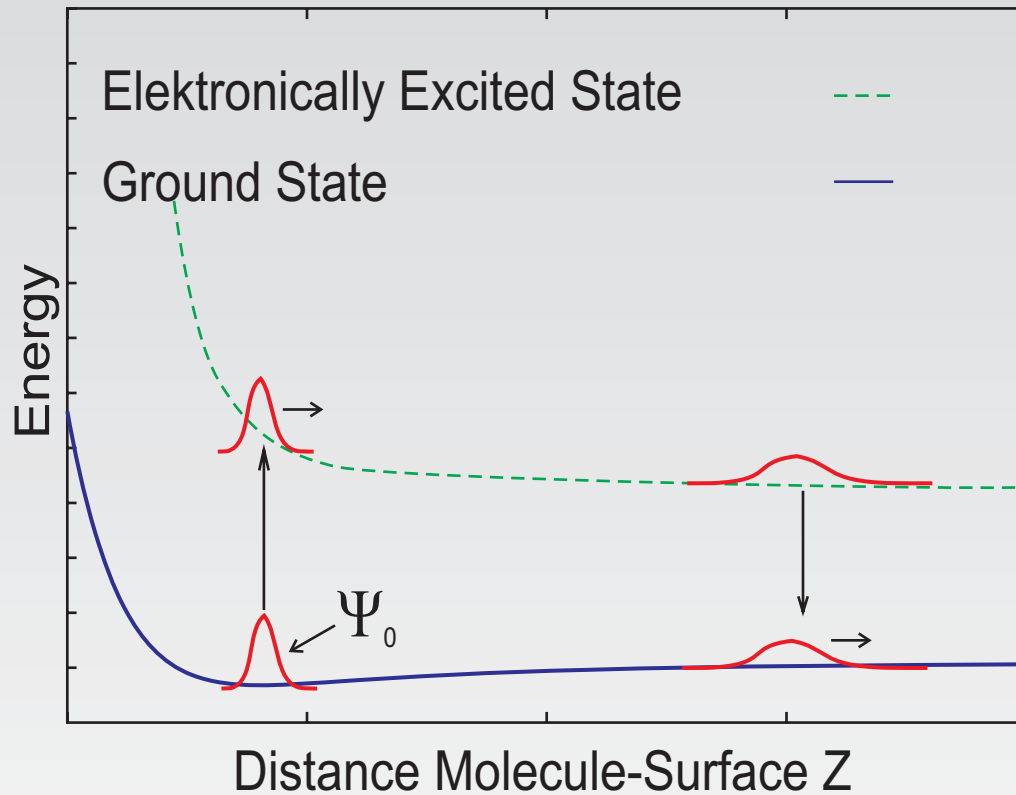
Theory



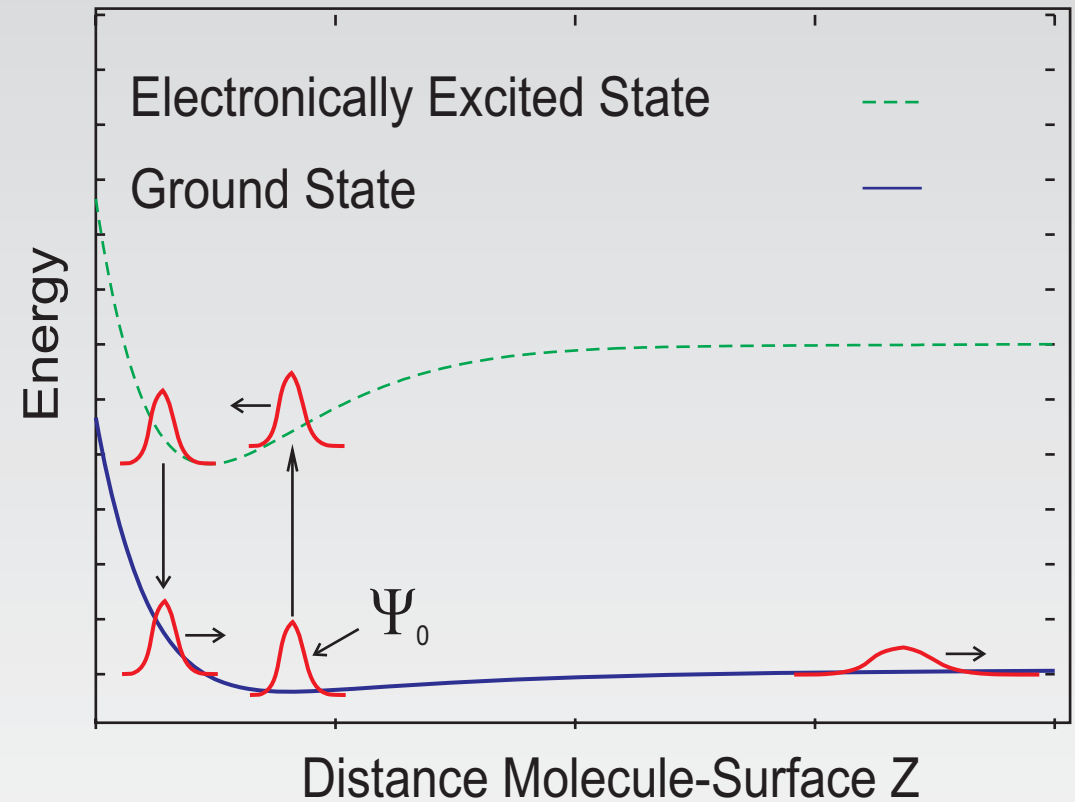
Results:

- Good agreement with experiment
- CO($5\sigma \rightarrow 2\pi^*$) excited state
- Antoniewicz mechanism due to covalent Ni-C bond in excited state
- Resonance lifetime 4-12 fs
- 1D-calculations sufficient

MGR Mechanism^{9,10}



Antoniewicz Mechanism⁸



[8] P. R. Antoniewicz *Phys. Rev. Lett. B* **21**, 3811 (1980).

[9] D. Menzel und R. Gomer, *J. Chem. Phys.* **41**, 3311 (1964).

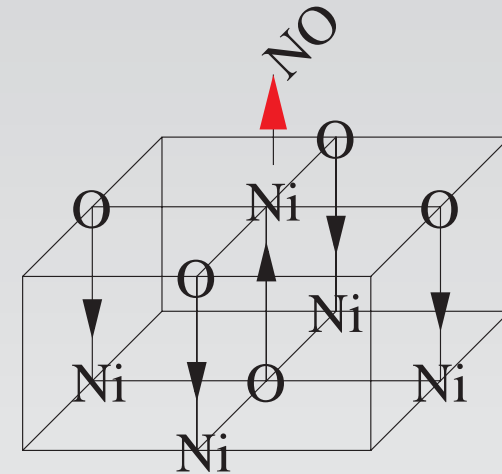
[10] P. A. Redhead, *Can. J. Phys.* **42**, 886 (1964).

- Separation of the total system Hamiltonian:

$$\hat{H} = \hat{H}_S + \hat{H}_B + \hat{H}_{SB} + \hat{H}_{SF}(t) + \hat{H}_{BF}(t)$$

- *implicit* description of the bath: TLS
- representative bath modes are included in the description:

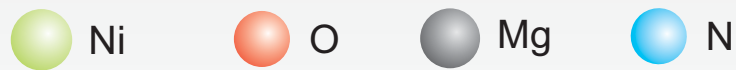
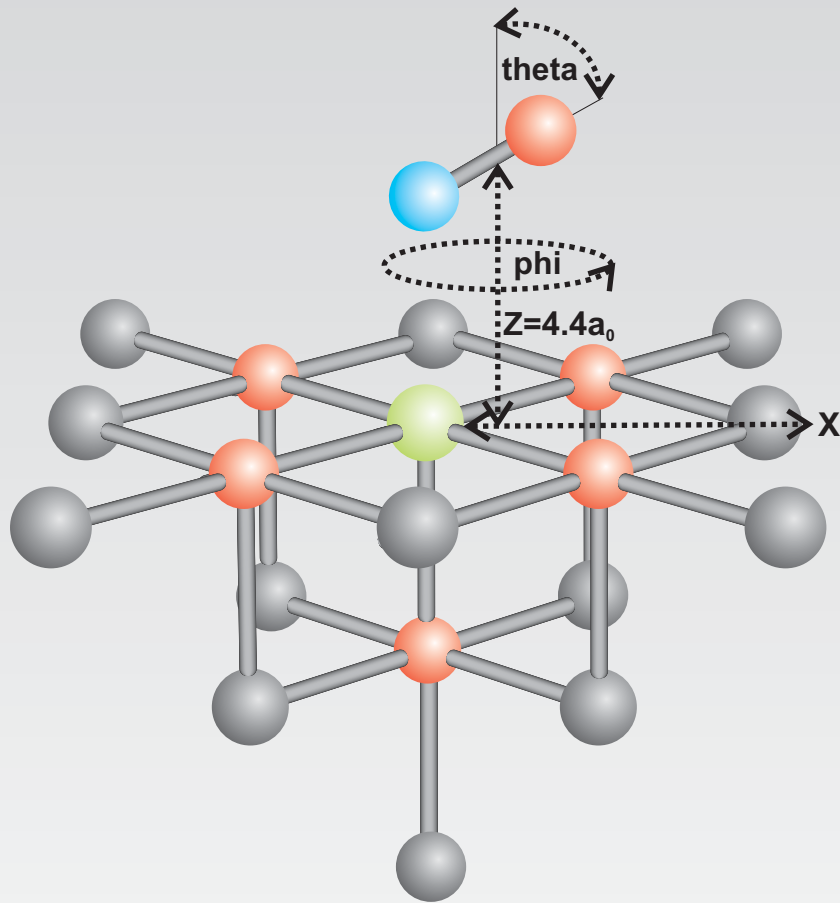
$$\hat{H}_B \approx \sum_{k=1}^{\infty} \hat{n}_k^{true} \longrightarrow \sum_{k=1}^N \hat{n}_k^{rep}$$



Gains	Costs
<ul style="list-style-type: none">• well-suited for ultrafast events• controllable approximation	<ul style="list-style-type: none">• enormous numerical effort

Surrogate Hamiltonian Method

NO/NiO(100): system



$$\hat{H}_S = \begin{pmatrix} \hat{T} + V_g(Z, \vartheta) & 0 \\ 0 & \hat{T} + V_e(Z, \vartheta) \end{pmatrix}$$

$$\hat{H}_{SF} = \begin{pmatrix} 0 & E(t)\hat{\mu}_{tr} \\ E^*(t)\hat{\mu}_{tr} & 0 \end{pmatrix}$$

$$f = \frac{2}{3} E_{fi} |\mu_{fi}|^2 \quad \mu_{tr}(Z) = \sqrt{\frac{3 \exp(-Z)}{2 \cdot 0.15}}$$

$$E(t) = E_0 \exp\left(-\frac{(t - t_{max})^2}{2\sigma_P^2}\right) \exp(i\omega_L t)$$

Surrogate Hamiltonian Method

NO/NiO(100): bath

$$\hat{H}_B = \varepsilon \sum_i \hat{\sigma}_i^+ \hat{\sigma}_i + \frac{\eta}{\log(N)} \sum_{ij(NN)} (\hat{\sigma}_i^+ \hat{\sigma}_j + \hat{\sigma}_j^+ \hat{\sigma}_i)$$

$$\hat{H}_{SB} = \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix} \otimes \sum_i \hat{V}_i (\hat{\sigma}_i^+ + \hat{\sigma}_i)$$

$$\hat{V}_i = \hat{\mu}_S \cdot \vec{E}_i = \frac{\hat{\mu}_S \cdot \hat{\mu}_i}{|\hat{r}_i|^3} - 3 \frac{(\hat{\mu}_S \cdot \hat{r}_i)(\hat{\mu}_i \cdot \hat{r}_i)}{|\hat{r}_i|^5}$$

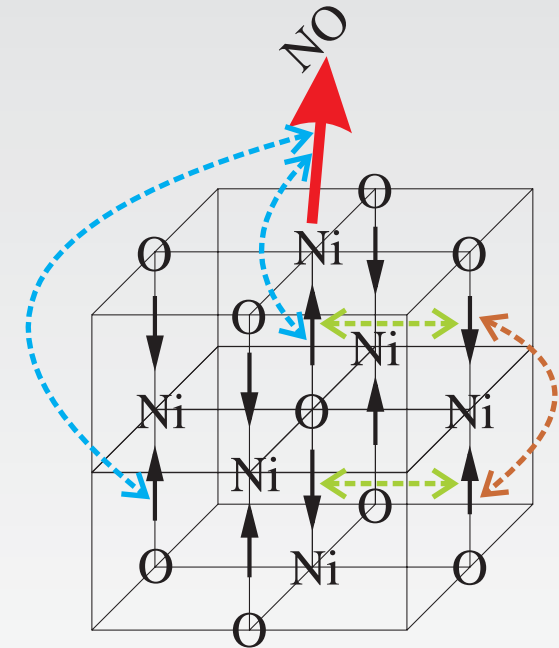
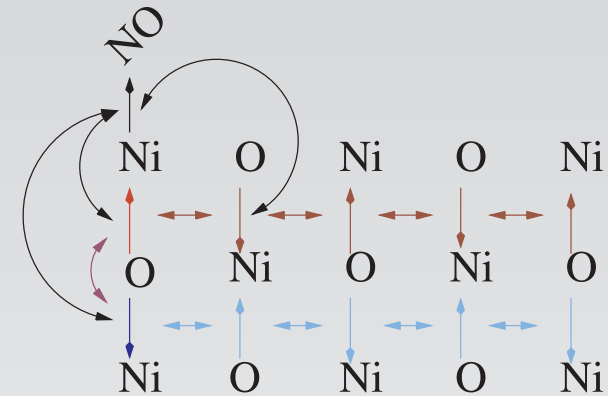
$\hat{\sigma}_i^+$ creation-
 $\hat{\sigma}_i$ annihilation-
 } operators for the i -th TLS

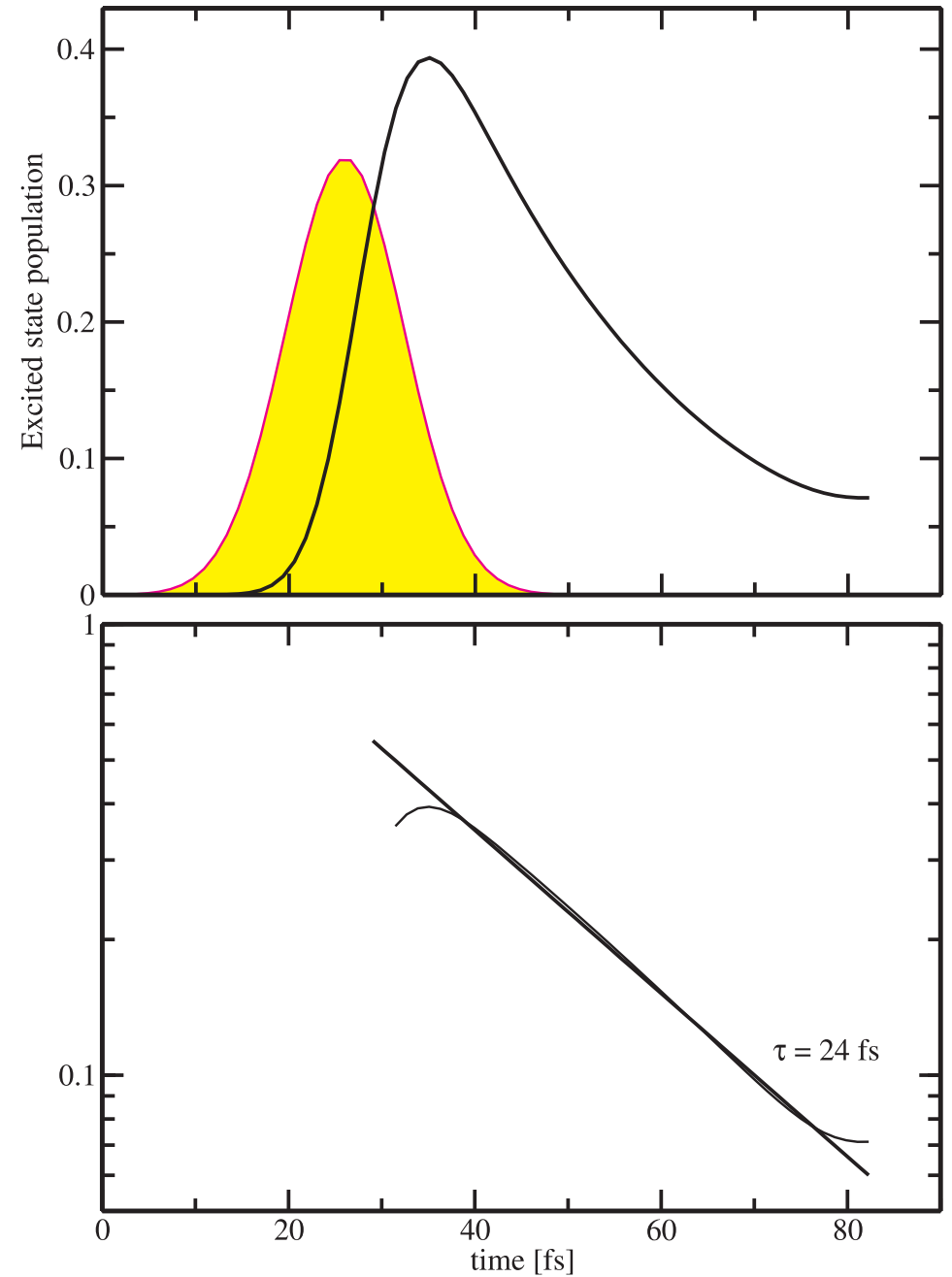
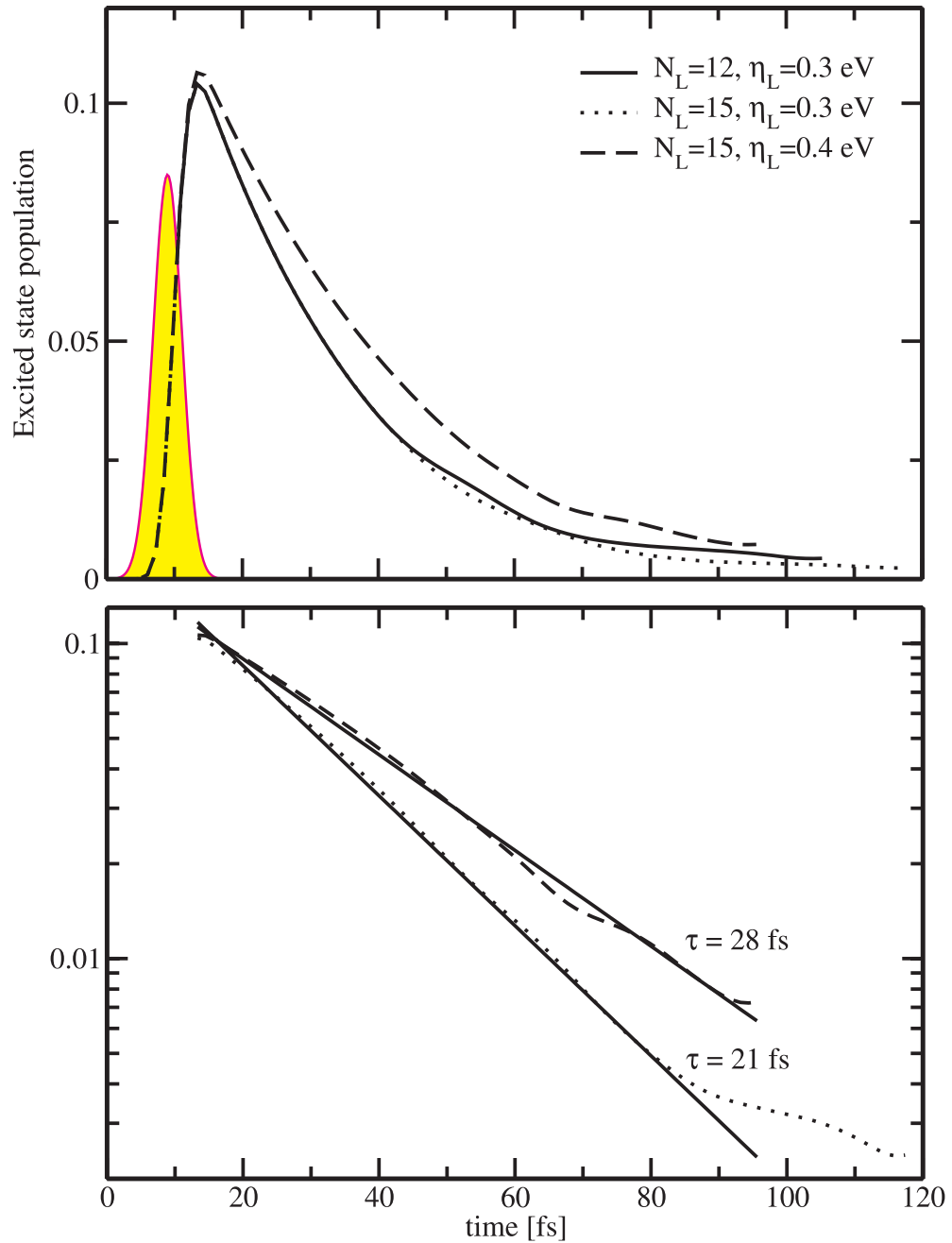
• Bath parameters:

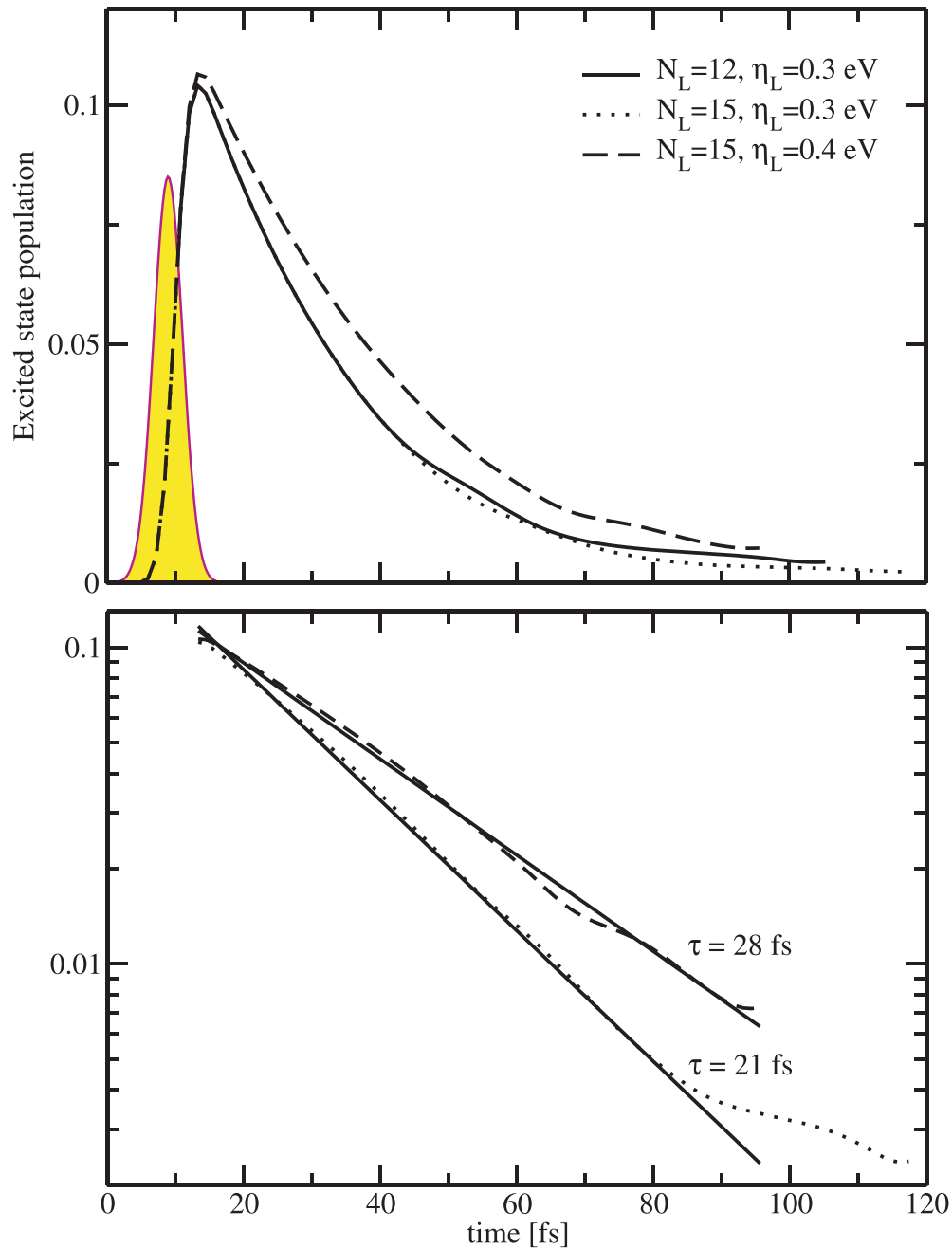
ε energy of the bath dipoles

η parameter for the nearest-neighbour-
interaction of the bath dipoles

} from EELS or CI-calculations







Resonance lifetimes obtained agree with resonance lifetimes in previous stochastic wave packet calculations

Achievement:
ab initio simulation of surface photochemistry including non-adiabatic decay

Optimal Control of Quantum Dissipation

Minimization of dissipation by optimizing external field
Time-dependent OCT

Maximize functional J, i.e. $\delta J = 0$

$$J = \int_0^T dt \langle \psi(t) | \hat{\Theta}_t | \psi(t) \rangle - \alpha \int_0^T dt \frac{\varepsilon^2(t)}{s(t)} \\ - 2\mathfrak{I} \left[\int_0^T dt \langle \lambda(t) | i \frac{\partial}{\partial t} - [\hat{H} - \hat{\mu}\varepsilon(t)] | \psi(t) \rangle \right]$$

Optimal Control of Quantum Dissipation

Minimization of dissipation by optimizing external field Time-dependent OCT

Pulse design equations:

$$i \frac{d}{dt} |\psi(t)\rangle = (\hat{H} - \hat{\mu}\varepsilon(t)) |\psi(t)\rangle$$

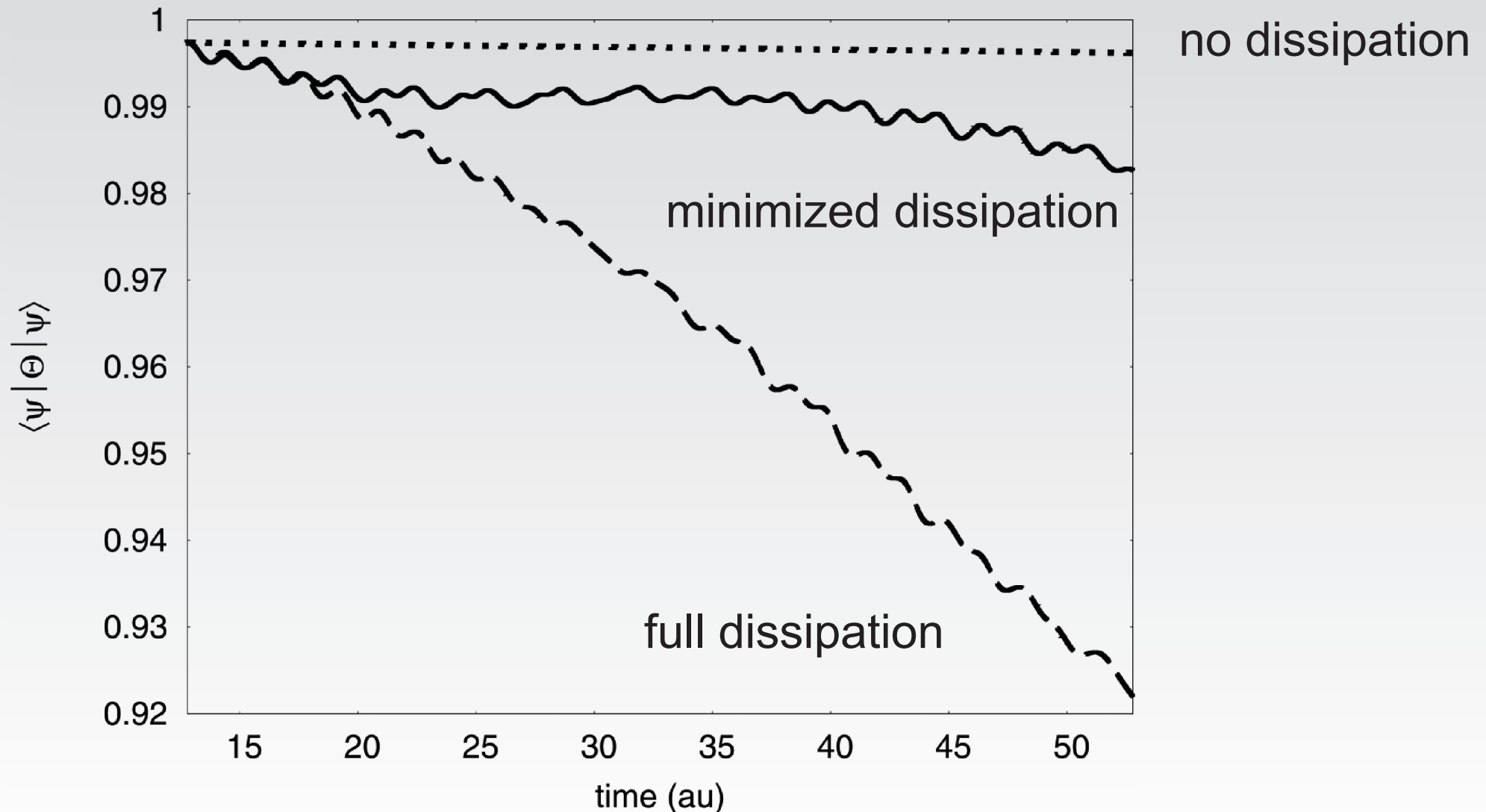
$$|\psi(0)\rangle = |\phi\rangle \quad \hat{\Theta}_t = \text{tr}_B \{ |\phi_{\text{ref}}(t)\rangle \langle \phi_{\text{ref}}(t)| \} \otimes \hat{I}_B$$

$$i \frac{d}{dt} |\lambda(t)\rangle = (\hat{H} - \hat{\mu}\varepsilon(t)) |\lambda(t)\rangle - i \hat{\Theta}_t |\psi(t)\rangle$$

$$\varepsilon(t) = -\frac{s(t)}{\alpha} \Im \langle \lambda(t) | \hat{\mu} | \psi(t) \rangle$$

Optimal Control of Quantum Dissipation

Minimization of dissipation by optimizing external field Time-dependent OCT



Acknowledgements

Carl von Ossietzky University Oldenburg



Funding

German Science Foundation
German Israeli Foundation
Volkswagen Foundation
Hanse-Wissenschaftskolleg
Fonds der Chemischen Industrie
Alexander von Humboldt foundation
High-Performance Computing Center Stuttgart

Theoretical Chemistry



Erik Asplund, Matthias Mehring,
Heiko Haman , Wai Leung Yim
Jan Mitschker, Imed Mehdaoui

Hideaki Aizawa*, Stefan Borowski*,
Sören Dittrich*, Amel Laref*,
Christiane Koch*,
Dominik Kröner*, Merle Krueger*,
Doron Lahav*, Michail Pykavy*,
Stephan Thiel* (*former members)